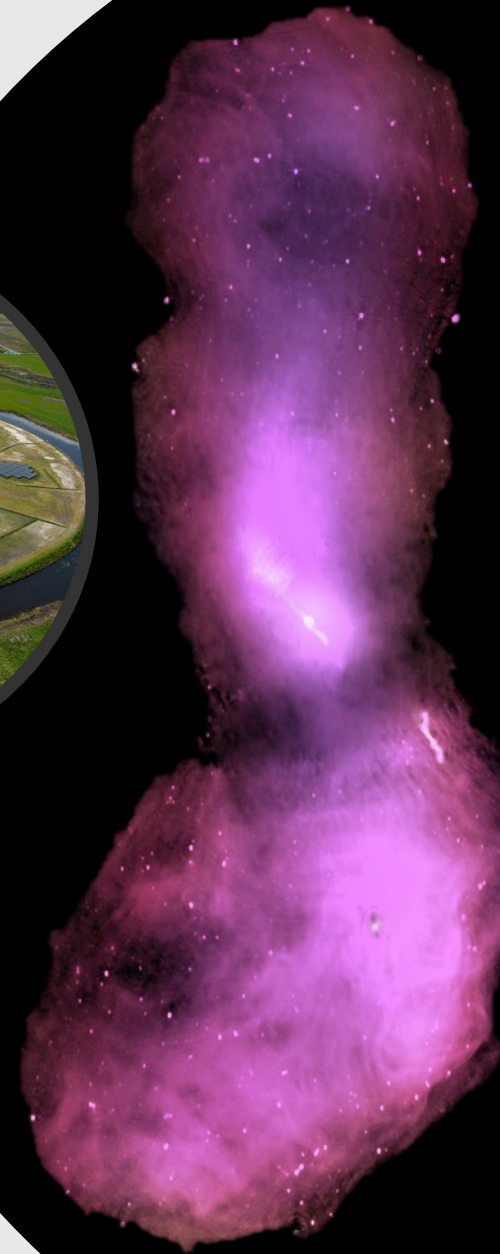




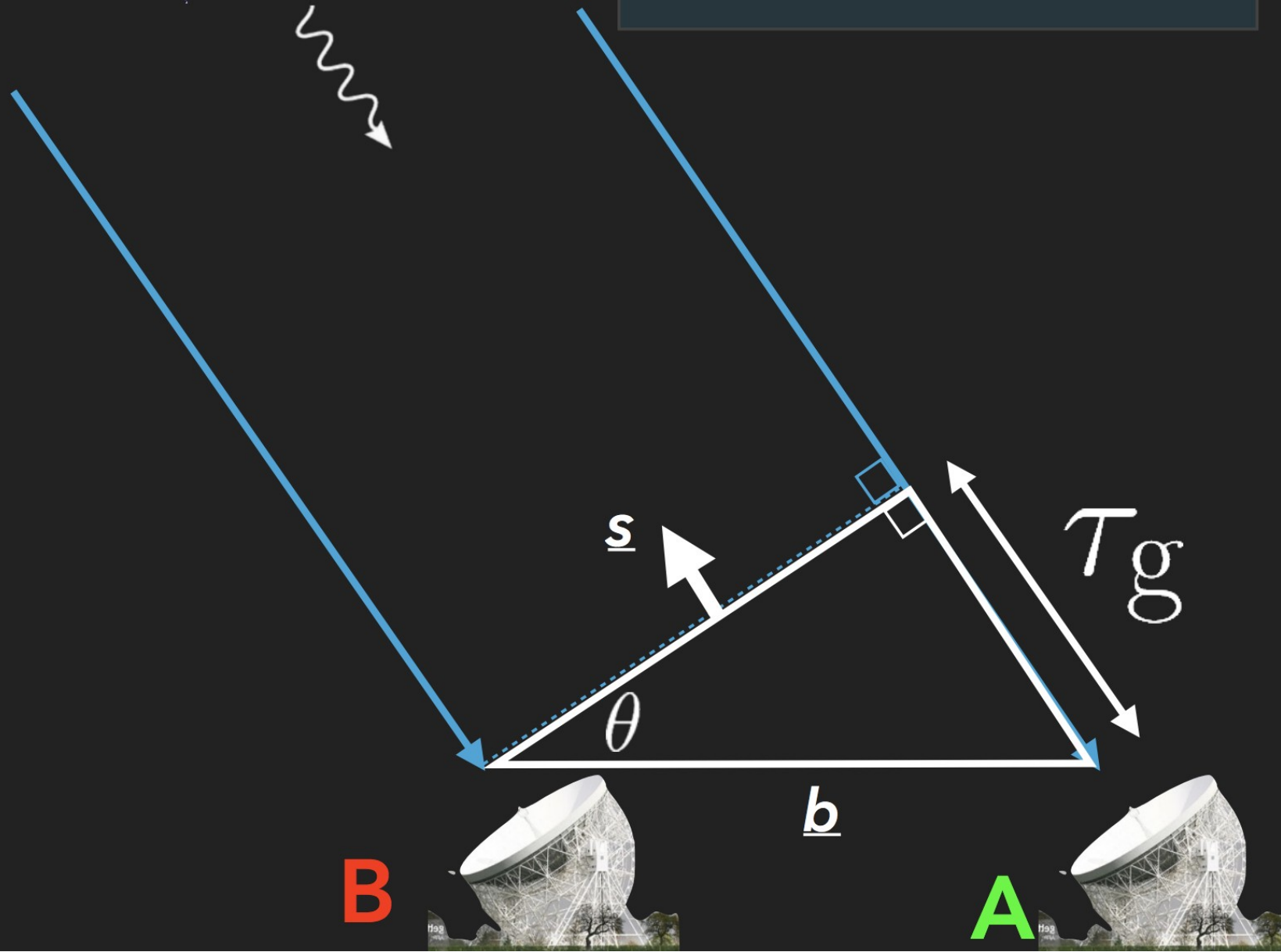
Re-cap of Week 1 – The Salient Points

Joe Callingham (ASTRON) and
Jack Radcliffe

*Botswana Radio Astronomy School,
Palapye, Botswana
8th of July 2018*

