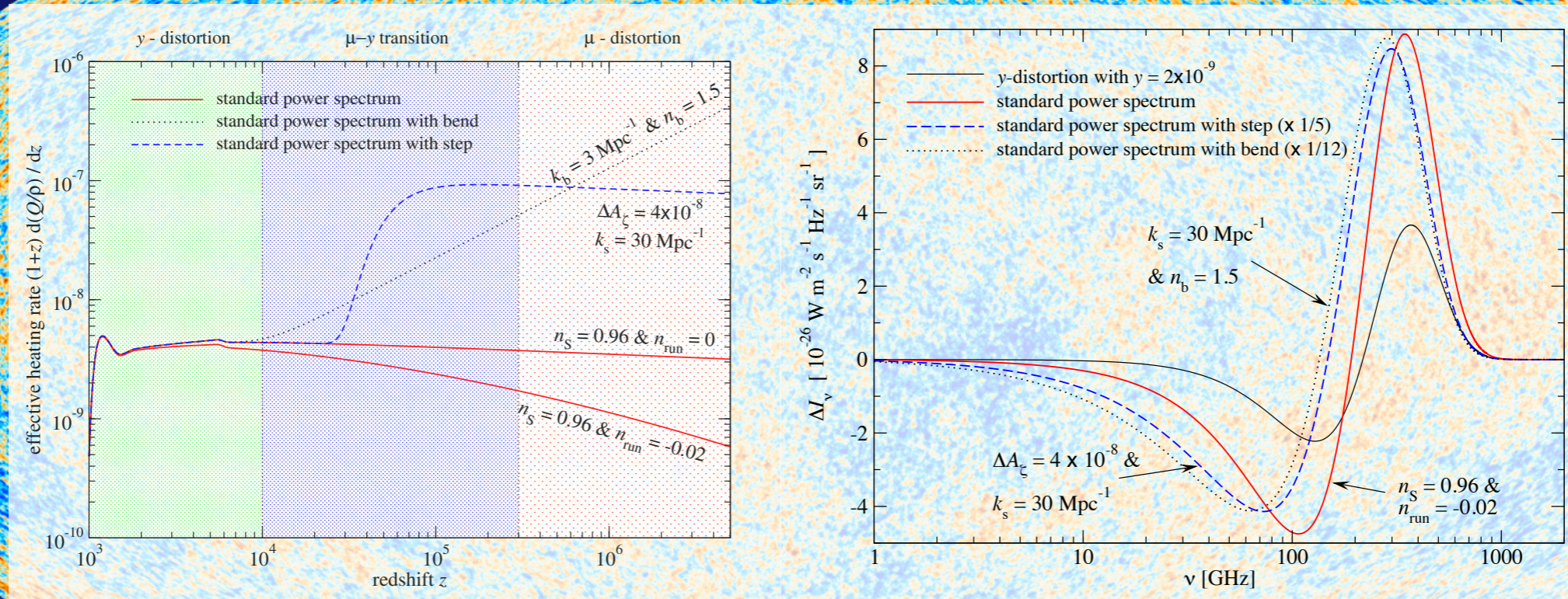


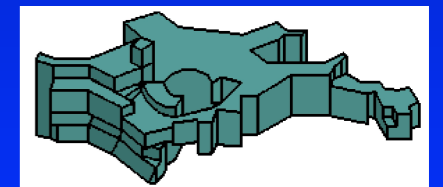
Science with CMB Spectral Distortions: a New Window to Early-Universe and Particle Physics



Jens Chluba

KEK Theory Meeting on Particle Physics Phenomenology

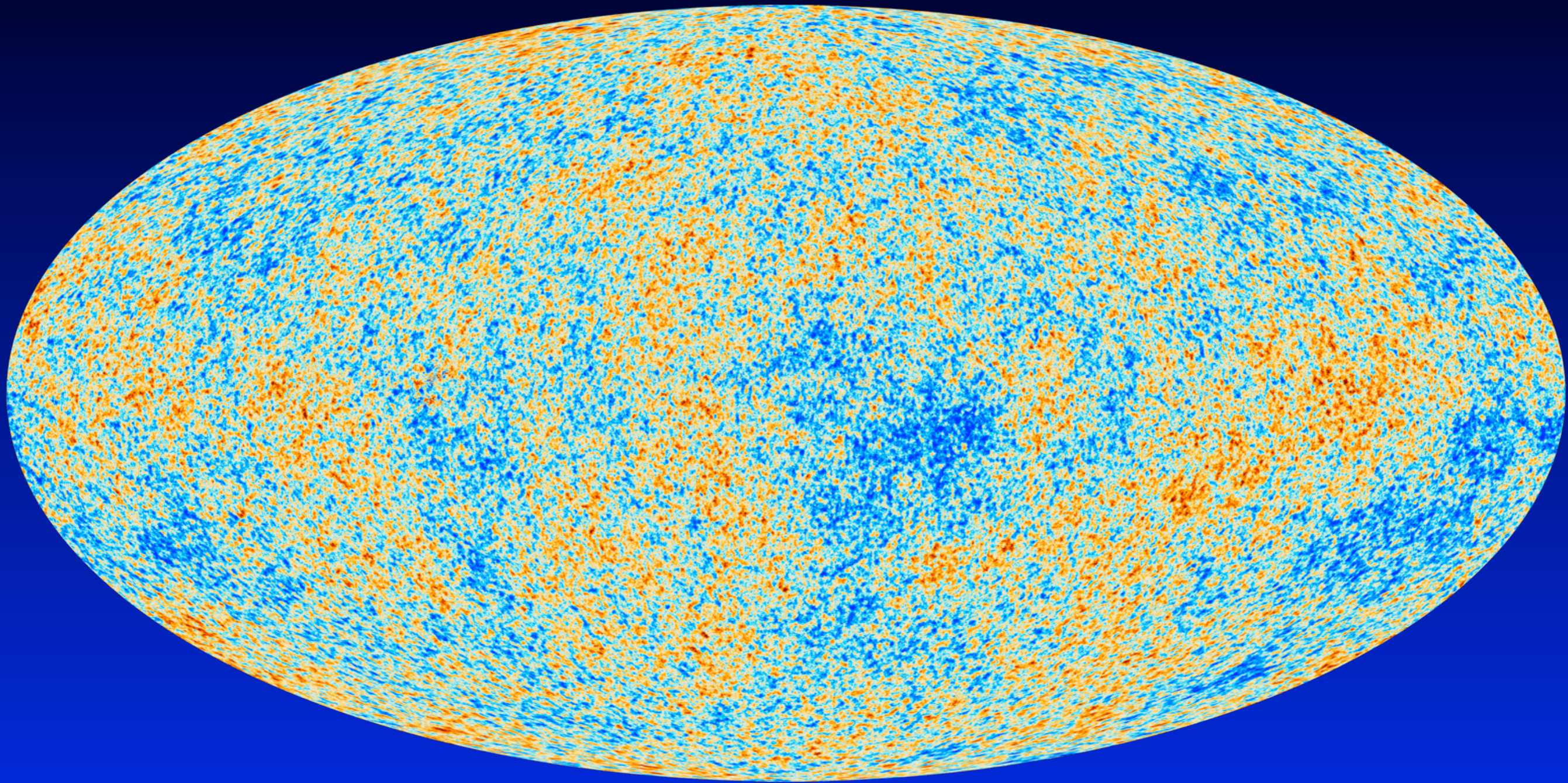
KEK, Japan, Sept 30th - Oct 3rd, 2013



Main Goals for this Lecture

- Convince you that future CMB distortions science will be *extremely* exciting!
- Provide an overview for different sources of early-energy release
- Show why the CMB spectrum is a *complementary* probe of inflation physics and particle physics

Cosmic Microwave Background Anisotropies



Planck all sky map

- CMB has a blackbody spectrum in every direction
- tiny variations of the CMB temperature $\Delta T/T \sim 10^{-5}$

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Today we are Interested in the CMB Monopole Signal!!!

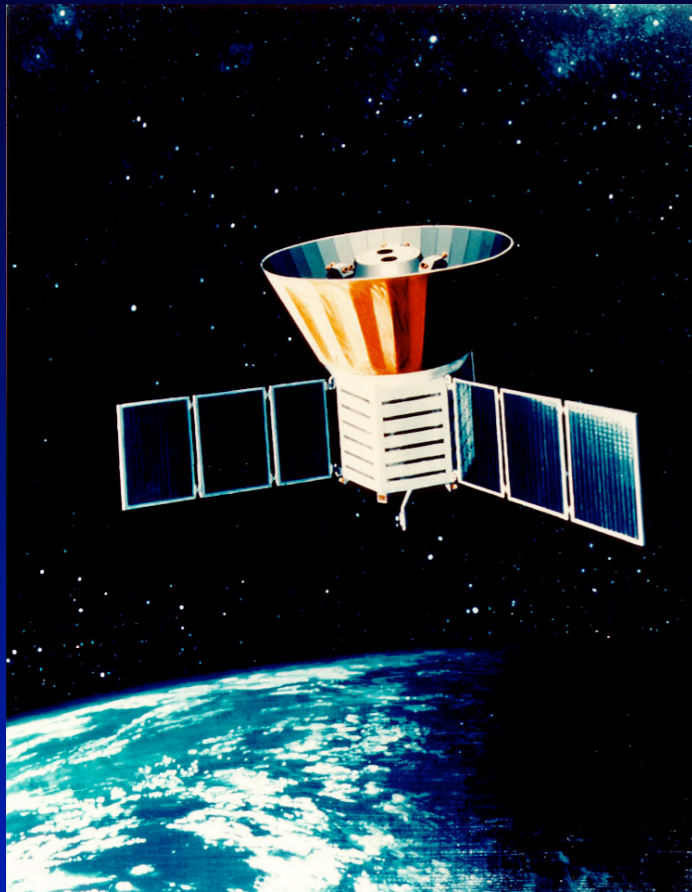
COBE/FIRAS

$$T_0 = (2.726 \pm 0.001) \text{ K}$$

Mather et al., 1994, ApJ, 420, 439
Fixsen et al., 1996, ApJ, 473, 576
Fixsen, 2003, ApJ, 594, 67
Fixsen, 2009, ApJ, 707, 916

- CMB monopole is 10000 - 100000 times larger than fluctuations!

COBE / FIRAS (Far InfraRed Absolute Spectrophotometer)



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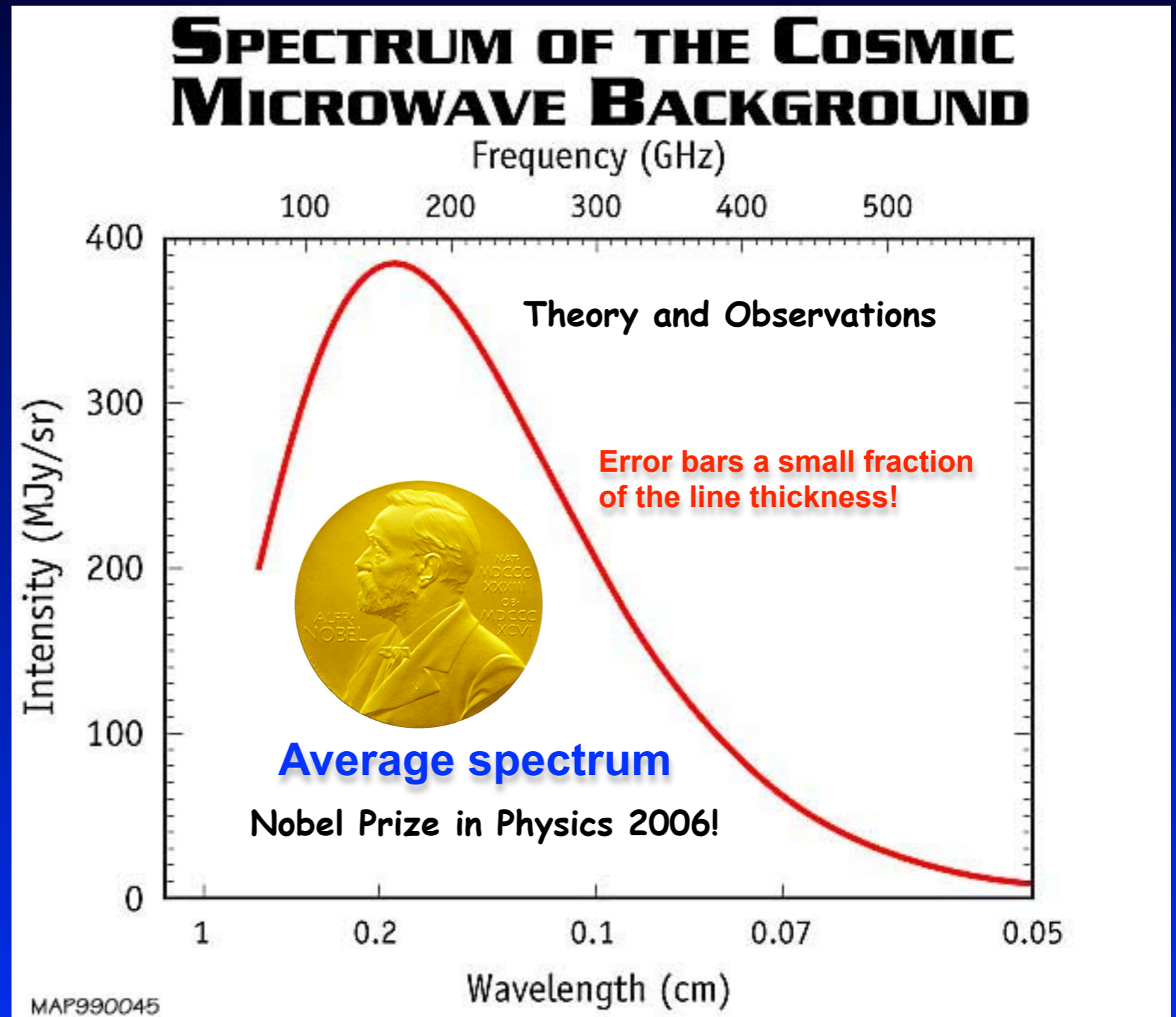
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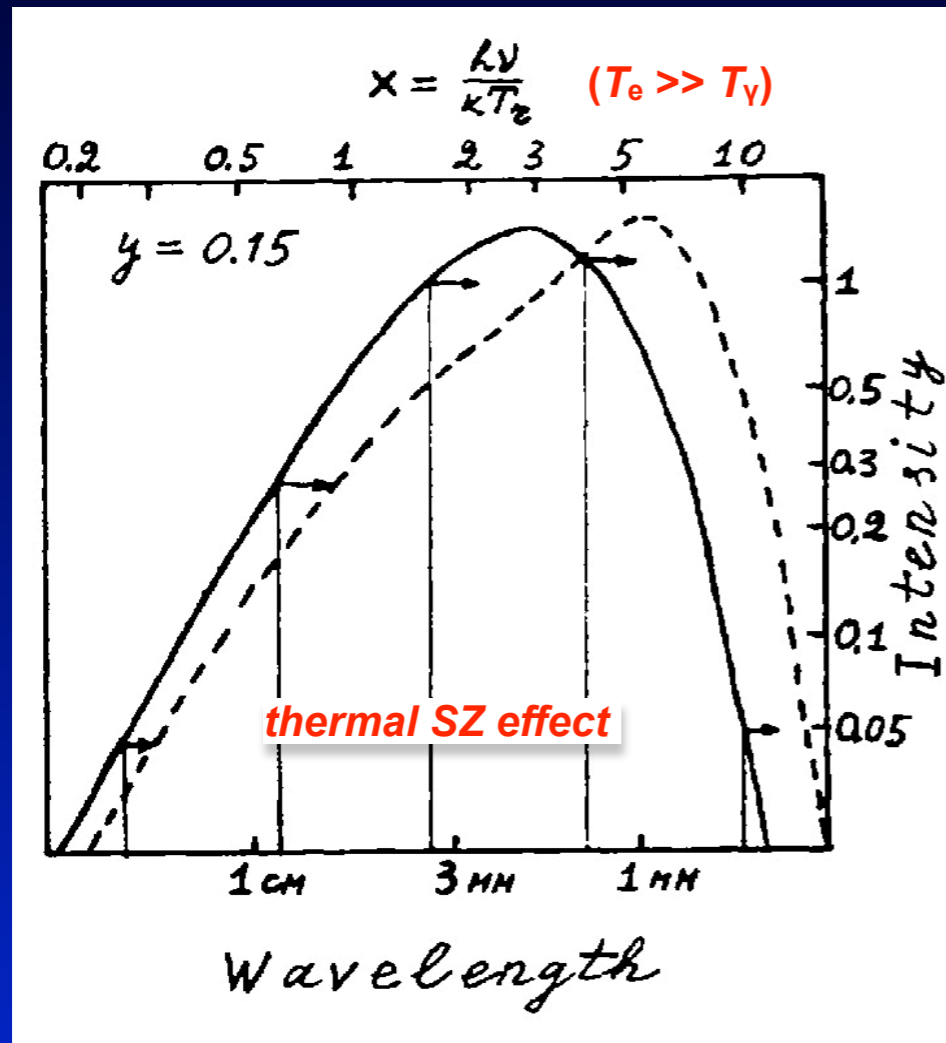
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Small Sneak Preview....

