What is the V-band flux for a star with an apparent magnitude m_V = 26.0?

$$\frac{f_1}{f_2} = 10^{0.4(m_2 - m_1)}$$

so with star 2 as Vega this becomes

$$\frac{f_1}{f_{m=0}} = 10^{0.4(0-m_1)} = 10^{-0.4m_1}$$

$$f_1 = f_{m=0} 10^{-0.4m_1}$$

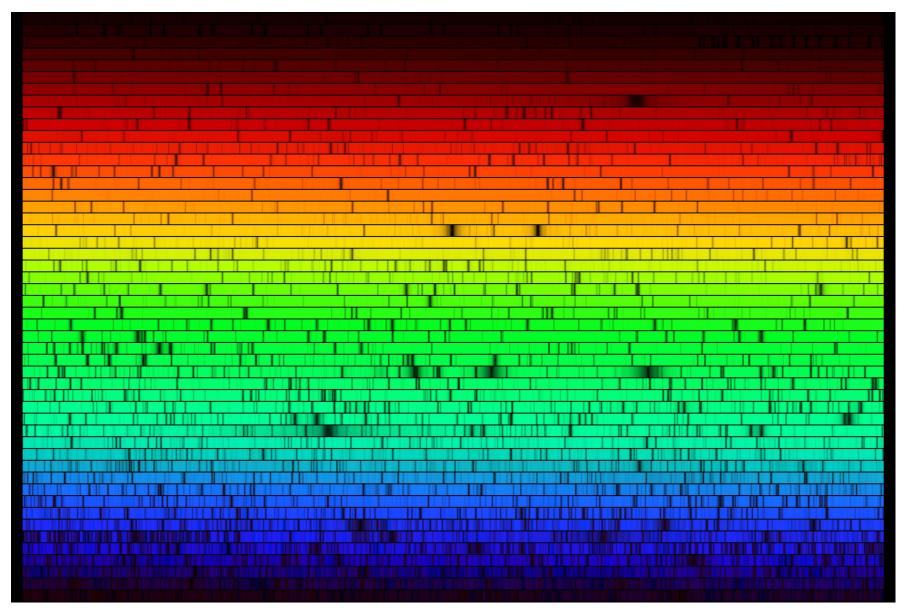
= 3.8 × 10^{-11} × 10^{-0.4 × 26.0}

$$= 1.5 \times 10^{-21} \text{ Wm}^{-2} \text{ nm}^{-1}$$

Stellar Spectra

- Absorption lines
 - cause
 - strength
- Temperature dependence
- Classification of stellar spectra

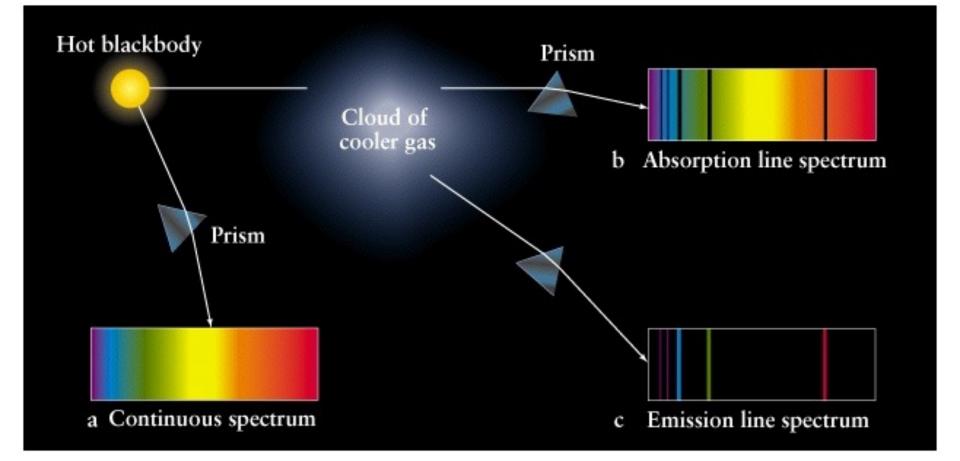
The Solar Spectrum



N.A.Sharp, NOAO/NSO/Kitt Peak FTS/AURA/NSF

Absorption Lines

- Absorption lines arise when we view a hot source of continuum radiation through a cooler layer of gas
- Because the temperature drops with height in the atmospheres of stars we view cooler gas against a hotter background