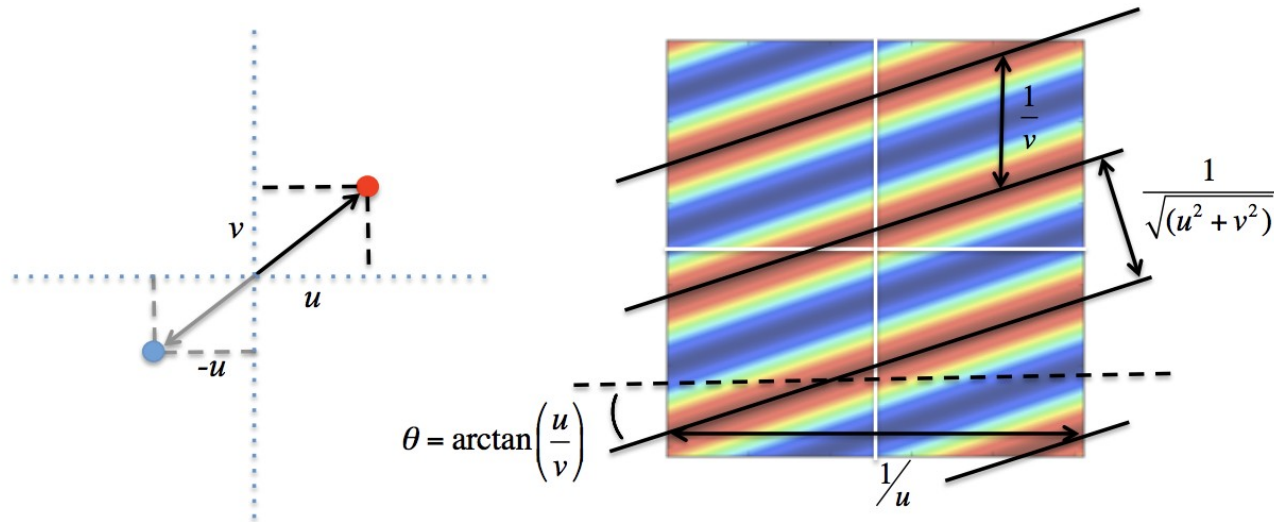


$$\tau_g = \frac{b \sin \theta}{c} = \frac{\vec{b} \cdot \vec{s}}{c}$$



Visibilities

FOURIER COMPONENTS



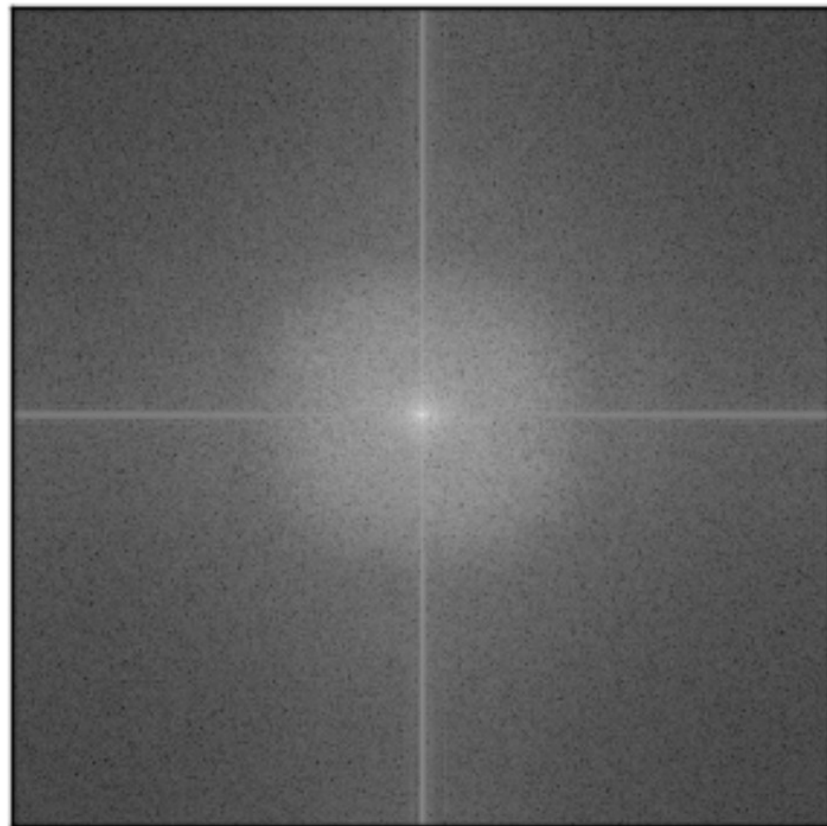
Writing the equation in this way allows us to visualise how our image is composed.