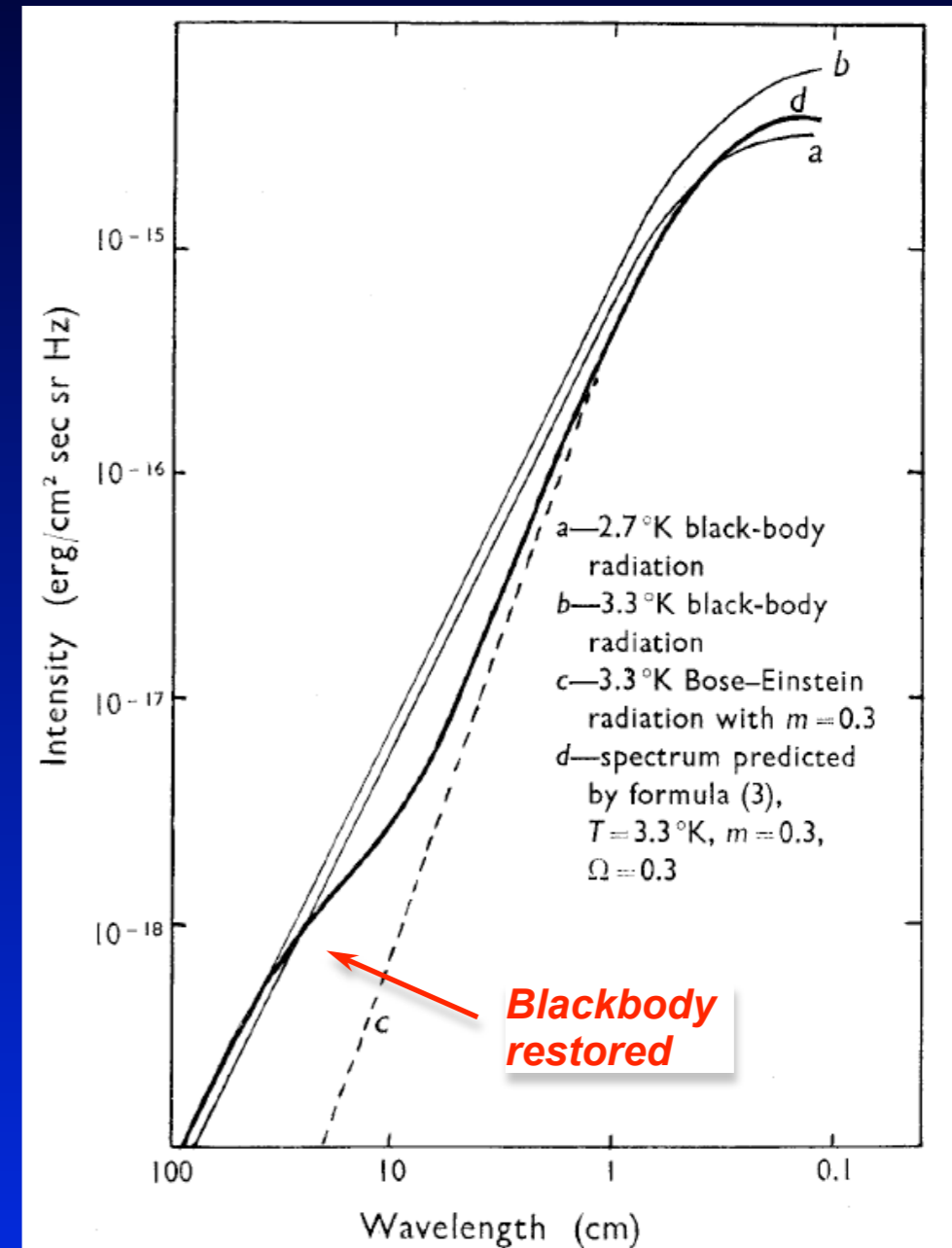
Compton y -distortion



Sunyaev & Zeldovich, 1980, ARAA, 18, 537

- also known from thSZ effect
- up-scattering of CMB photon
- important at late times ($z < 50000$)
- scattering inefficient

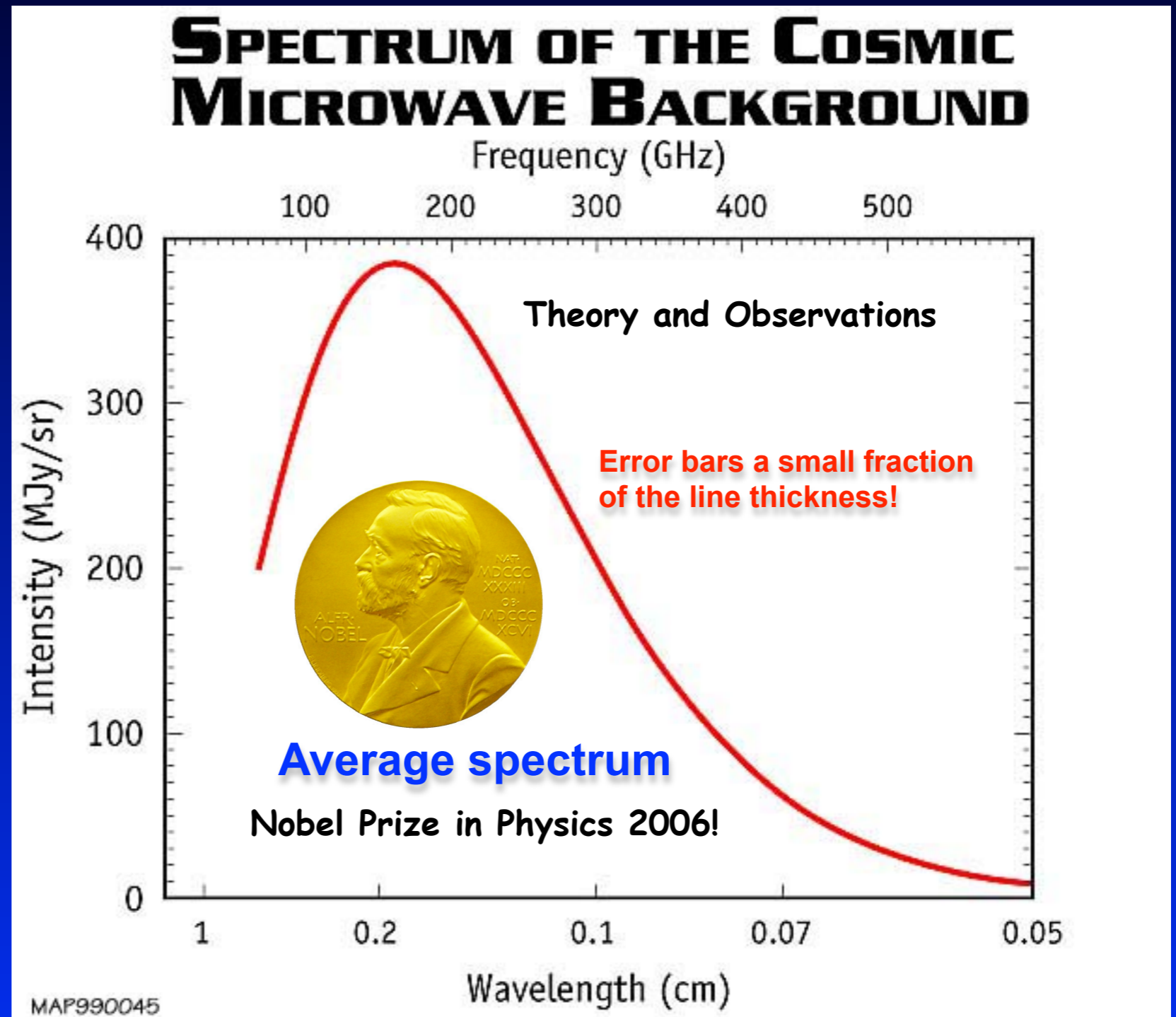
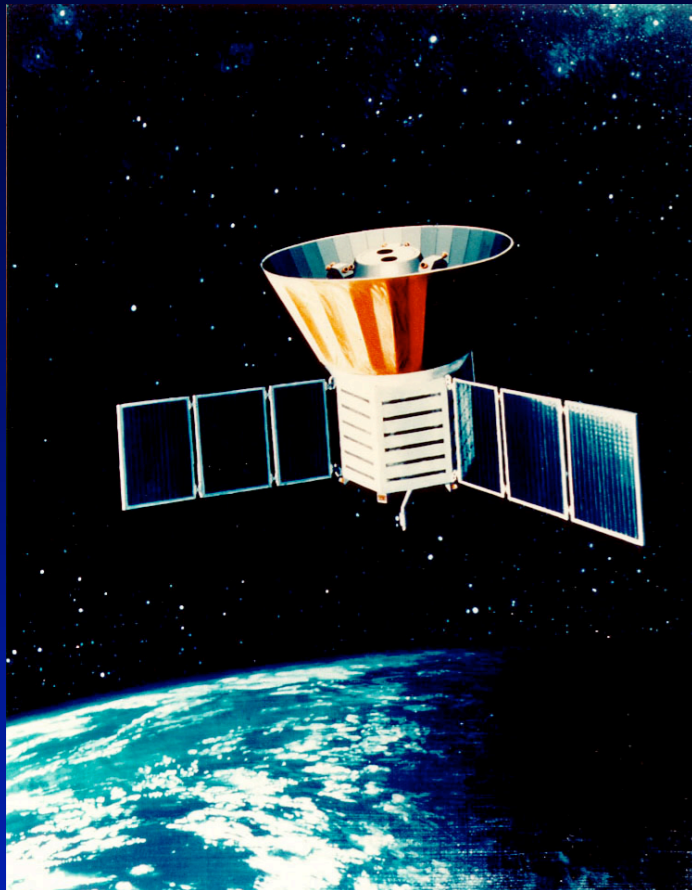
Chemical potential μ -distortion



Sunyaev & Zeldovich, 1970, ApSS, 2, 66

- important at very times ($z > 50000$)
- scattering very efficient

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Only very small distortions of CMB spectrum are still allowed!

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Full thermodynamic equilibrium (certainly valid at very high redshift)

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- Photon number density and energy density determined by temperature T_γ

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$$N_\gamma \sim 411 \text{ cm}^{-3} (1+z)^3 \sim 2 \times 10^9 N_b \text{ (entropy density dominated by photons)}$$

$$\rho_\gamma \sim 5.1 \times 10^{-7} m_e c^2 \text{ cm}^{-3} (1+z)^4 \sim \rho_b \times (1+z) / 925 \sim 0.26 \text{ eV cm}^{-3} (1+z)^4$$

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- Energy injection (interaction *matter* \leftrightarrow *photons*)
- Production of (energetic) photons and/or particles (i.e. change of entropy)

→ **CMB spectrum deviates from a pure blackbody**

→ **thermalization process (partially) erases distortions**

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Measurements of CMB spectrum place very tight limits on the thermal history of our Universe!

Why bother? No distortion detected so far!??

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(JC, 2005; JC & Sunyaev 2011; Khatri, Sunyaev & JC, 2011)

- continuous *cooling* of photons until redshift $z \sim 150$ via Compton scattering
- due to huge heat capacity of photon field distortion very small ($\Delta\rho/\rho \sim 10^{-10}$ - 10^{-9})

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- lifetimes, decay channels, neutrino fraction, (at low redshifts: environments), ...

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- **Signatures due to first supernovae and their remnants**

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- **Shock waves arising due to large-scale structure formation**

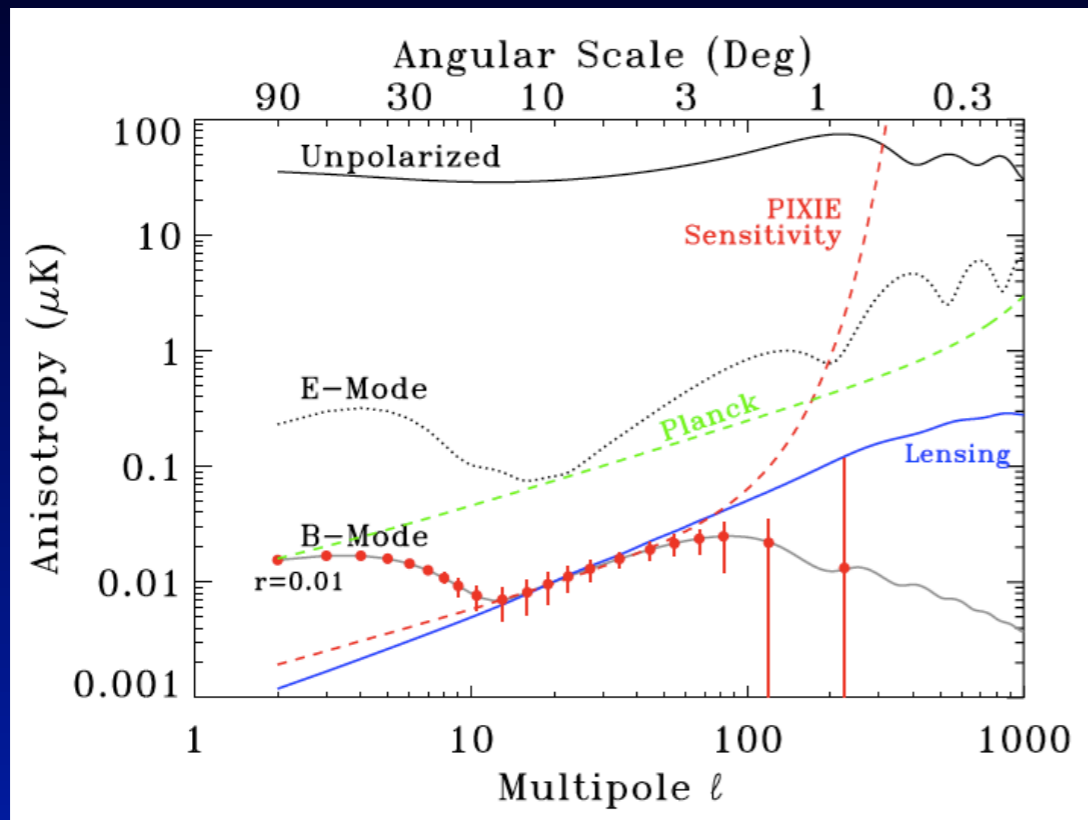
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- **SZ-effect from clusters; effects of reionization** (Heating of medium by X-Rays, Cosmic Rays, etc)