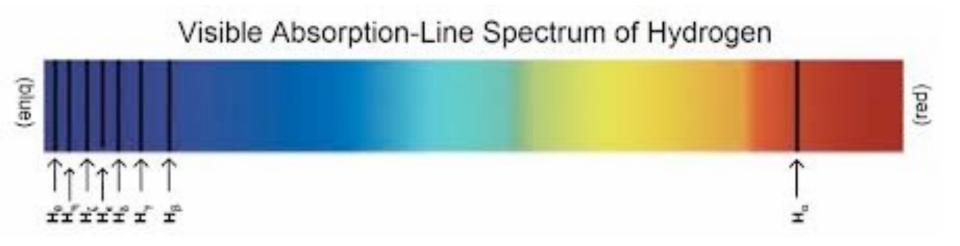


Stellar Spectra

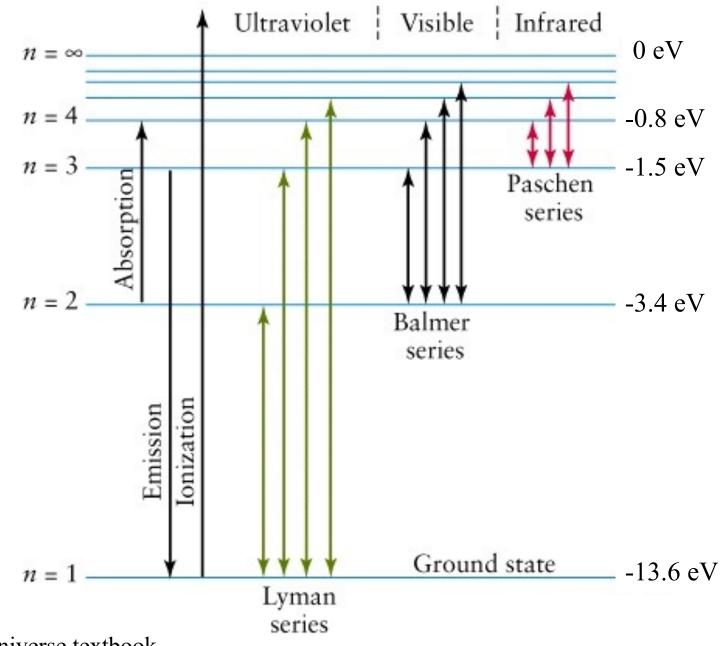
- Spectra of stars consist of a vast number of absorption lines from different species
- One of the most recognizable is the Balmer series due to atomic hydrogen (H I)

Balmer Series

 This series arises from transitions from the n=2 level in H I



From www.phys.lsu.edu



Class Example

 An electron in the n=2 level of hydrogen requires 3.4 eV of energy to become ionized. What temperature blackbody would give a peak of emission at the wavelength corresponding to an energy of 3.4 eV? • What temperature blackbody would give a peak of emission at the wavelength corresponding to an energy of 3.4 eV?

$$E = 3.4 \text{ eV} = 3.4 \times 1.6 \times 10^{-19} \text{ J} = 5.4 \times 10^{-19} \text{ J}$$
$$E = hv = \frac{hc}{\lambda}$$
$$\lambda = \frac{hc}{E} = \frac{6.6 \times 10^{-34} \times 3 \times 10^{8}}{5.4 \times 10^{-19}}$$
$$= 3.6 \times 10^{-7} \text{ m} = 360 \text{ nm}$$
$$T = \frac{3 \times 10^{-3}}{3.6 \times 10^{-7}} = 8000 \text{ K}$$

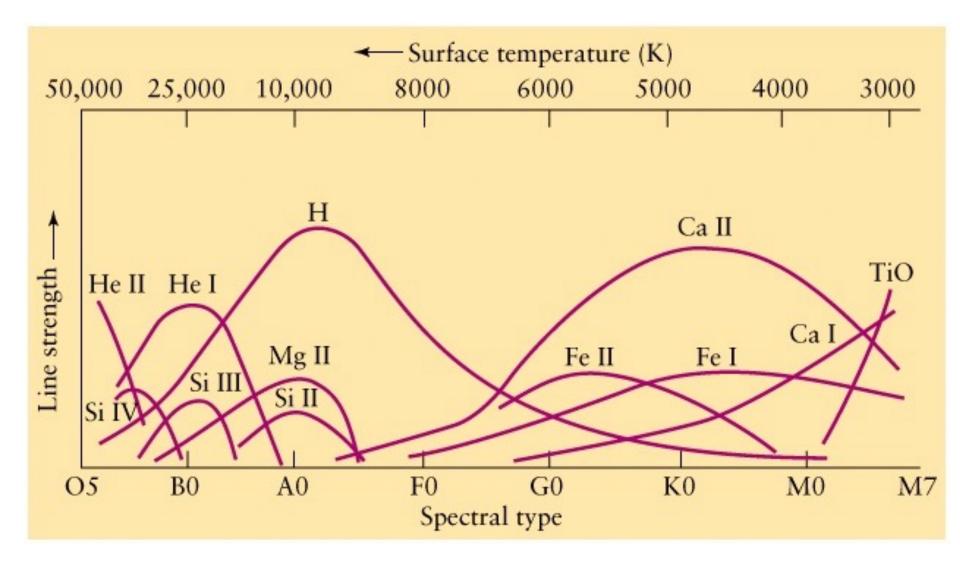
Absorption Line Strength

- Strength of an absorption line depends on:
 - strength of the particular transition (absorption cross-section), i.e. depends on atomic physics
 - number of particles in the lower state of the transition, i.e. depends on abundance, temperature and density

