

# *Investigating the bias from foreground removal in intensity mapping surveys*

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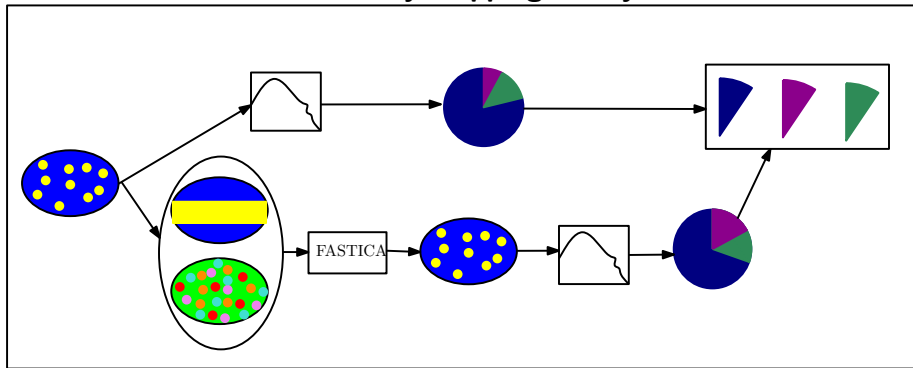
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23 November 2012

## From galaxy catalogue to cosmological bias of foreground removal in intensity mapping surveys



# Intensity Mapping: Survey Details

- Survey area 20,000 deg<sup>2</sup>
- Pixel area is Gaussian beam with FWHM 0.3 deg
- Integration time per pointing is 77s
- Total survey time 6 month

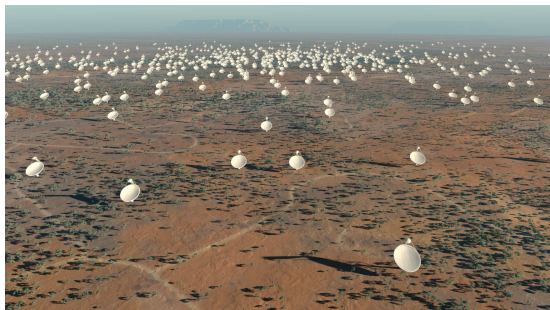


image credit: SKA Organisation/TDP/DRAO/Swinburne Astronomy



image credit: SKA Organisation/Swinburne Astronomy

Two cases:

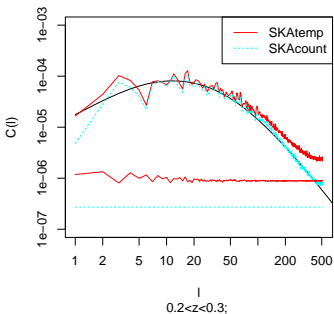
- Full SKA:  
 $A_{\text{eff}}/T_{\text{sys}} = 10^4 \text{ m}^2/\text{K}$
- 10 percent SKA

# *SKA Simulation Details*

# Power Spectrum Estimation

Density field expanded in spherical harmonics

$$\sigma(\theta, \phi) = \sum_{l=0}^{\infty} \sum_{m=-l}^l a_{lm} Y_{lm}(\theta, \phi)$$



Power spectrum is the variation of the density field;

$$C_l = \frac{1}{2l+1} \sum_{m=-l}^l |a_{lm}|^2$$

Peebles approximation for incomplete sky coverage;

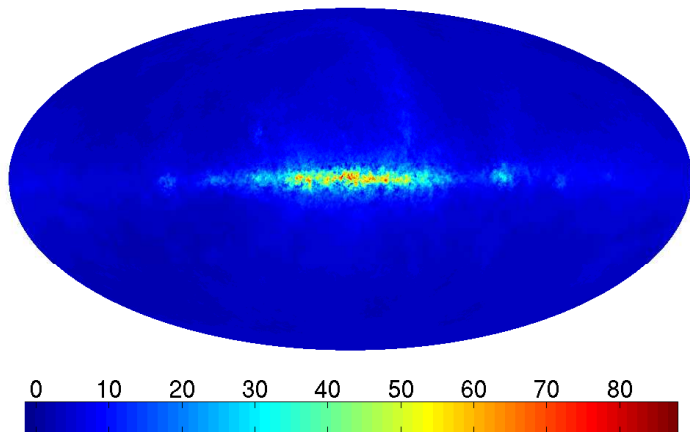
Conversion from galaxy counts to temperatures;

$$T = \frac{3A_{12}hc^2}{32\pi m_H k} \frac{M_{\text{HI}}}{\chi^2(z)\Delta\nu\nu_{21}\Omega_{\text{pix}}}$$

## Foreground Simulation

- Global sky model by Oliveira-Costa et al (2008)
- Extended with with small scale variation

R. Shaw, in preparation

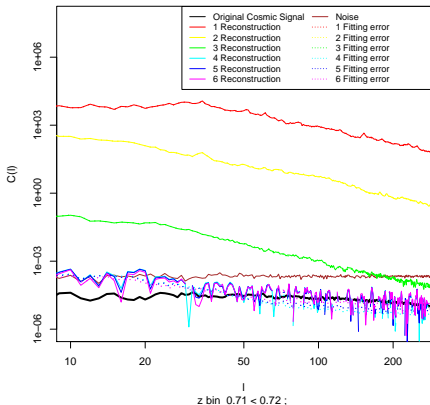


# Foreground Removal 1: FASTICA

- **Independent component analysis** separates a multicomponent signal into subcomponents
- Independent components of analysis are constituents of the galactic foreground
- Residual of analysis are the reconstructed cosmological signal plus receiver noise
- Medium temperature of the cosmological signal is part of the IC since it is smooth in redshift