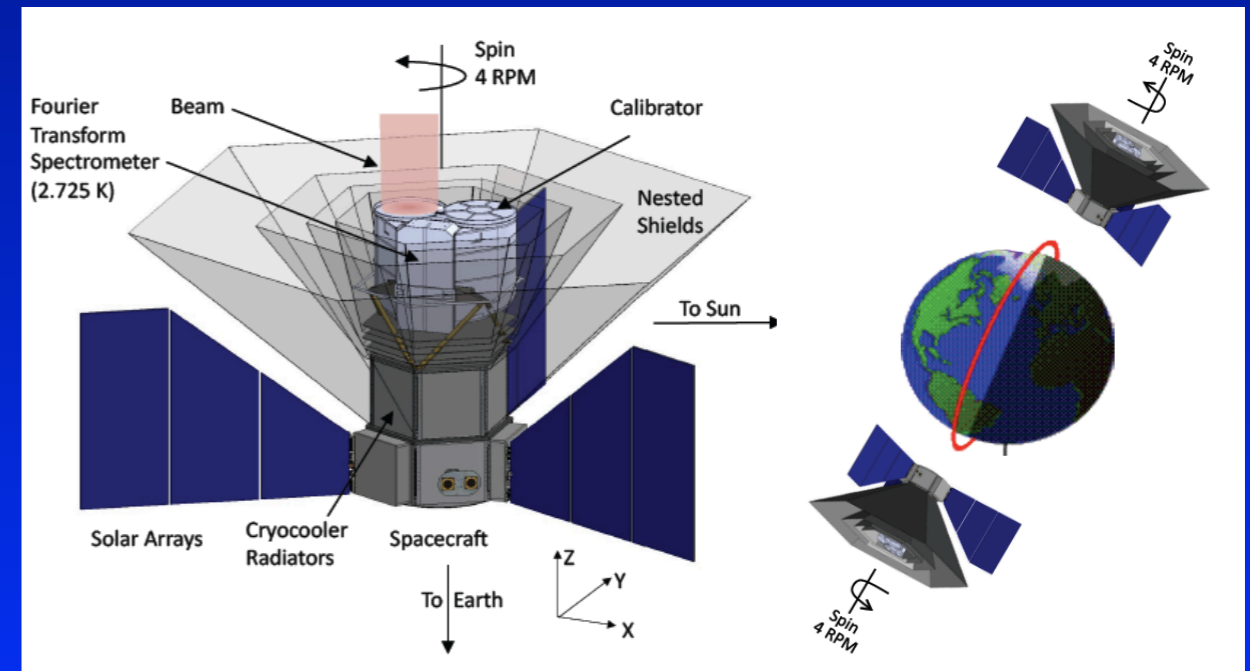
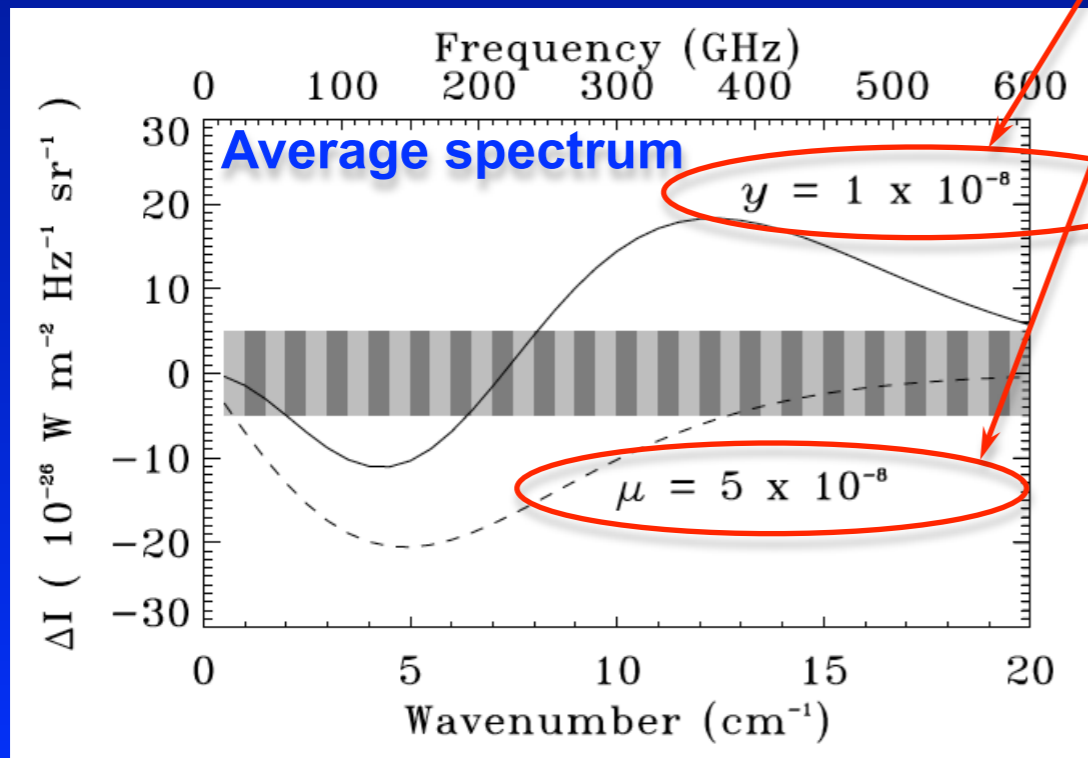
pre-recombination epoch

post-recombination

PIXIE: Primordial Inflation Explorer

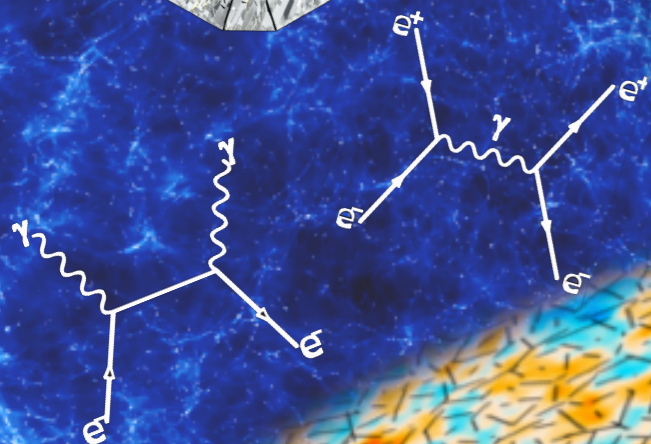
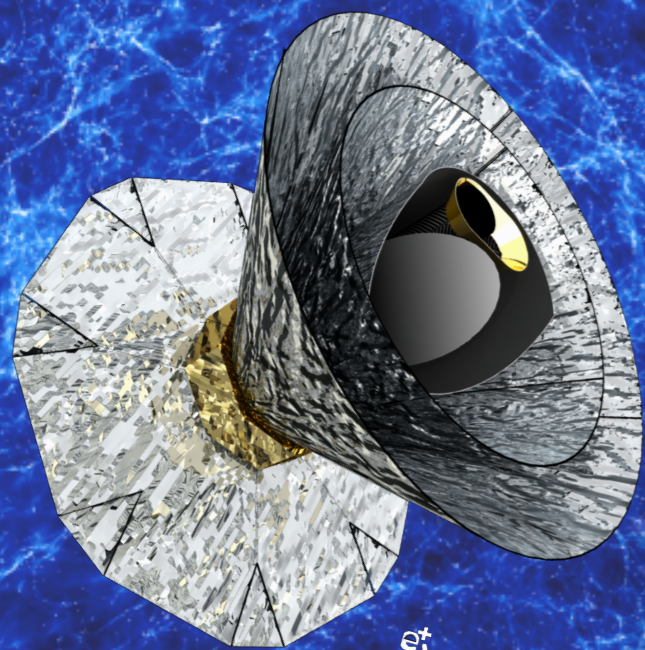


- 400 spectral channel in the frequency range 30 GHz and 6THz ($\Delta\nu \sim 15\text{GHz}$)
- about 1000 (!!!) times more sensitive than COBE/FIRAS
- B-mode polarization from inflation ($r \approx 10^{-3}$)
- improved limits on μ and y
- was proposed 2011 as NASA EX mission (i.e. cost ~ 200 M\$)



PRISM

Probing cosmic structures and radiation with the ultimate polarimetric spectro-imaging of the microwave and far-infrared sky



Spokesperson: Paolo de Bernardis
e-mail: paolo.debernardis@roma1.infn.it — tel: + 39 064 991 4271

Instruments:

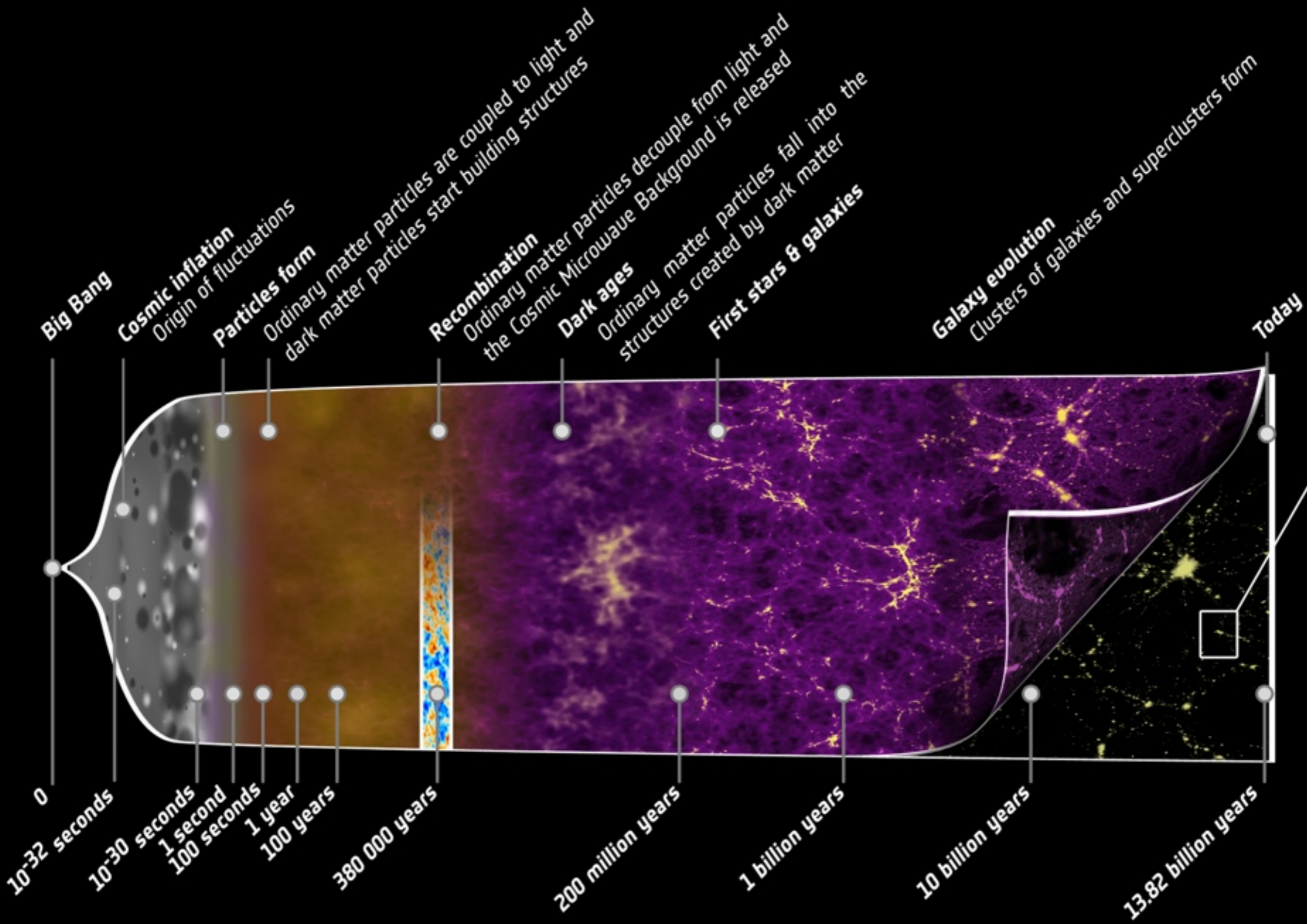
- L-class ESA mission
- White paper, May 24th, 2013
- Imager:
 - polarization sensitive
 - 3.5m telescope [arcmin resolution at highest frequencies]
 - 30GHz-6THz [30 broad ($\Delta\nu/\nu\sim 25\%$) and 300 narrow ($\Delta\nu/\nu\sim 2.5\%$) bands]
- Spectrometer:
 - FTS similar to PIXIE
 - 30GHz-6THz ($\Delta\nu\sim 15$ & 0.5 GHz)

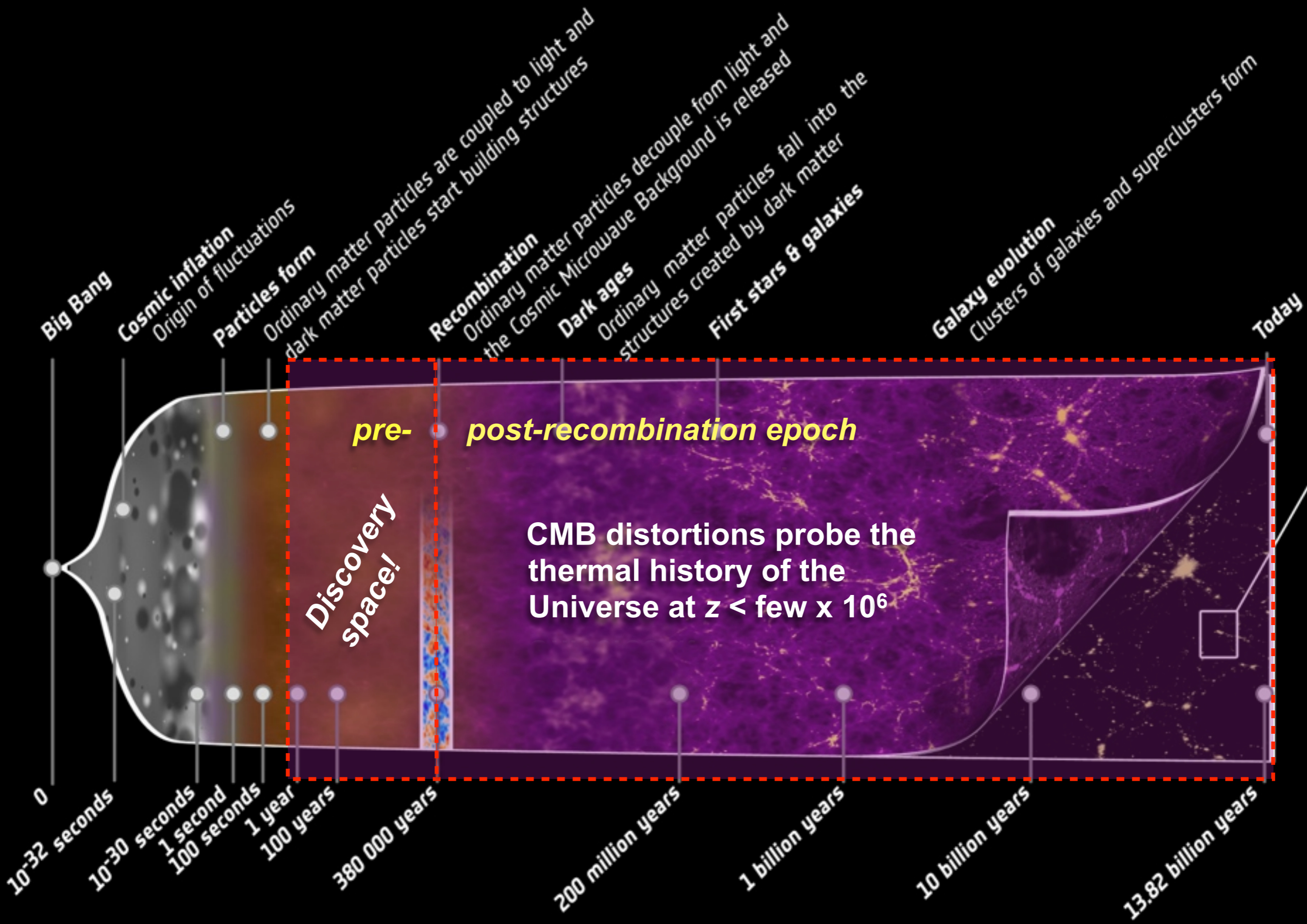
Some of the science goals:

- B-mode polarization from inflation ($r \approx 5 \times 10^{-4}$)
- count all SZ clusters $> 10^{14} M_{\text{sun}}$
- CIB/large scale structure
- Galactic science
- *CMB spectral distortions*

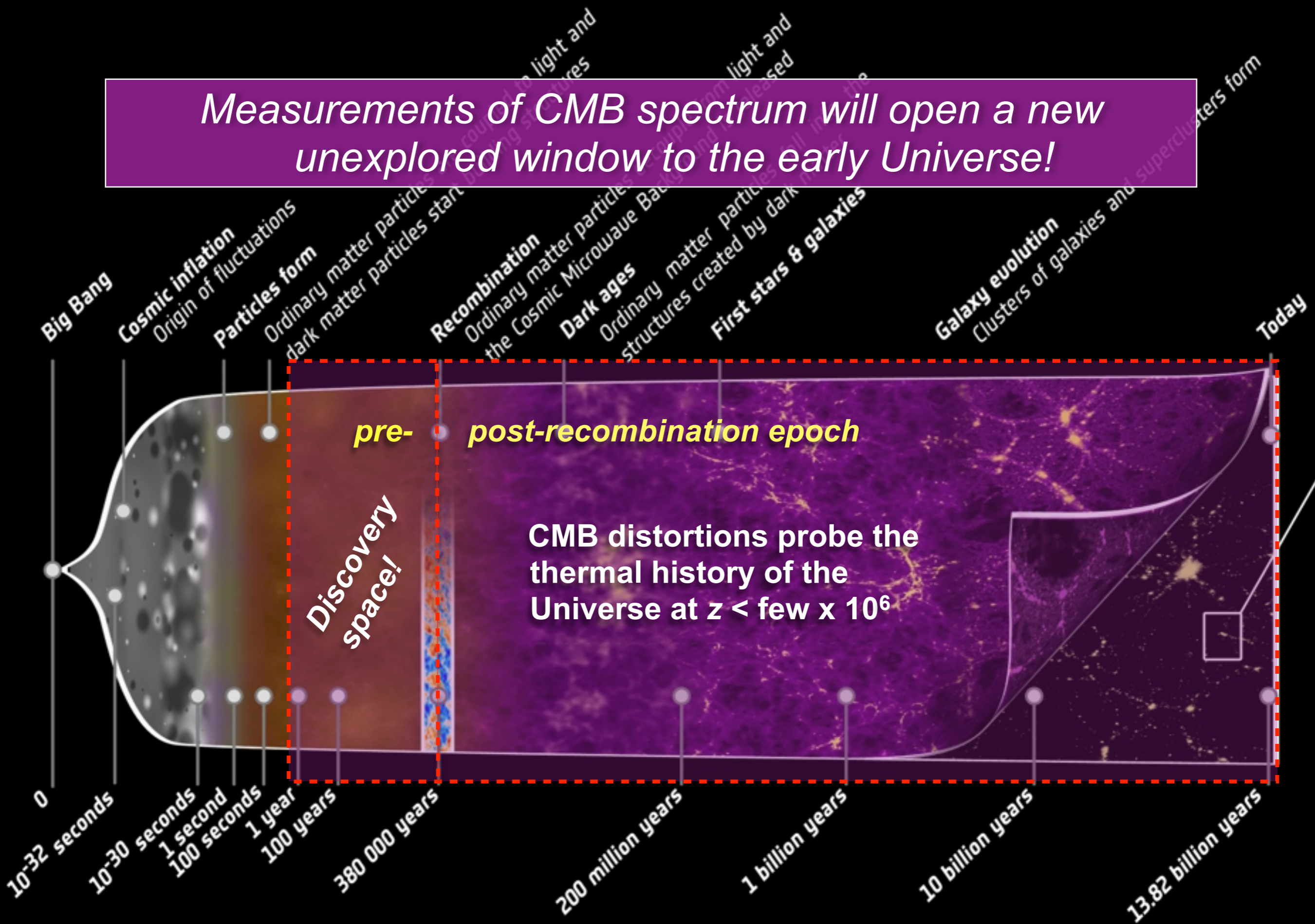
Sign up at:

<http://www.prism-mission.org/>





Measurements of CMB spectrum will open a new unexplored window to the early Universe!