$$I_{meas}(l, m) = \frac{1}{M} \sum_{i=1}^M A(u_i, v_i) \cos[2\pi(u_i l + v_i m) + \phi_i]$$

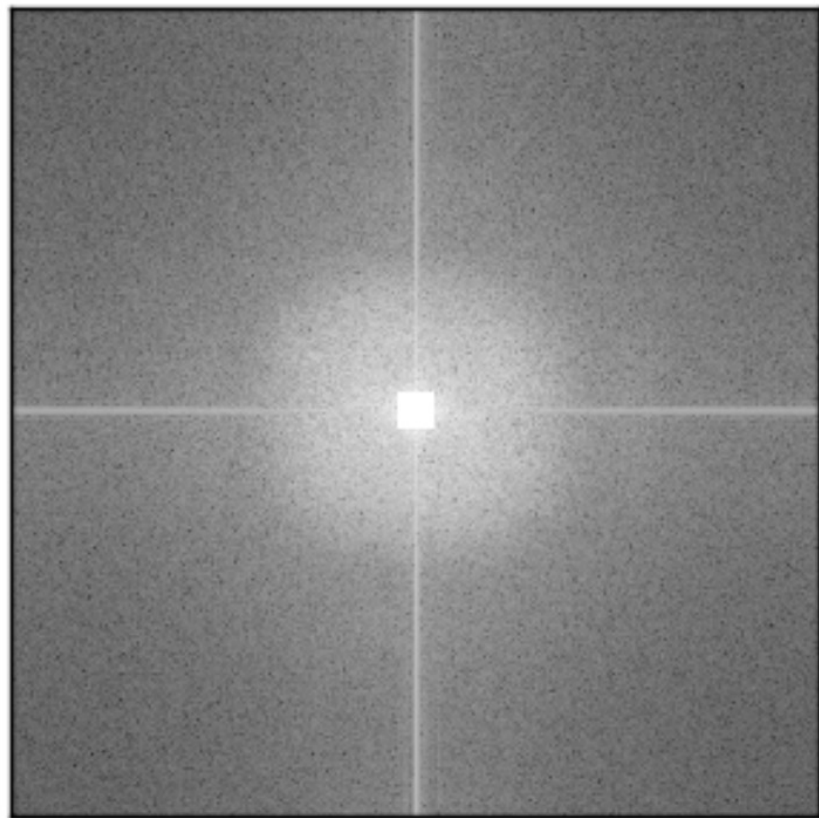
Cat



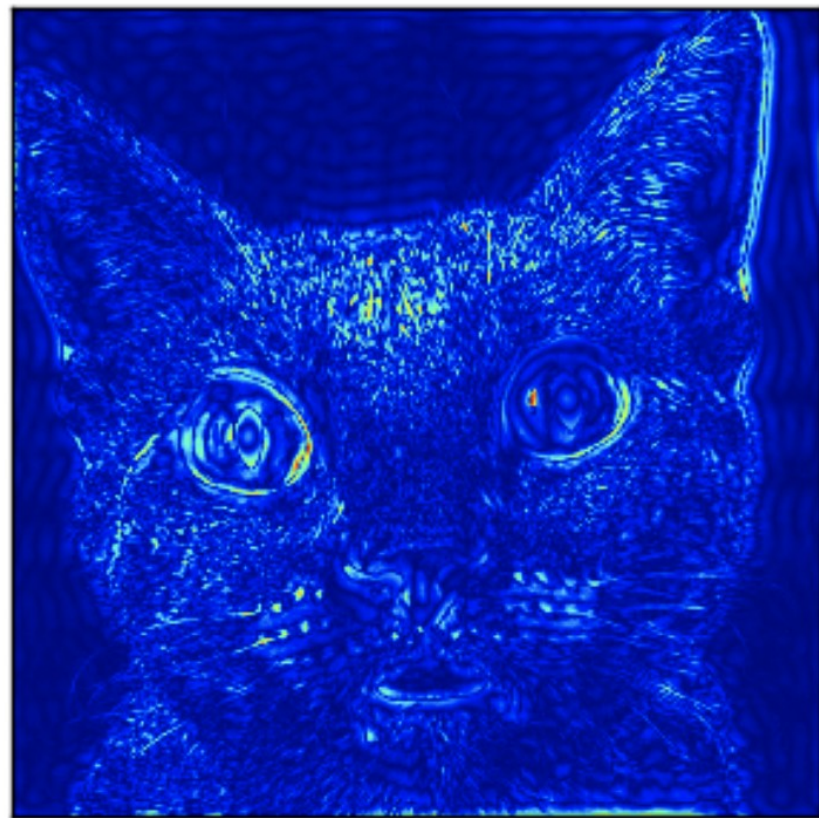
Fourier Cat



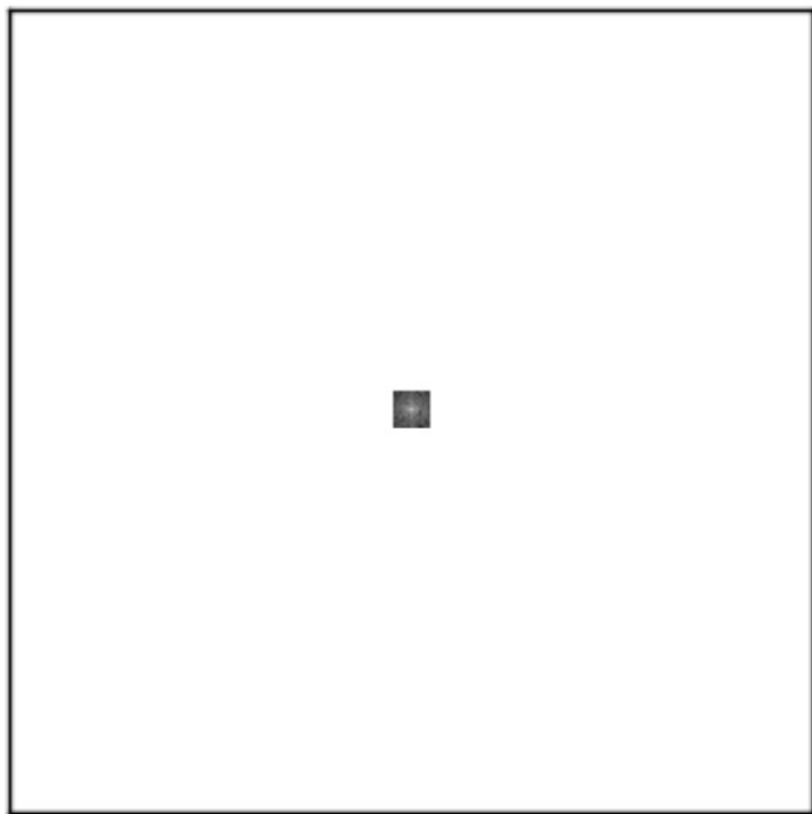
Filtered Fourier Cat



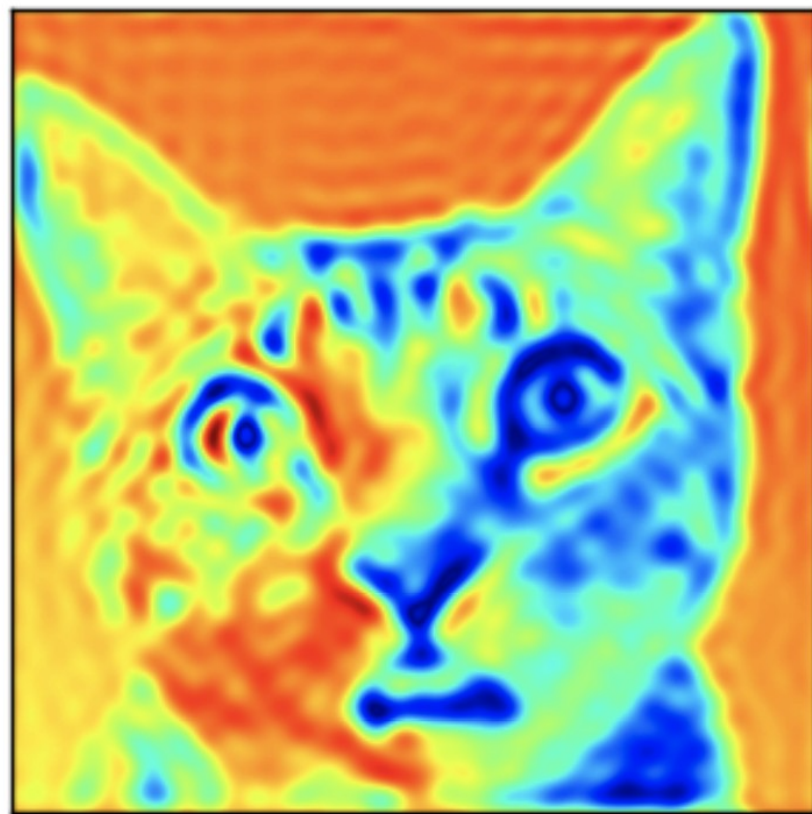
HPF Cat



Filtered Fourier Cat