Temperature dependence

- the distribution of populations among the energy levels within an atom or ion depends on the temperature
- higher temperatures populate higher levels - <u>excitation</u>
- higher temperatures can also ionize a species, e.g. He⁰ →He⁺ or He I →He II ionization

- an absorption line for a species will have a maximum strength at a particular temperature
- at lower temperatures most of the species will be in the ground state
- at higher temperatures most species will become ionized to the next ionization stage



Class Example

 The He II ion is a hydrogen-like ion where the energy levels

$$E \propto -\frac{Z^2}{n^2}$$

where Z is atomic number and n is the level number. Why does this explain the high temperatures needed for the He II lines? Why are high temperatures needed for the He II lines?

Continuum 0 $E \propto -\frac{Z^2}{n^2}$ -3.4-6.0Energy (eV) $E \propto -\frac{1}{n^2}$ for hydrogen n=2 $E \propto -\frac{4}{n^2}$ for helium -54.4n = 1

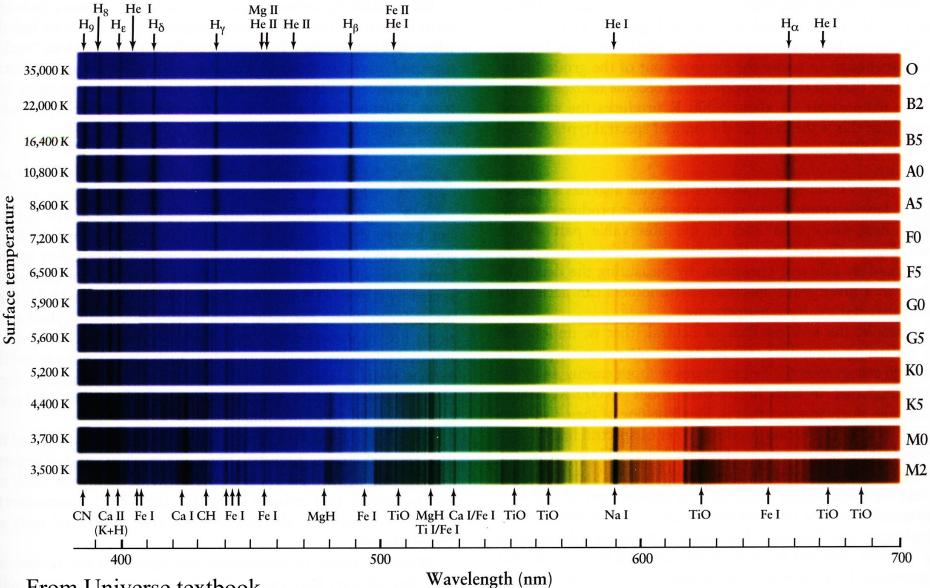
Spectral Classification

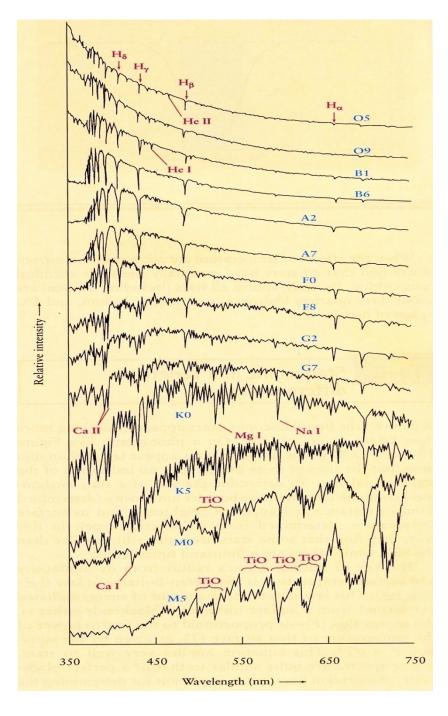
- stellar spectra can be classified into a temperature sequence
- spectral type is denoted by the sequence of letters:

O B A F G K M hot cool early type late type



The women of Harvard College Observatory classifying stellar spectra. From https://cas.sdss.org/dr7/en/proj/basic/spectraltypes/history.asp





- each spectral class is subdivided into numerical subclasses
- Sun has spectral type G2
- Balmer lines strongest at A0
- A0 stars have T_{eff} =10 000 K, e.g. Vega

Summary

- absorption lines in stellar spectra can be used to classify stars
- spectral type is primarily a measure of the effective temperature of the star

Class Example

 Looking at the spectra for A type stars why is there a significant drop in the continuum level below 360 nm?