How does the thermalization process work?

Some important conditions

- Plasma fully ionized before recombination ($z \sim 1000$)
 - free electrons, protons and helium nuclei
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- Hubble expansion
 - adiabatic cooling of photons [$T_\gamma \sim (1+z)$] and ordinary matter [$T_m \sim (1+z)^2$]
 - redshifting of photons

Redistribution of photons by Compton scattering

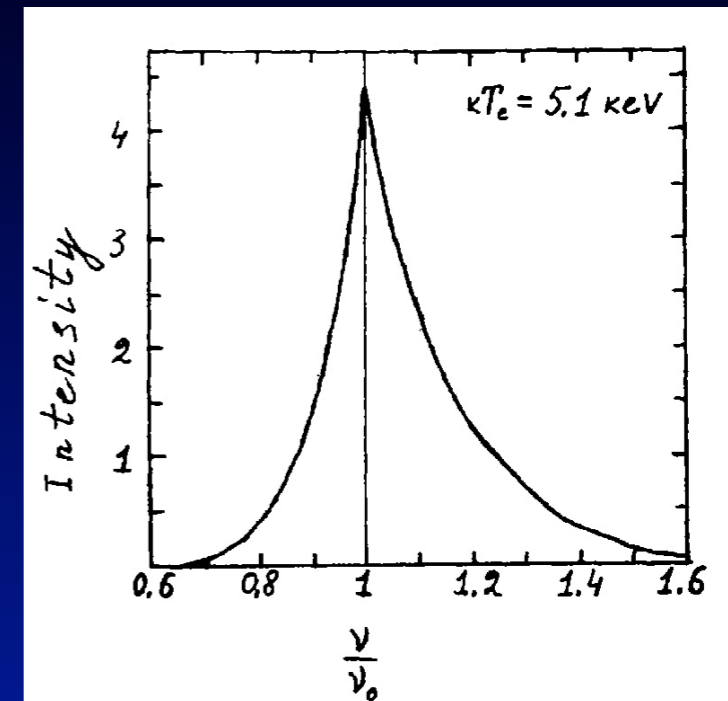
- Compton scattering $e + \gamma \leftrightarrow e' + \gamma'$

→ *redistribution* of photons in frequency

- up-scattering due to the **Doppler** effect for $h\nu < 4kT_e$
- down-scattering because of **recoil** (and stimulated recoil) for $h\nu > 4kT_e$

- **Doppler** broadening $\frac{\Delta\nu}{\nu} \simeq \sqrt{\frac{2kT_e}{m_e c^2}}$

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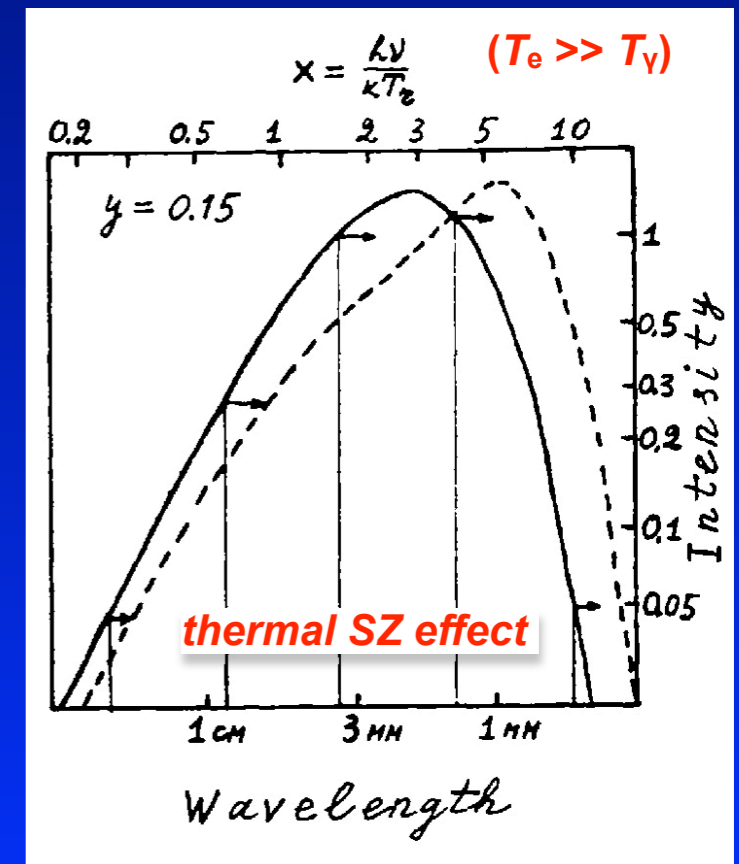
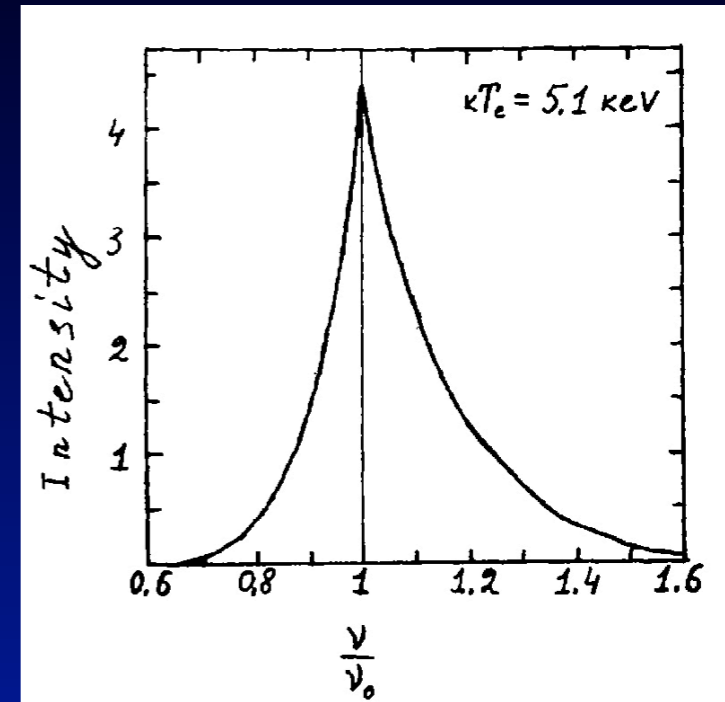
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- **Kompaneets Equation** → ‘pure’ **y-distortion**

$$\frac{\Delta I_\nu}{I_\nu} \simeq y \frac{x e^x}{e^x - 1} \left[x \frac{e^x + 1}{e^x - 1} - 4 \right],$$

Temperature difference

where $x = \frac{h\nu}{kT_\gamma}$ and $y = \int \frac{k(T_e - T_\gamma)}{m_e c^2} \sigma_T n_e dl \ll 1$



Adjusting the photon number

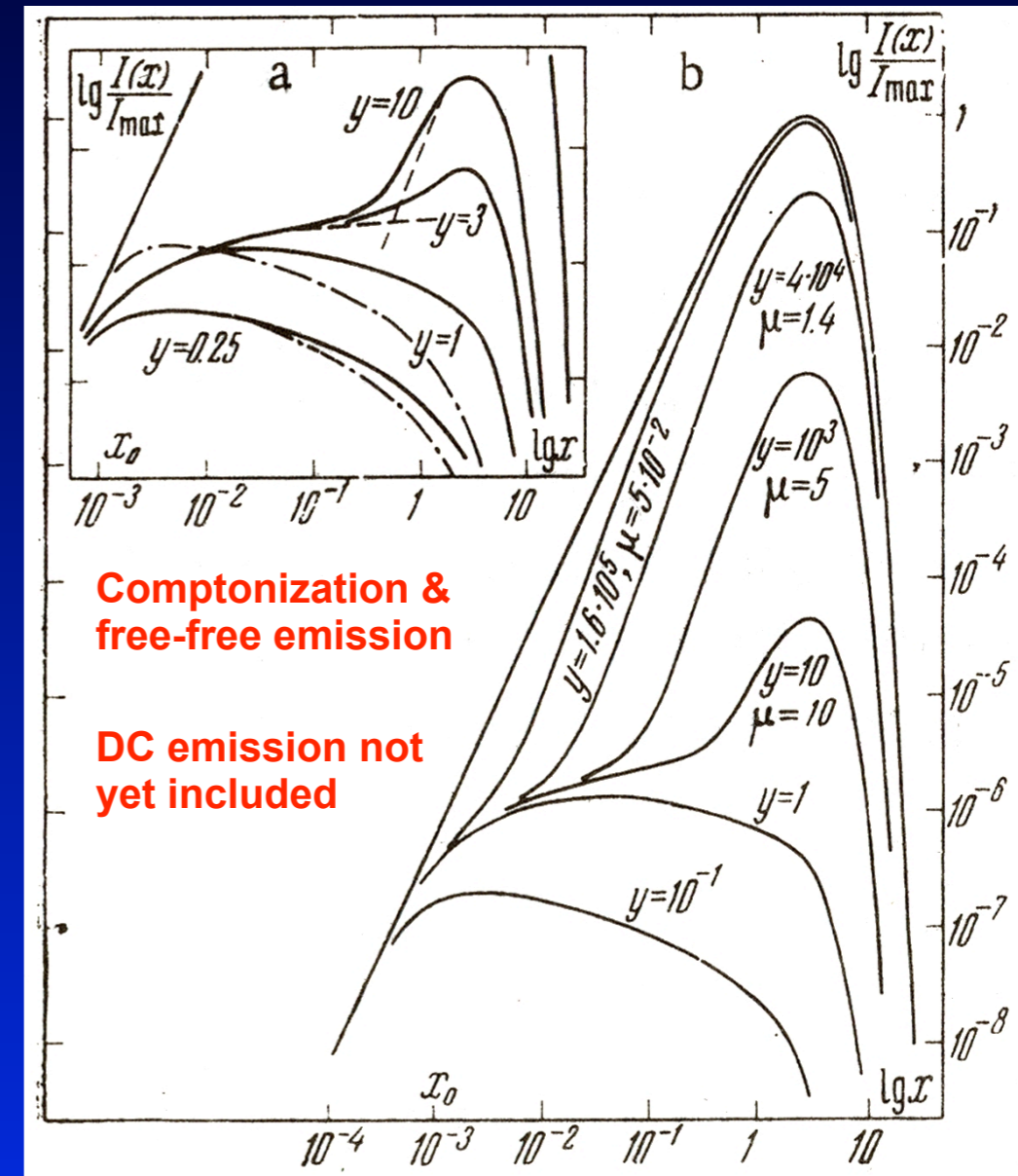
- Bremsstrahlung $e + p \leftrightarrow e' + p + \gamma$
 - 1. order α correction to *Coulomb* scattering
 - production of low frequency photons
 - important for the evolution of the distortion at low frequencies and late times ($z < 2 \times 10^5$)

- Double Compton scattering

(Lightman 1981; Thorne, 1981)

$$e + \gamma \leftrightarrow e' + \gamma' + \gamma_2$$

- 1. order α correction to *Compton* scattering
- was only included later (Danese & De Zotti, 1982)
- production of low frequency photons
- very important at high redshifts ($z > 2 \times 10^5$)