# Foreground Removal 2: Results

## 10% SKA

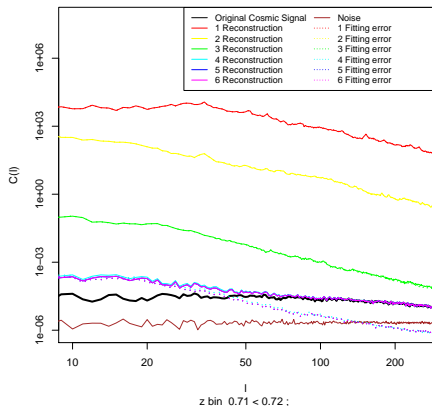


- Power spectrum estimation in spherical harmonics of original cosmological signal in comparison to reconstructed signal
- **Fitting error** via reconstructed signal minus original signal and noise



# Foreground Removal 2: Results

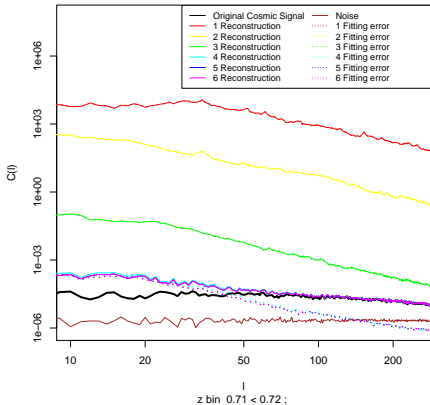
## Full SKA



- Power spectrum estimation in spherical harmonics of original cosmological signal in comparison to reconstructed signal
- **Fitting error** via reconstructed signal minus original signal and noise

# Foreground Removal 2: Results

## Full SKA

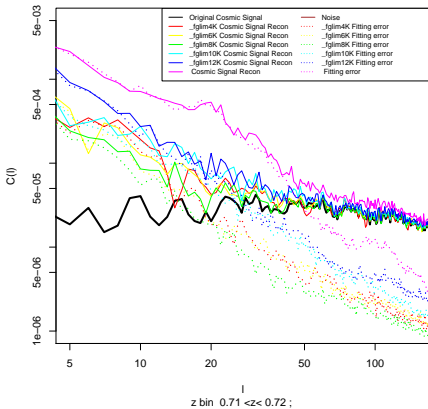
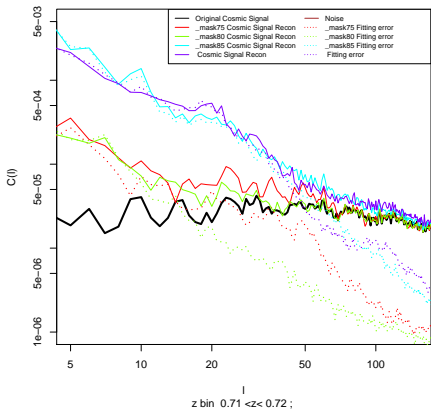


- Power spectrum estimation in spherical harmonics of original cosmological signal in comparison to reconstructed signal
- **Fitting error** via reconstructed signal minus original signal and noise
- 4-6 independent components analysis works very well on small scales
  - 4 Independent components
  - optimal masking to improve performance on large scales

# Optimal Masking

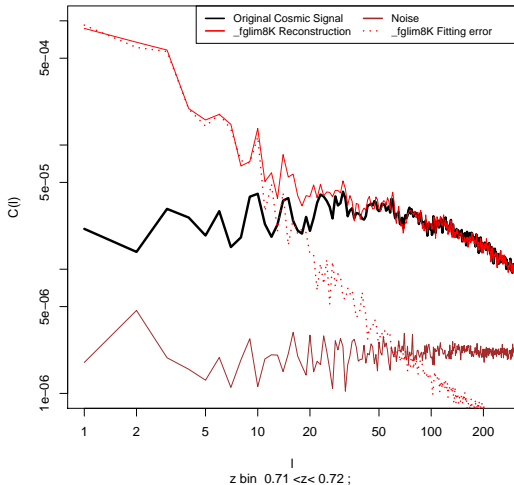
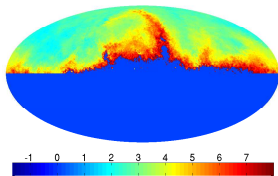
Constant cut in the latitude of the galactic plane  $\theta = 5\text{deg}$ ,  $10\text{deg}$  and  $15\text{deg}$

Cut in the temperature of the galactic foreground emission  $T=4\text{K}$ ,  $6\text{K}$ ,  $8\text{K}$ ,  $10\text{K}$  and  $12\text{K}$



# Result

**Foreground removal with 4 independent components in FASTICA**  
optimal mask with foreground temperature cut-off 8K



# Conclusions

- On scales  $l > 20$  the cosmological signal is recovered very well
- For small scales  $l < 20$  the reconstruction is contaminated

## Future Work:

- Covariance matrix for parameter estimation with lognormal realisations
- Parameter estimation via MCMCs
- Bias on cosmological parameter