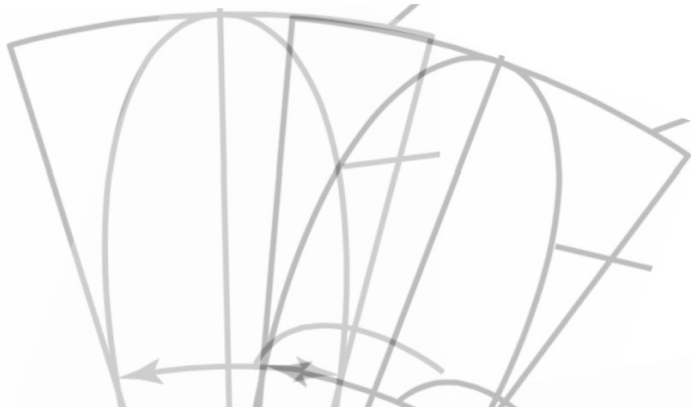


LPF Cat



a Priori Calibration

Phase Referencing Recap



1. Observe **source**
2. Observe **calibrator** to measure gains (amplitude and phase) as a function of time.
3. Observe **bright calibrator** of known flux-density and spectrum to measure absolute flux calibration, band-pass and residual delays

Jones matrix for antenna i

$$J_{ij} = J_i \times J_j^*$$

$$\vec{V}_{ij} = J_{ij} \vec{V}_{ij}^{\text{IDEAL}}$$

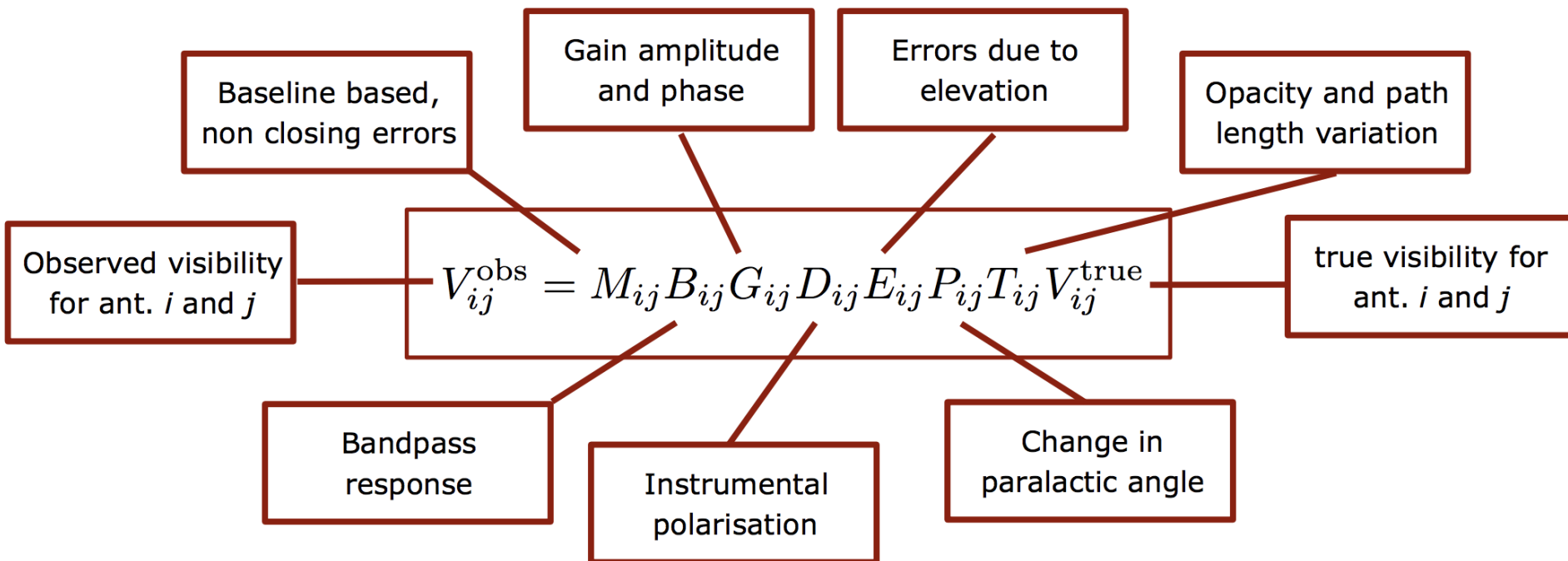
where

observed visibility

ideal visibility

Combined Jones matrix

CASA's formalisation of RIME



Calibration solves for each Jones matrix (when required) given a **model** for the sky.