Illarionov & Sunyaev, 1975, Sov. Astr, 18, pp.413

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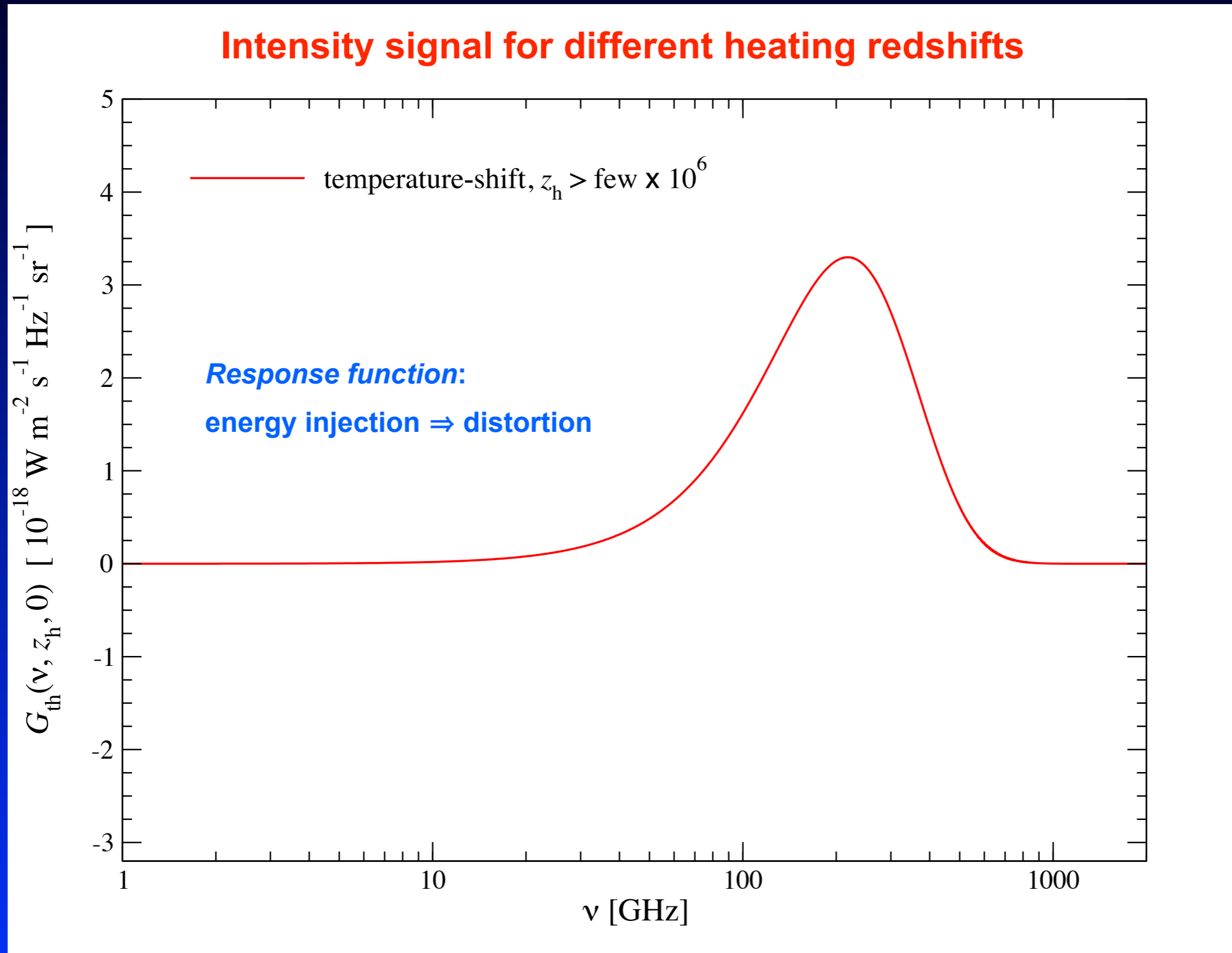
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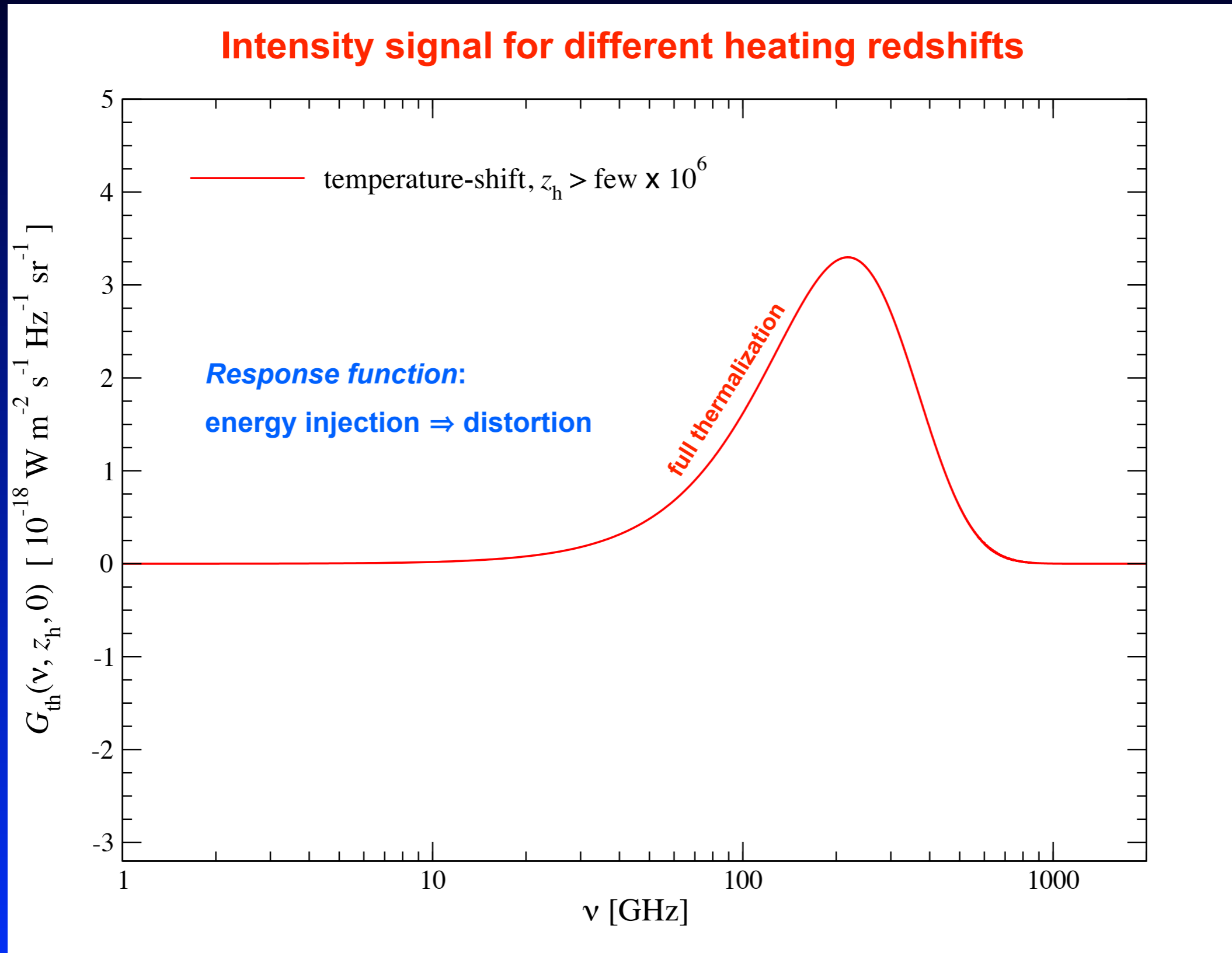
Thermalization Green’s function

- *Fast and quasi-exact! No additional approximations!*

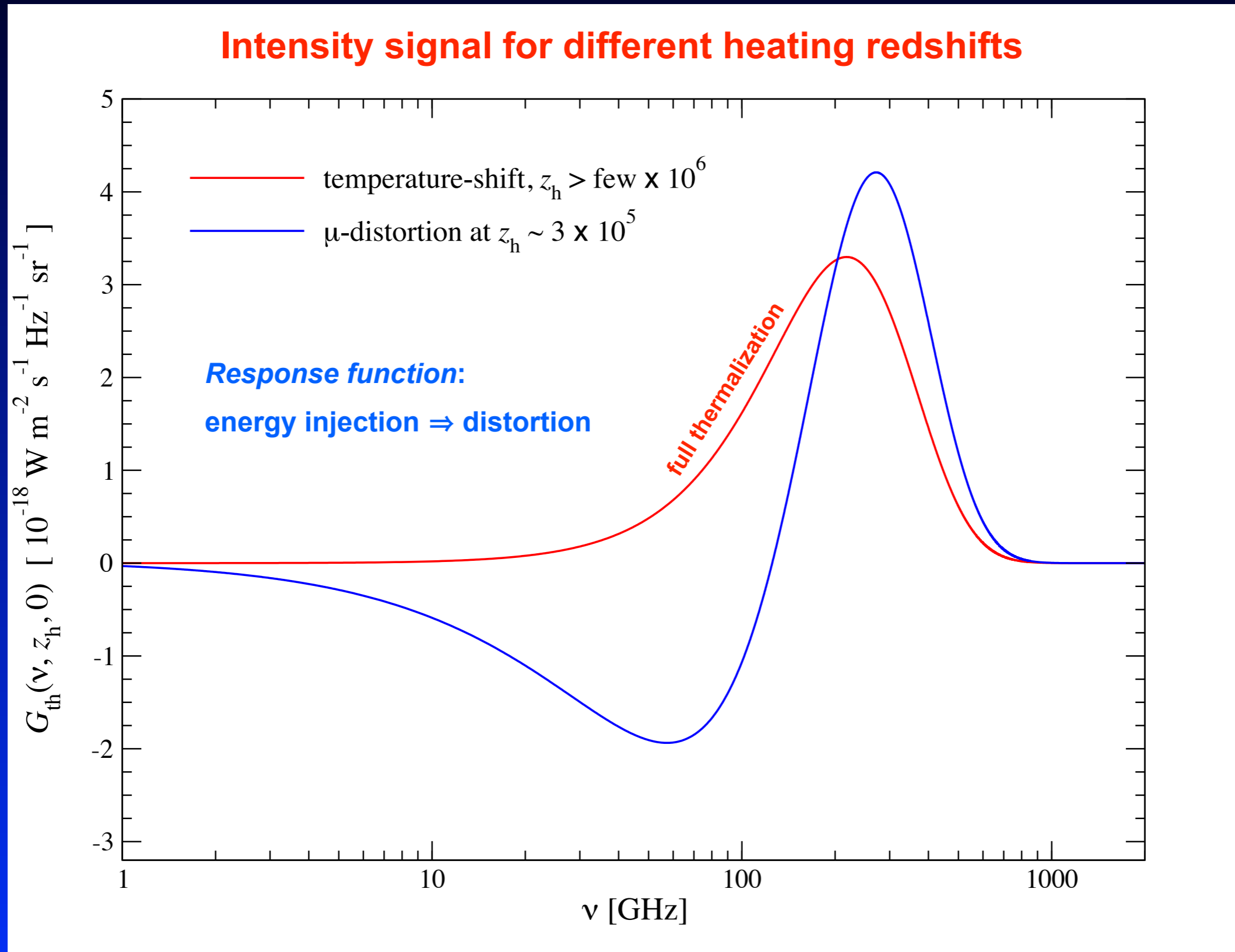
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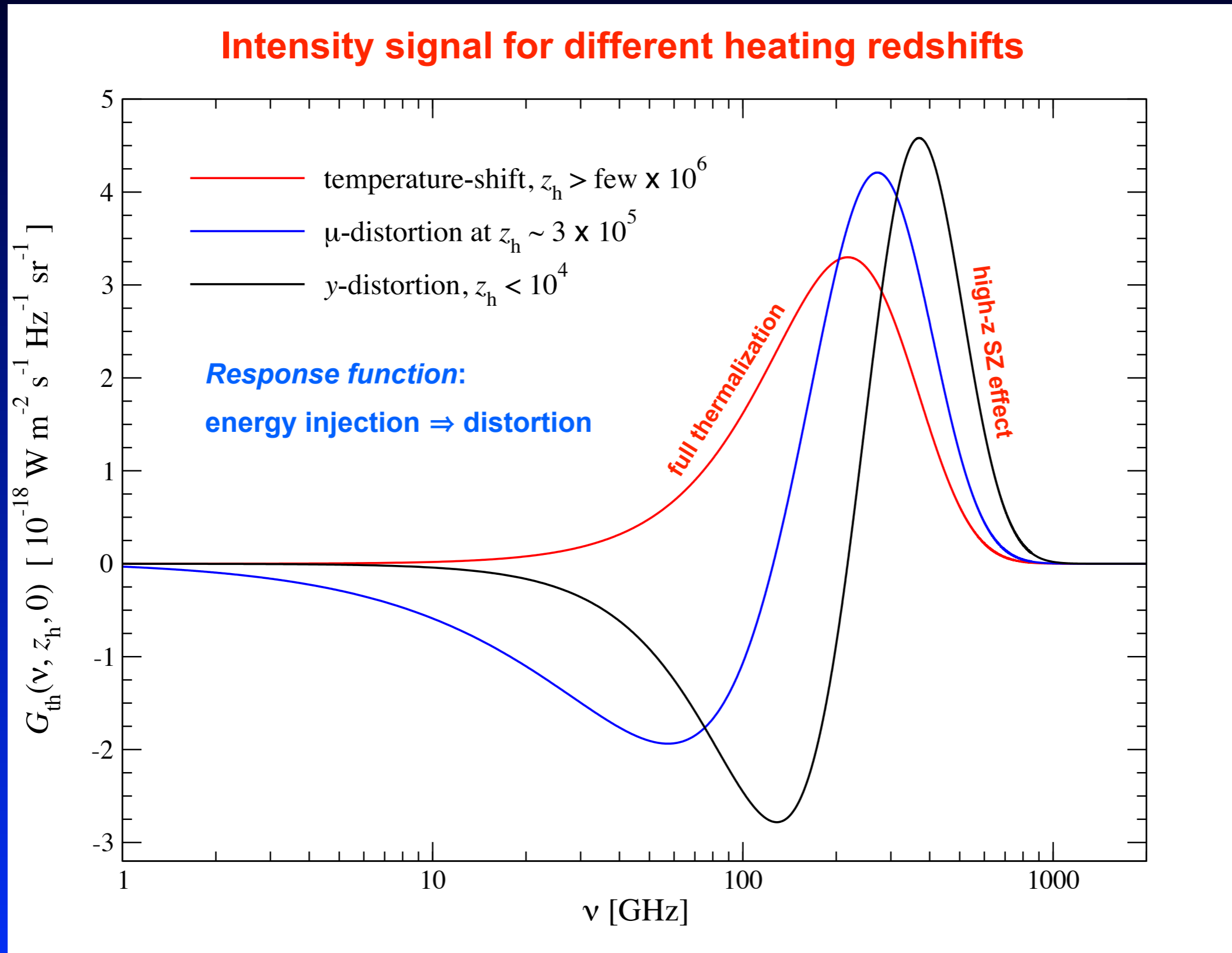
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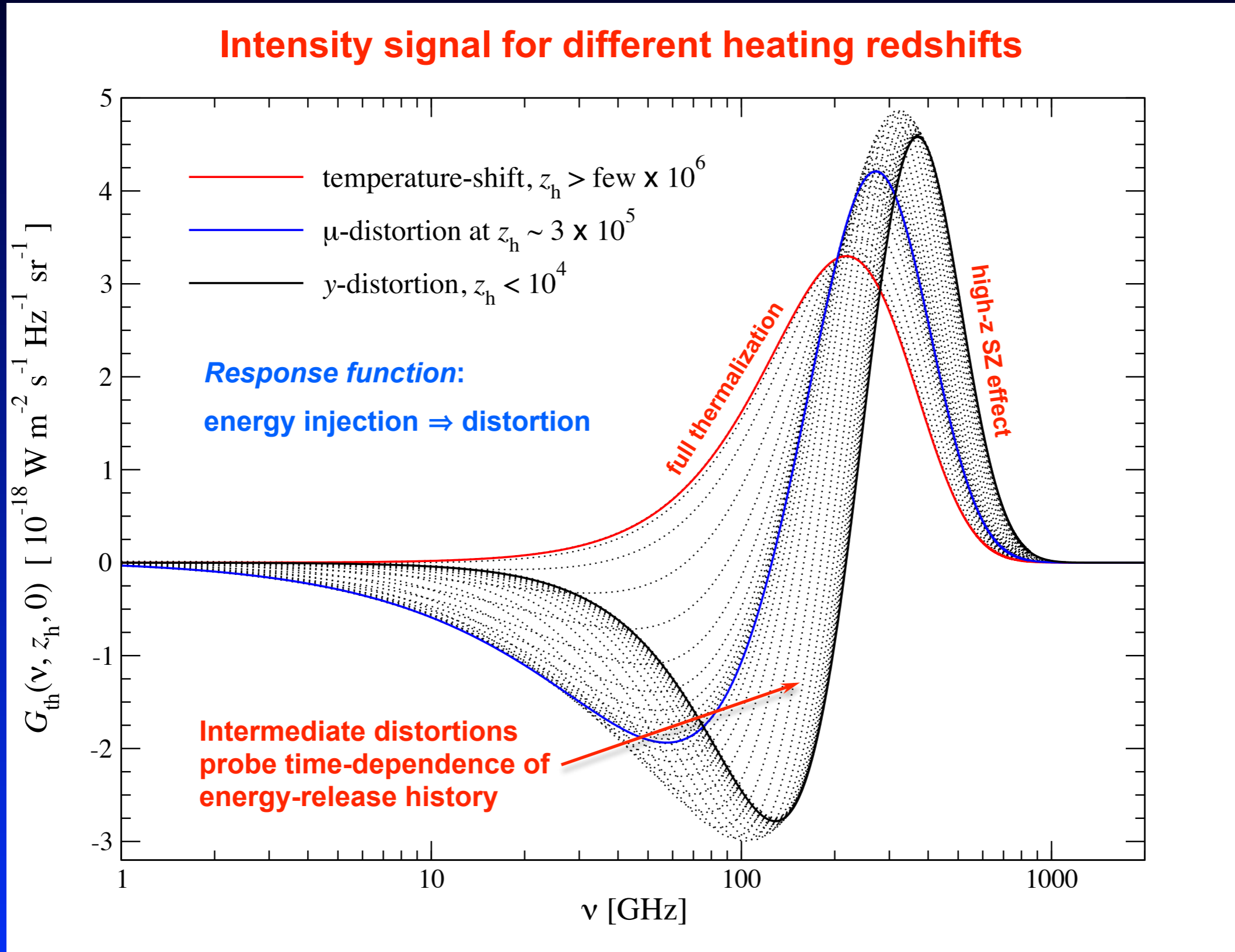
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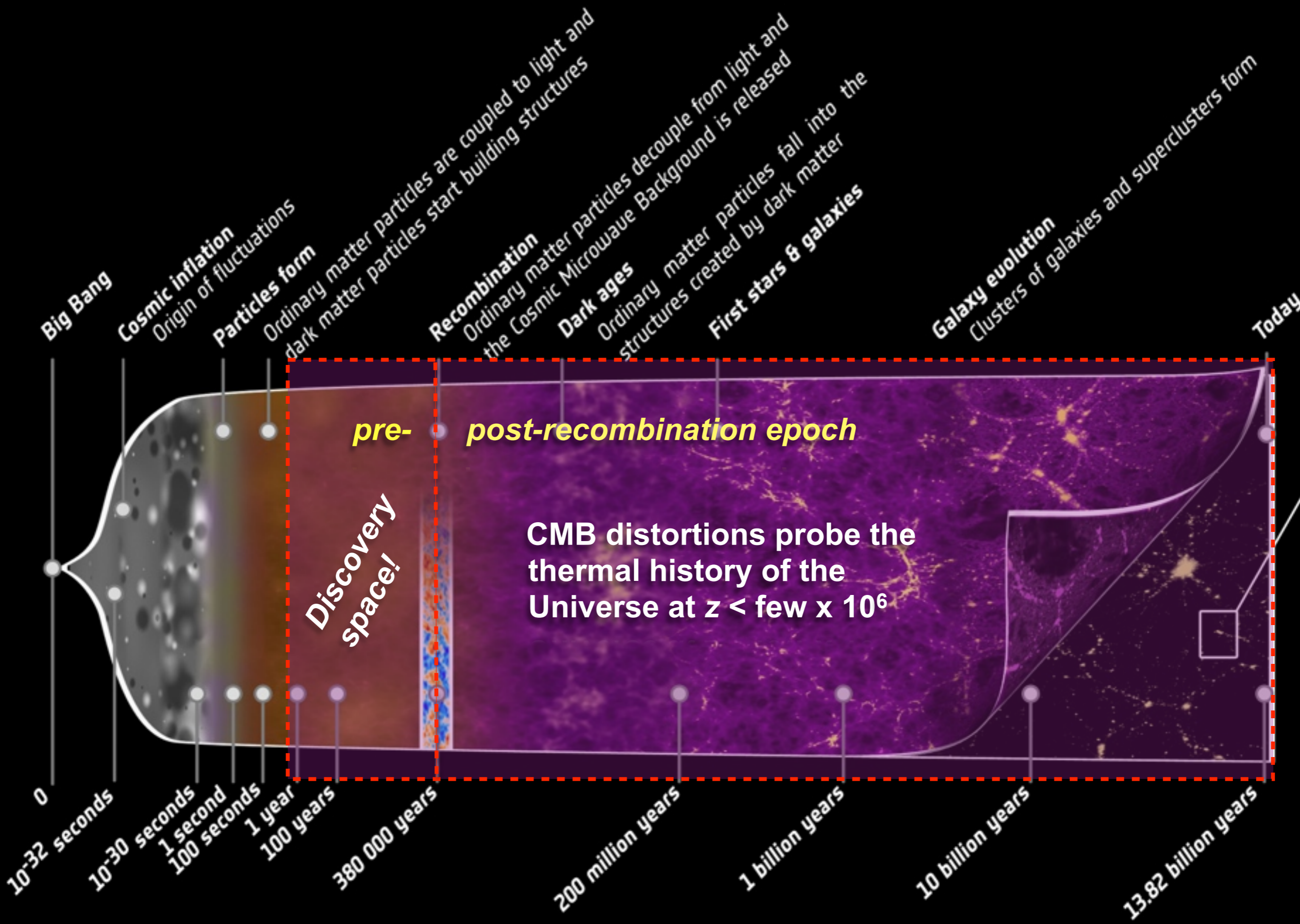


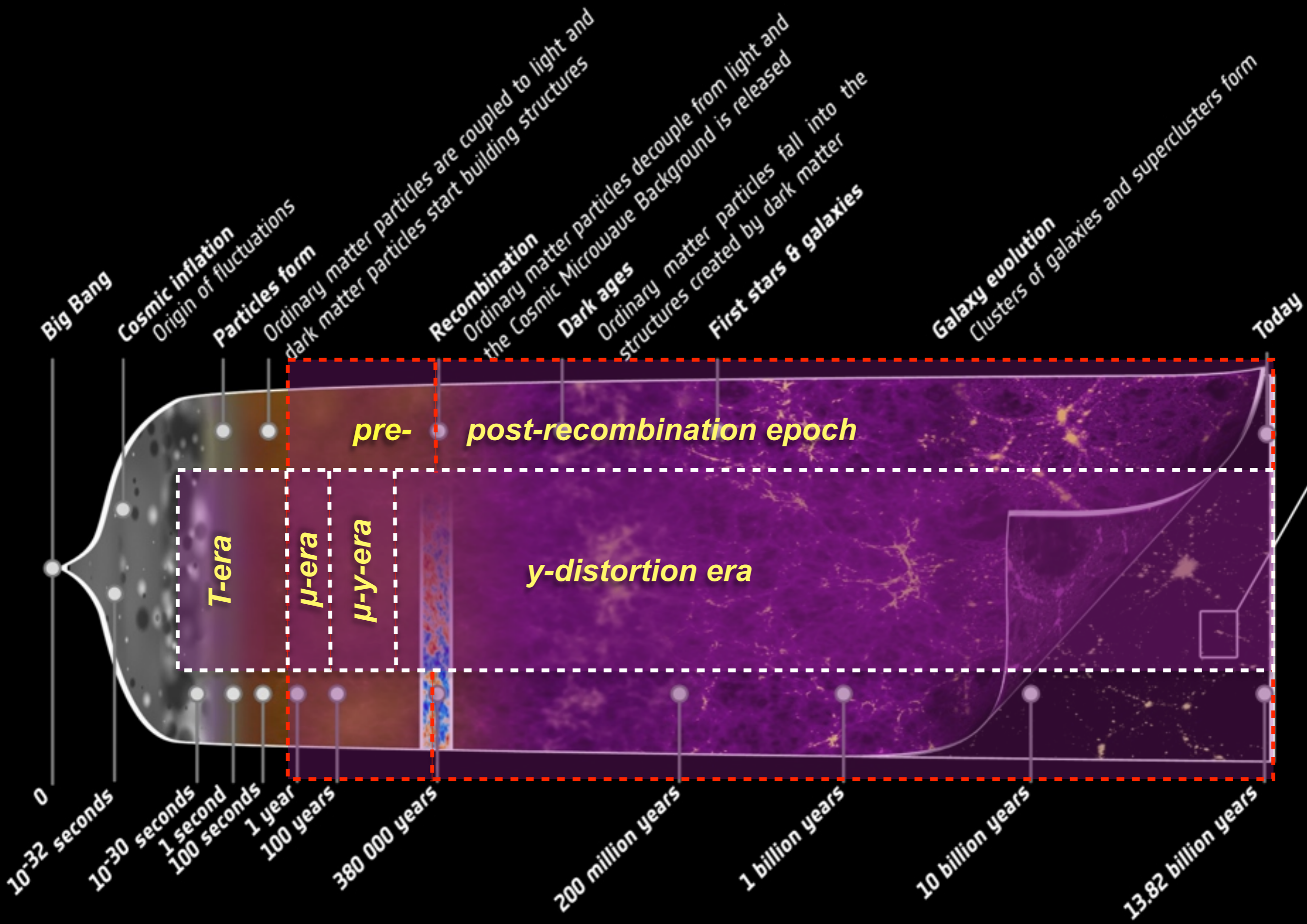
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Physical mechanisms that lead to spectral distortions

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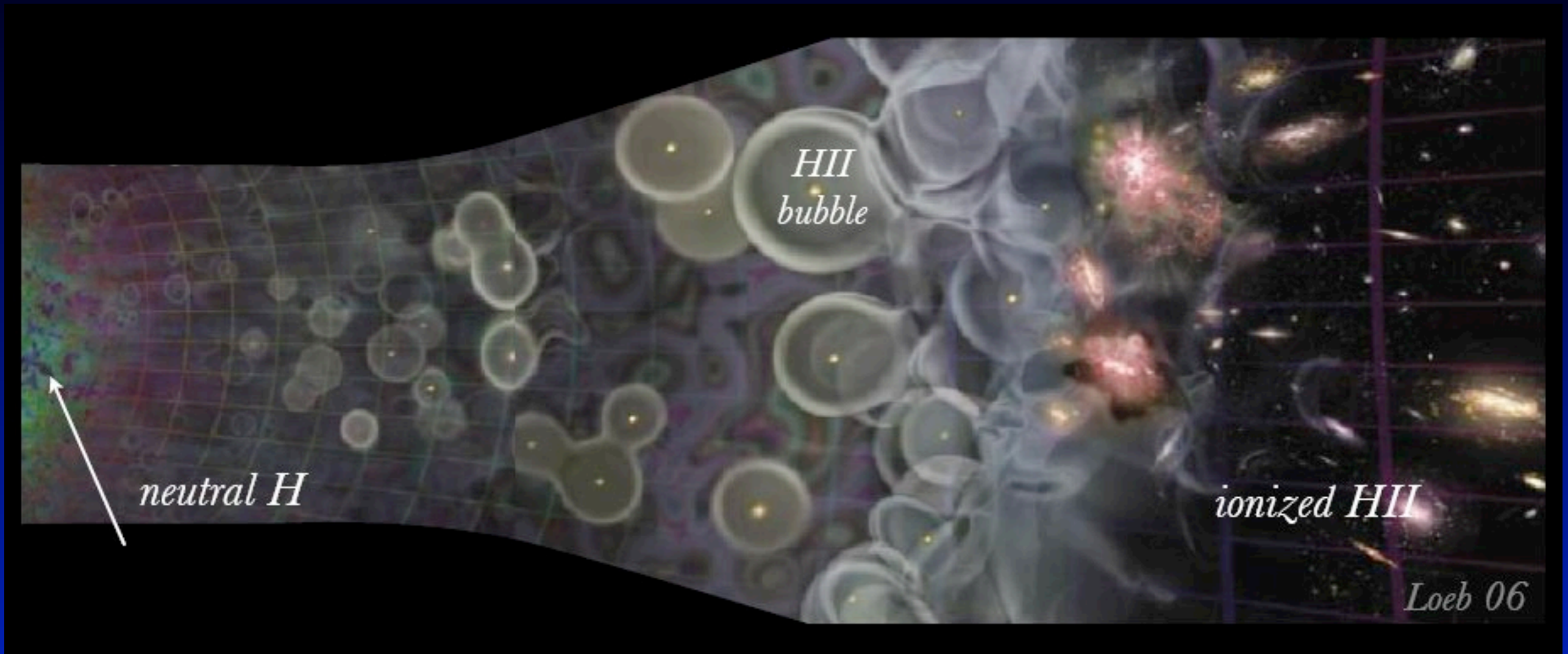
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pre-recombination epoch

post-recombination

Reionization and structure formation

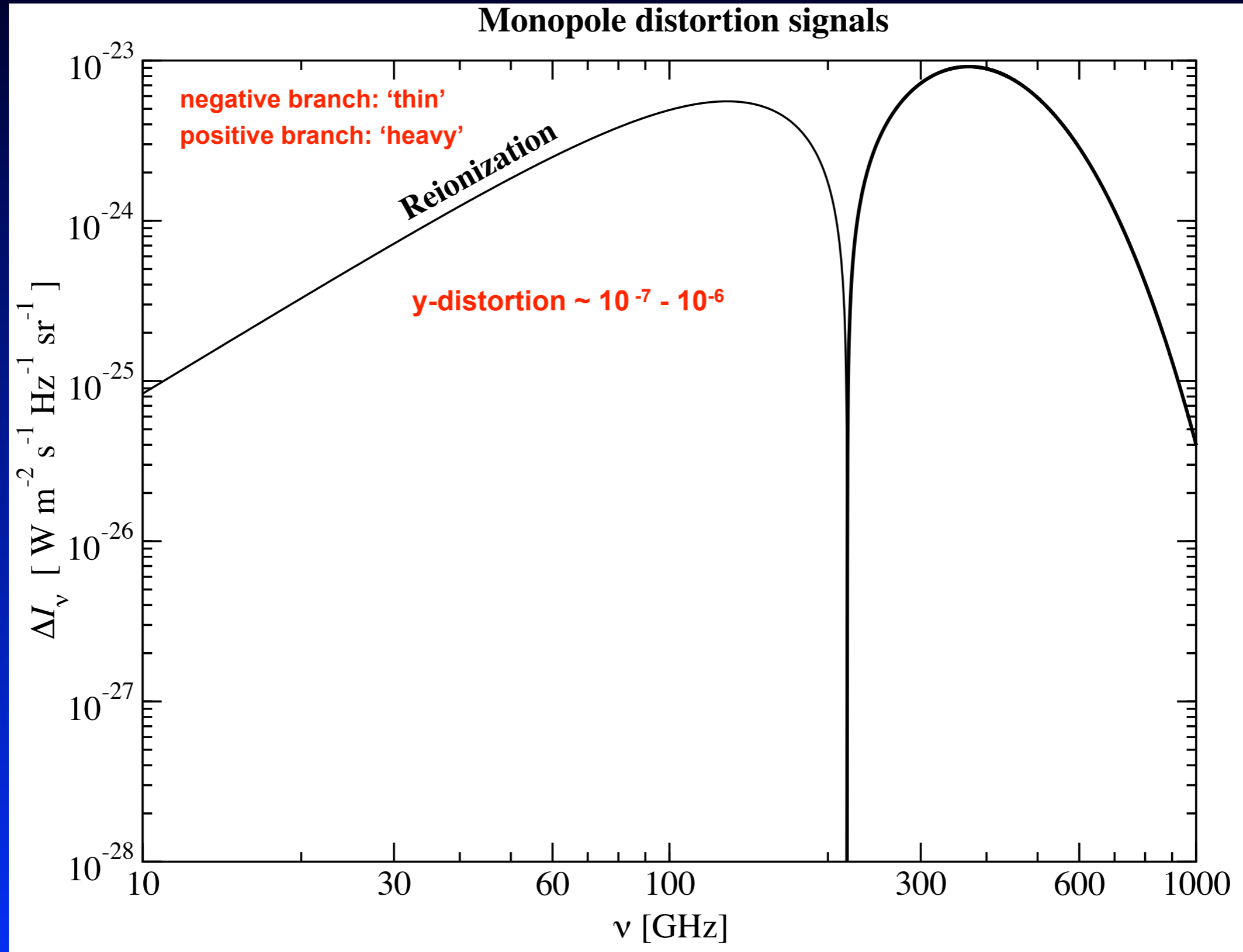
Simple estimates for the distortion



- Gas temperature $T \approx 10^4$ K
 - Thomson optical depth $\tau \approx 0.1$
 - second order Doppler effect $y \approx \text{few} \times 10^{-8}$
 - structure formation / SZ effect (e.g., Refregier et al., 2003) $y \approx \text{few} \times 10^{-7}-10^{-6}$
- $\implies y \approx \frac{kT_e}{m_e c^2} \approx 2 \times 10^{-7}$