How to fringe-fit?

$$\vec{V}_{ij}^{\text{obs}} = M_{ij} B_{ij} F_{ij} G_{ij} D_{ij} E_{ij} P_{ij} T_{ij} \vec{V}_{ij}^{\text{true}}$$

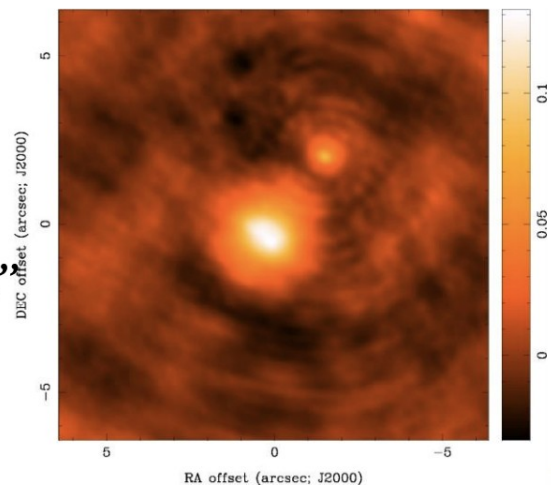
- Need to solve for phase errors in time (rate) and frequency (delay) space
- Remember the interferometer phase: $\phi = 2\pi\nu\tau_{\text{obs}}$
→ phase error depends on delay (i.e. against frequency)
- Fringe fitting solves these errors assuming a linear model of the phase error for each antenna i.e.

$$\Delta\phi_i(t, \nu) = \boxed{\phi_{i,0}} + \boxed{\frac{\partial\phi_i}{\partial\nu} \Delta\nu} + \boxed{\frac{\partial\phi_i}{\partial t} \Delta t}$$

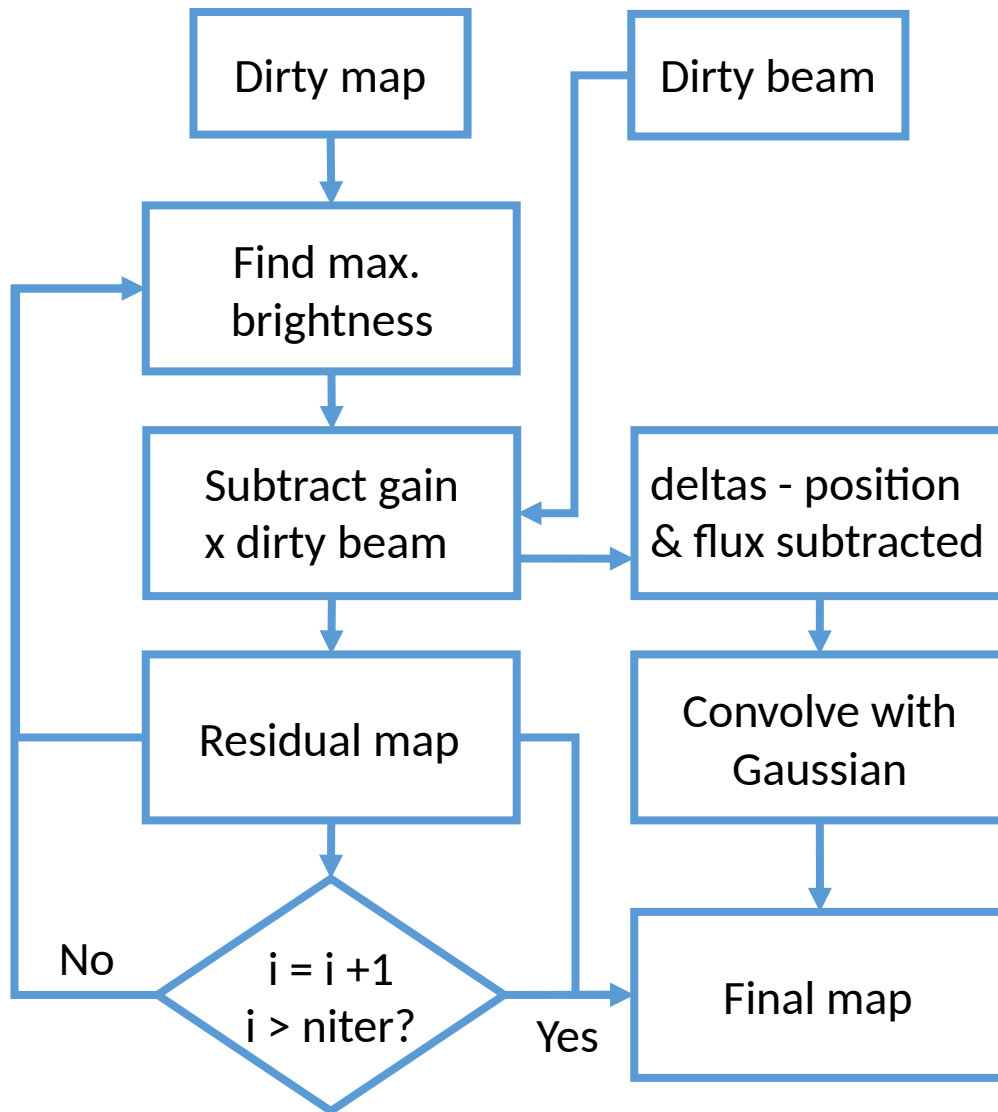
Phase error at time t and ν
Delay term
Rate term

- Some cases (e.g. space, mm-, low-frequency VLBI) need require higher orders e.g. dispersive delays - $\mathcal{O} \frac{\partial^2 \phi}{\partial \nu^2} \Delta \nu$

$T^D(l,m)$
“dirty image”