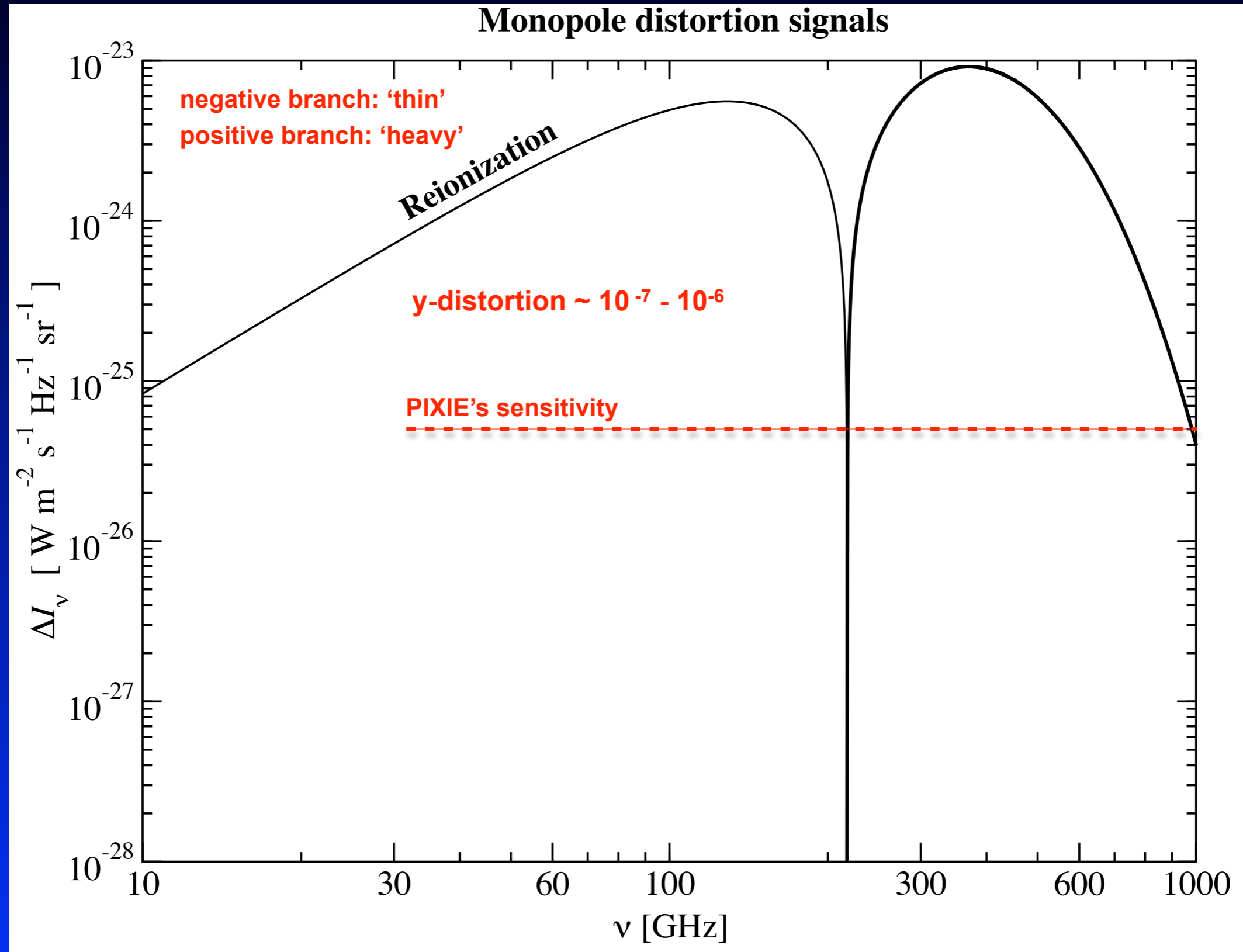
Average CMB spectral distortions

Absolute value of Intensity signal



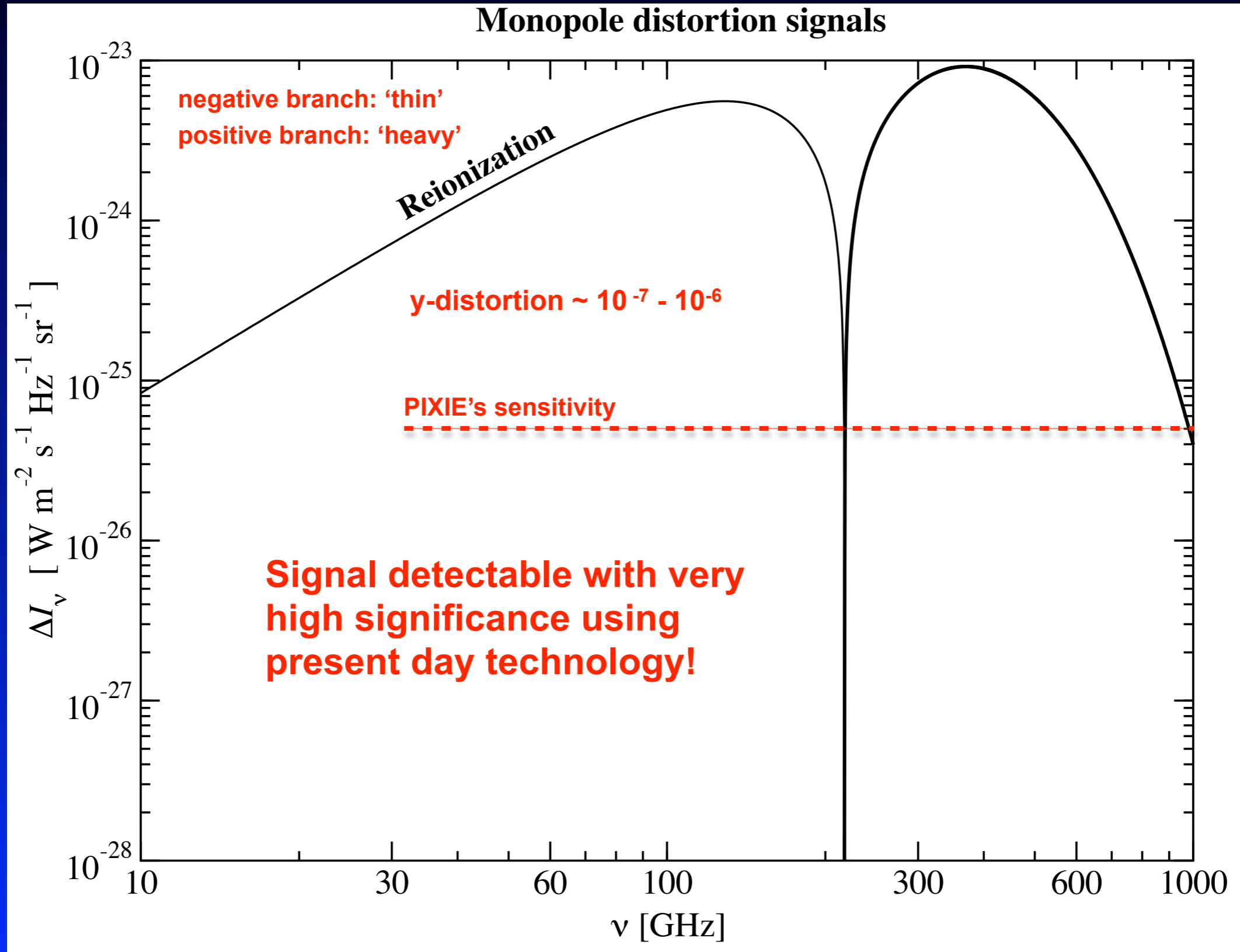
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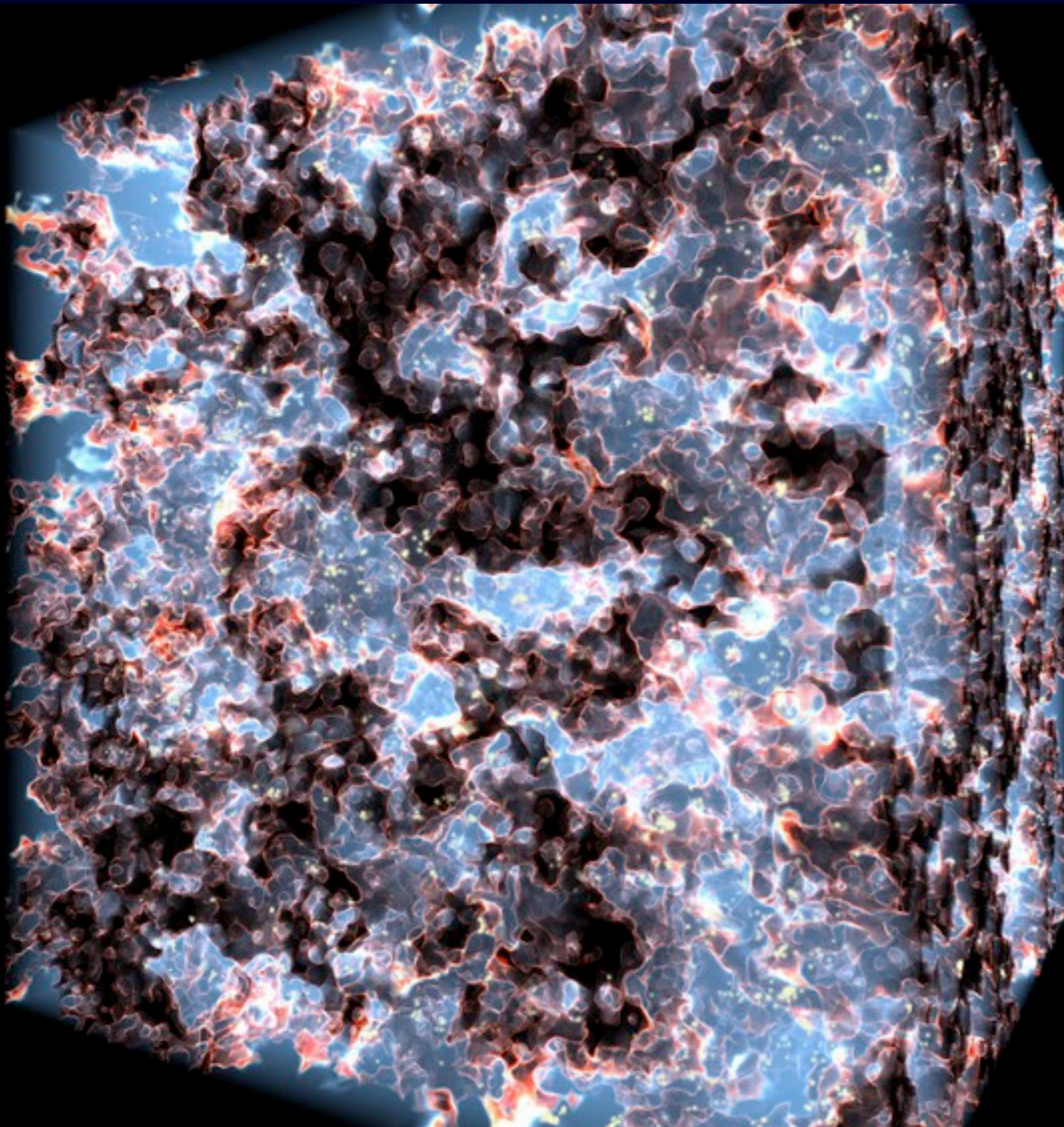


Average CMB spectral distortions

Absolute value of Intensity signal



Fluctuations of the γ -parameter at large scales

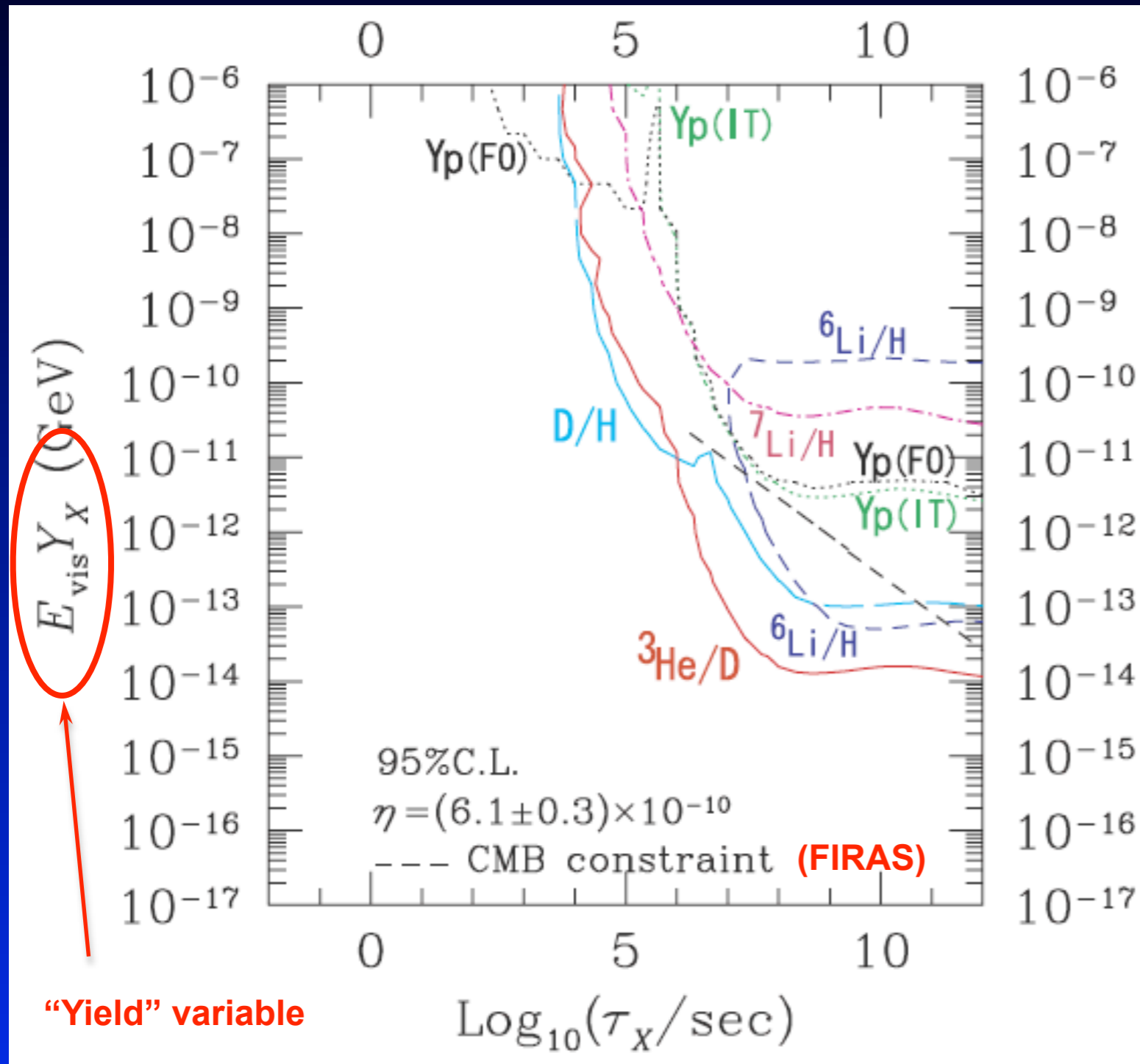


- spatial variations of the optical depth and temperature cause small-spatial variations of the γ -parameter at different angular scales
- could tell us about the reionization sources and structure formation process
- additional independent piece of information!
- Cross-correlations with other signals

Example:
Simulation of reionization process
(1Gpc/h) by *Alvarez & Abel*

Decaying particles

Constraints from measurements of light elements



- Yield variable \Rightarrow parametrizes the total energy release relative to total entropy density of the Universe

$$Y_X \simeq N_X/S$$

- E_{vis} parametrizes physics of energy deposition (decay channels, neutrino fraction, etc.)
- current CMB limit rather weak....

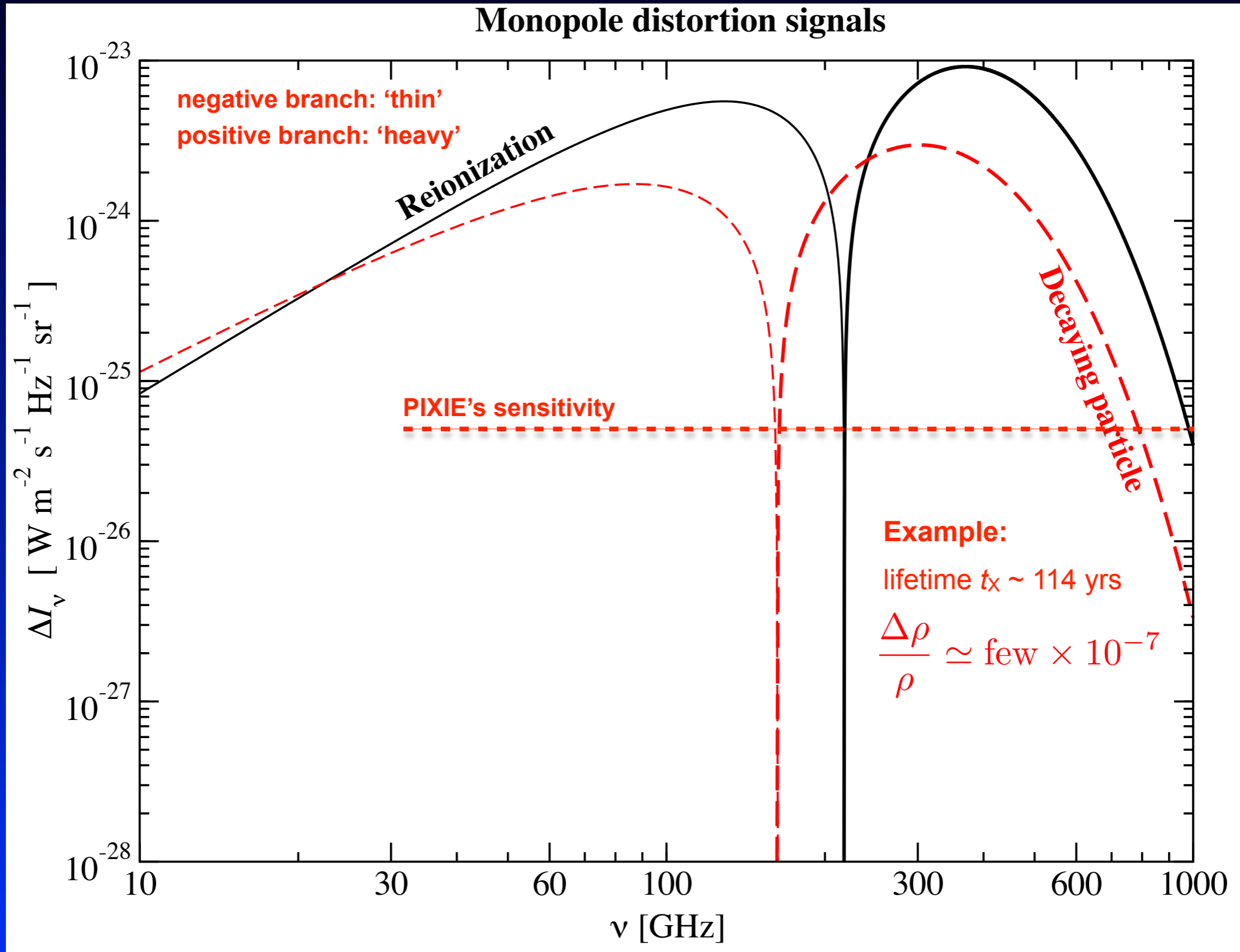
Figure from Kawasaki, Kohri and Moroi, 2005