HOGBOM CLEAN & VARIANTS



- initialize
 - a *residual map* to the dirty map
 - a *Clean Component* list
- 1. identify the highest peak in the residual map as a point source
- 2. subtract a fraction of this peak from the *residual map* using a scaled dirty beam, $s(l,m) \times \text{gain}$
- 3. add this point source location and amplitude to the *Clean Component* list
- 4. goto step 1 (an iteration) unless stopping criterion reached

Self Calibration

The Self Calibration Method

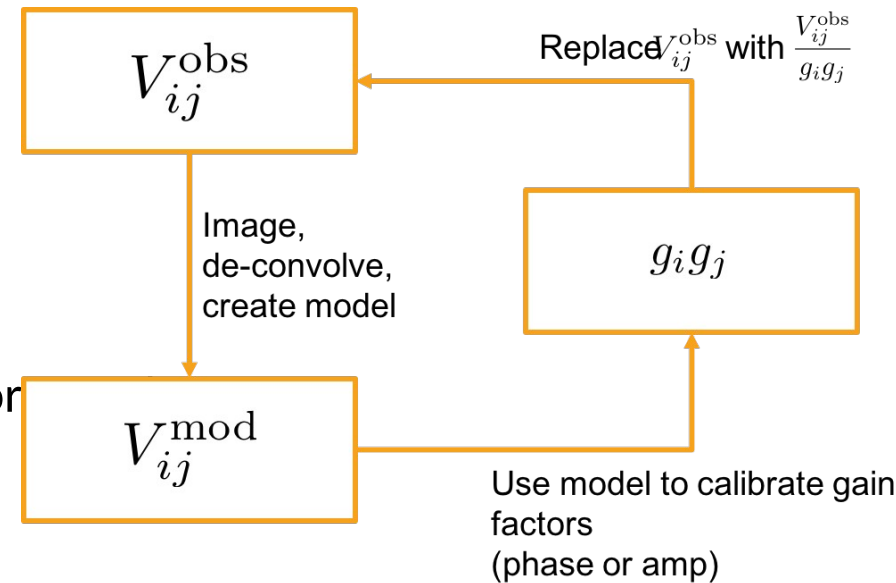
1. Create an initial source model, typically from an initial image (or else a point source)
 - Use full resolution information from the model image NOT the restored image (ie. CLEAN +residuals)

2. Find antenna gains
 - Using “least squares” fit to visibility data

3. Apply gains to correct the observed data

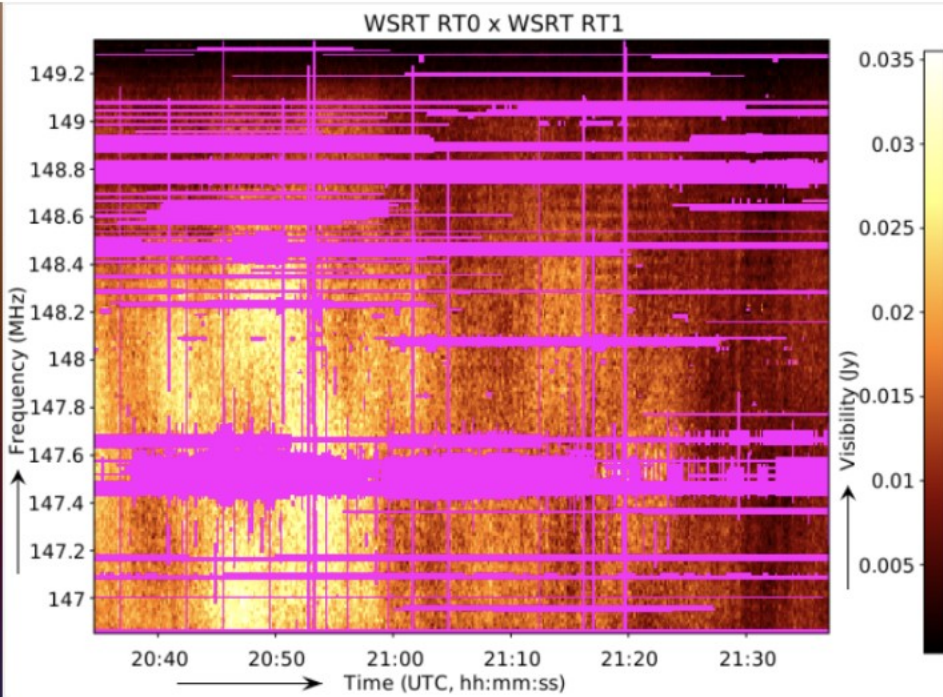
4. Create new model visibilities (V_{ij}^{mod}) from the corrected data

5. Go to (2), unless current model is satisfactory
 - shorter solution interval, different uv limits/weighting
 - phase → amplitude & phase

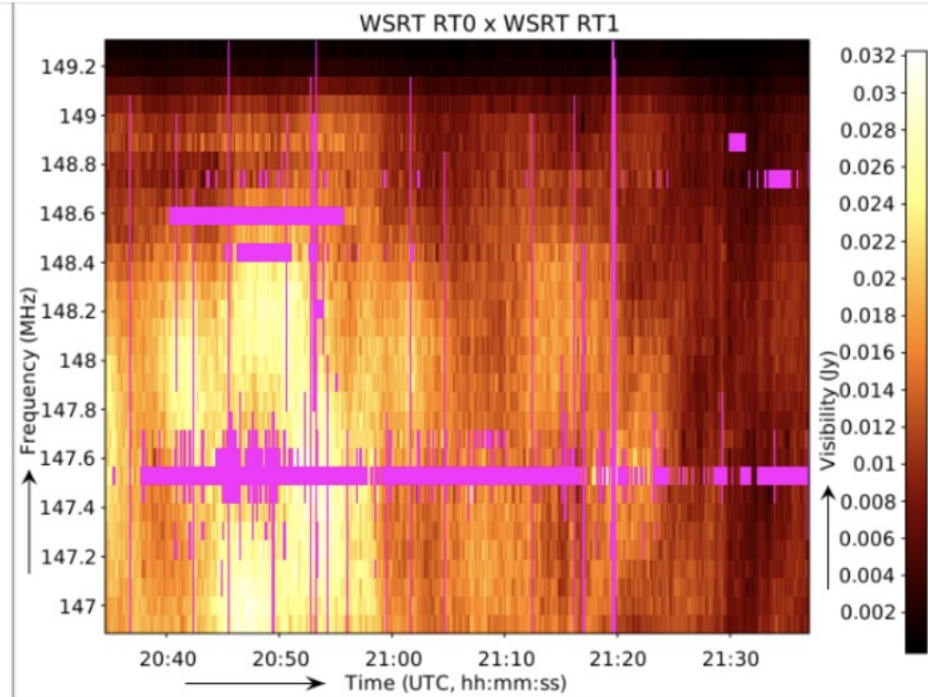


Flagging

Original resolution:

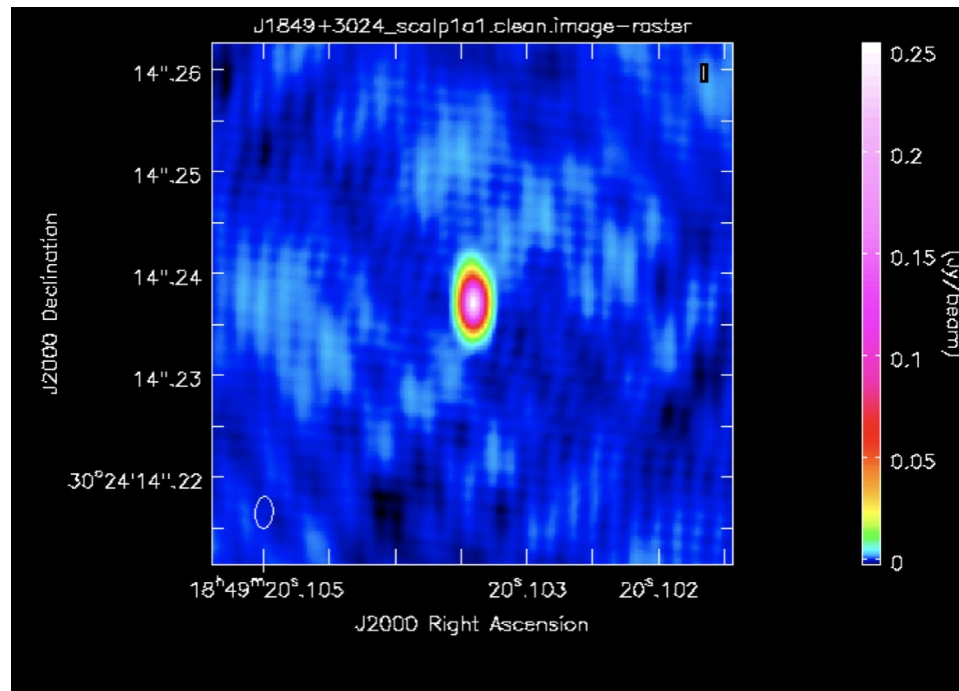


After averaging



Tutorials

- › Through all this theory you were working towards a practical understanding too.
- › Have experience with interacting with CASA manually and via a script
- › Can perform VLBI calibration for the EVN and image source.



Next few days

Today

W7: EVN continuum p.3 - refine calibration	Jack/Joe
W7: EVN continuum p.3 - imaging & self-cal	Jack/Joe

6	09:00-10:45	Recap of week 1	Joe/Jack
		W8: 3C277.1 calibration	Joe/Jack
	11:15-12:30	W8: 3C277.1 calibration	Joe/Jack
	14:00-15:30	W8: 3C277.1 calibration	Joe/Jack
	16:00-17:00	Science talk 2	Jack
7	09:00-10:45	L11: Advanced imaging	Jack
	11:15-12:30	W8: 3C277.1 imaging	Joe/Jack
	14:00-15:30	W8: 3C277.1 imaging	Joe/Jack
	16:00-17:00	L12: Life cycle of a project and archives	Jack/Joe