Energy release by decaying particles

- Energy release rate $\frac{d(Q/\rho_\gamma)}{dz} \approx \frac{f^* M_X c^2}{H(z)(1+z)} \frac{N_X(z)}{\rho_\gamma(z)} \Gamma_X e^{-\Gamma_X t}$
- For computations: $f_X = f^* M_X c^2 N_X / N_H$ and $\varepsilon_X = \frac{f_X}{z_X}$
- Efficiency factor f^* contains all the physics describing the cascade of decay products
- At high redshift deposited energy goes into heat
- Around recombination and after things become more complicated
(Slatyer et al. 2009; Cirelli et al. 2009; Huts et al. 2009; Slatyer et al. 2013)
 \Rightarrow *branching ratios into heat, ionizations, and atomic excitation*

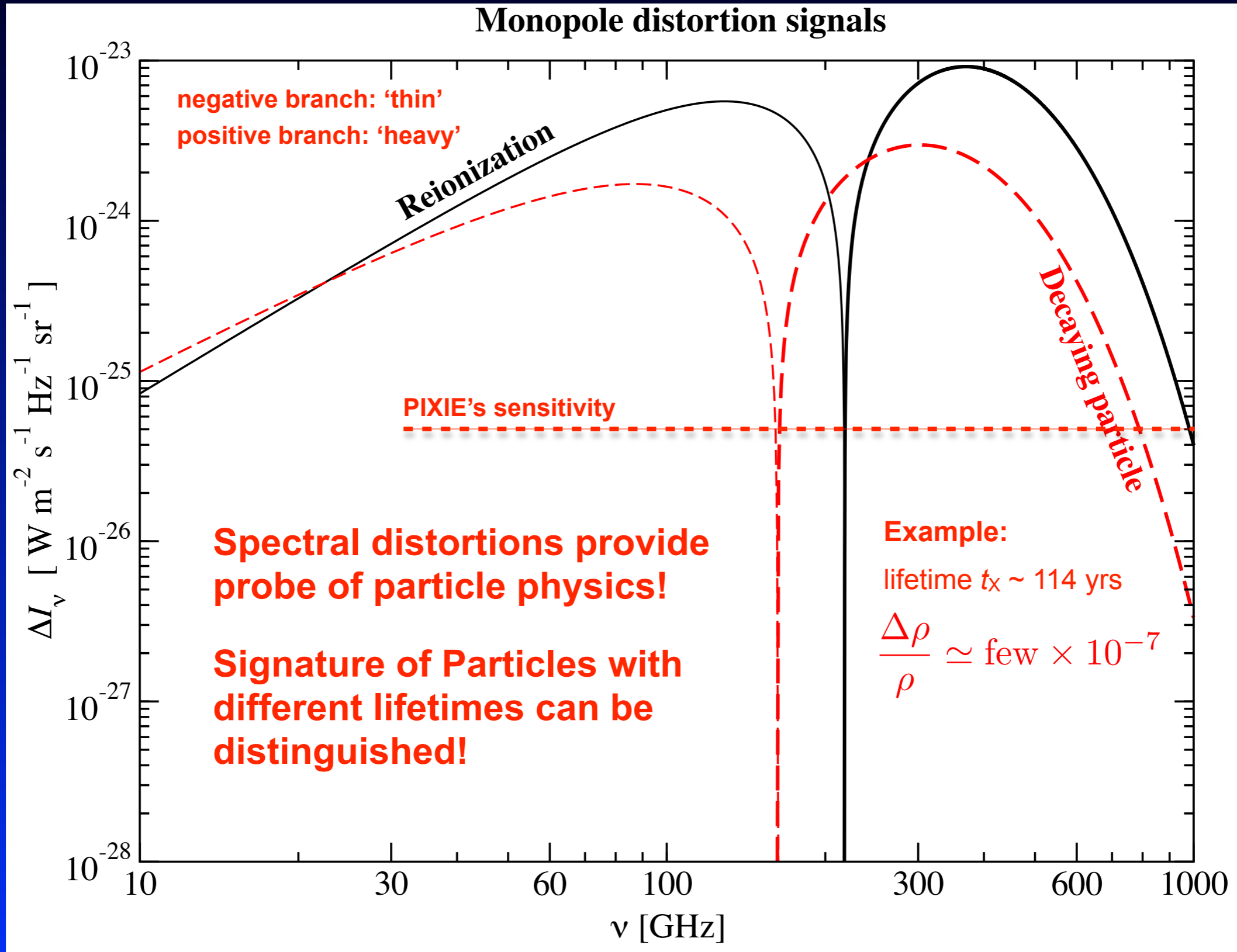
Average CMB spectral distortions

Absolute value of Intensity signal

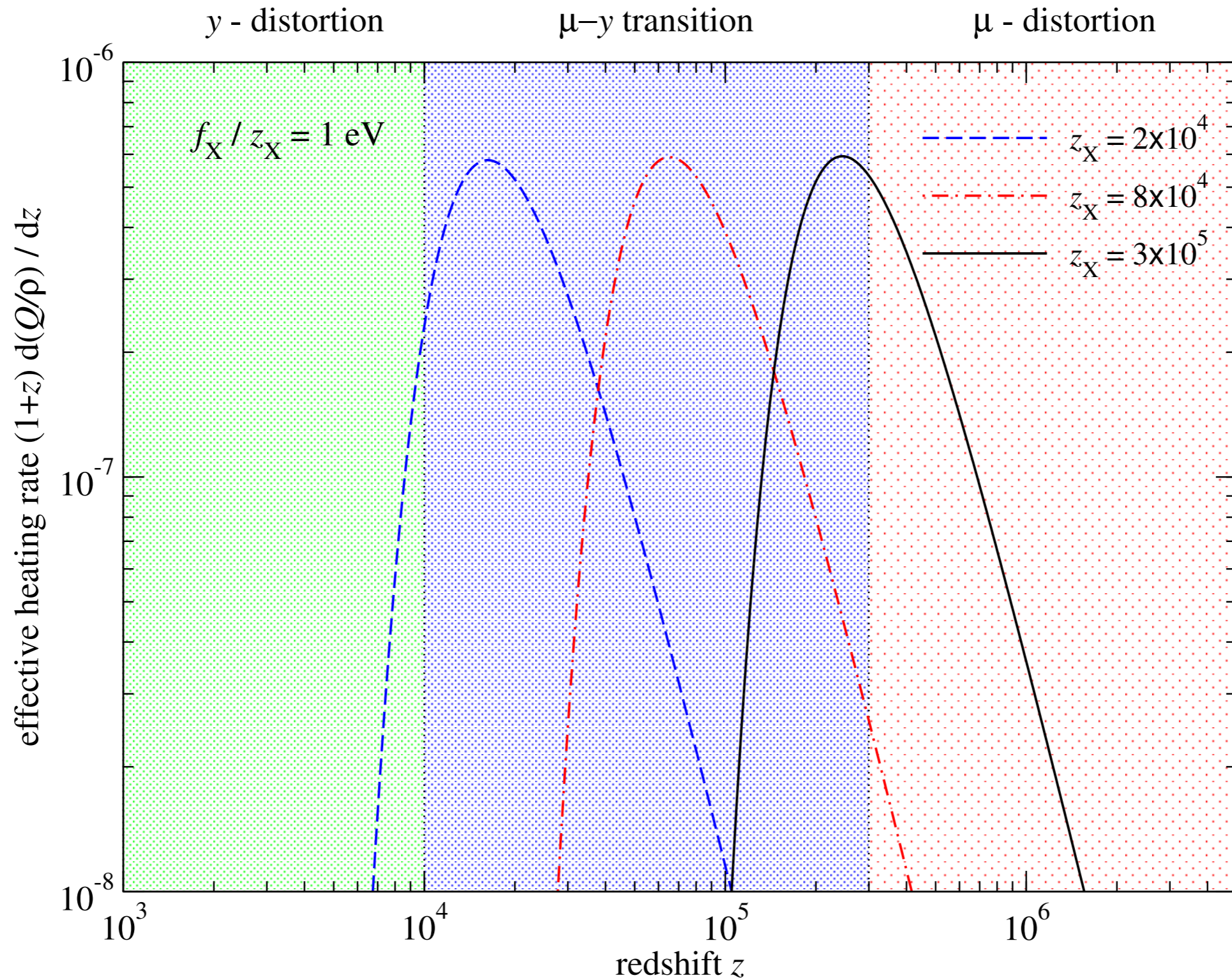


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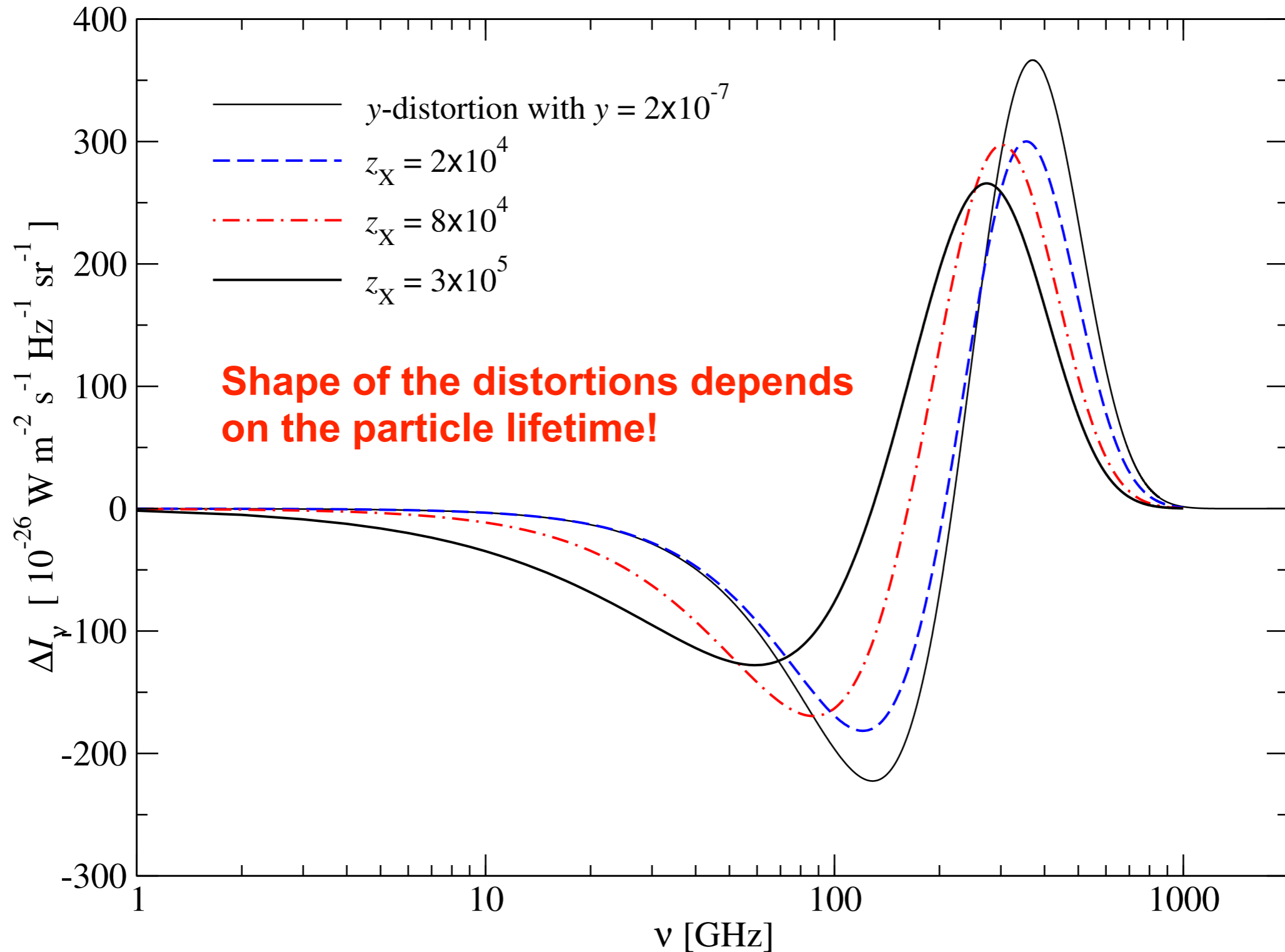
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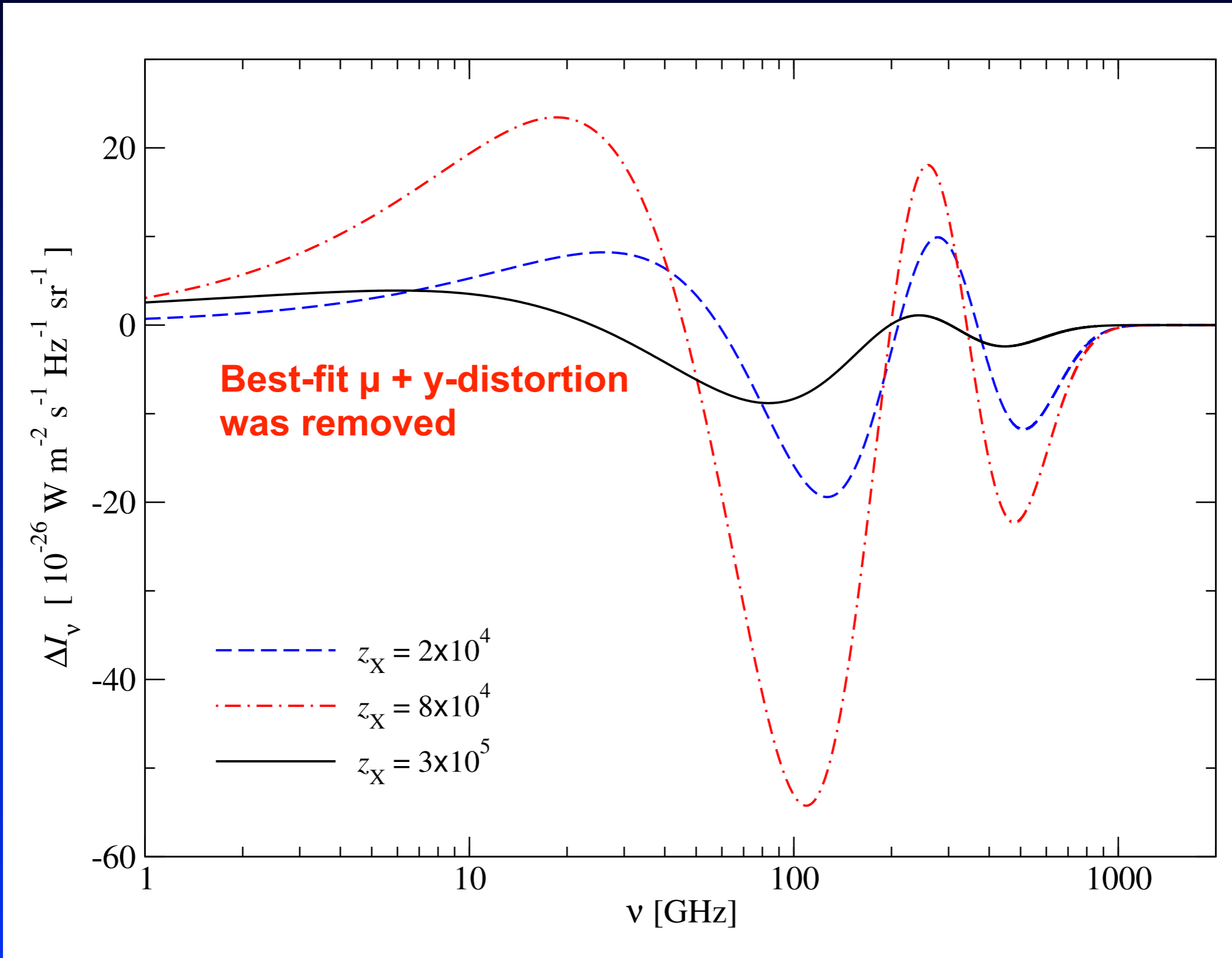
Decaying particle scenarios



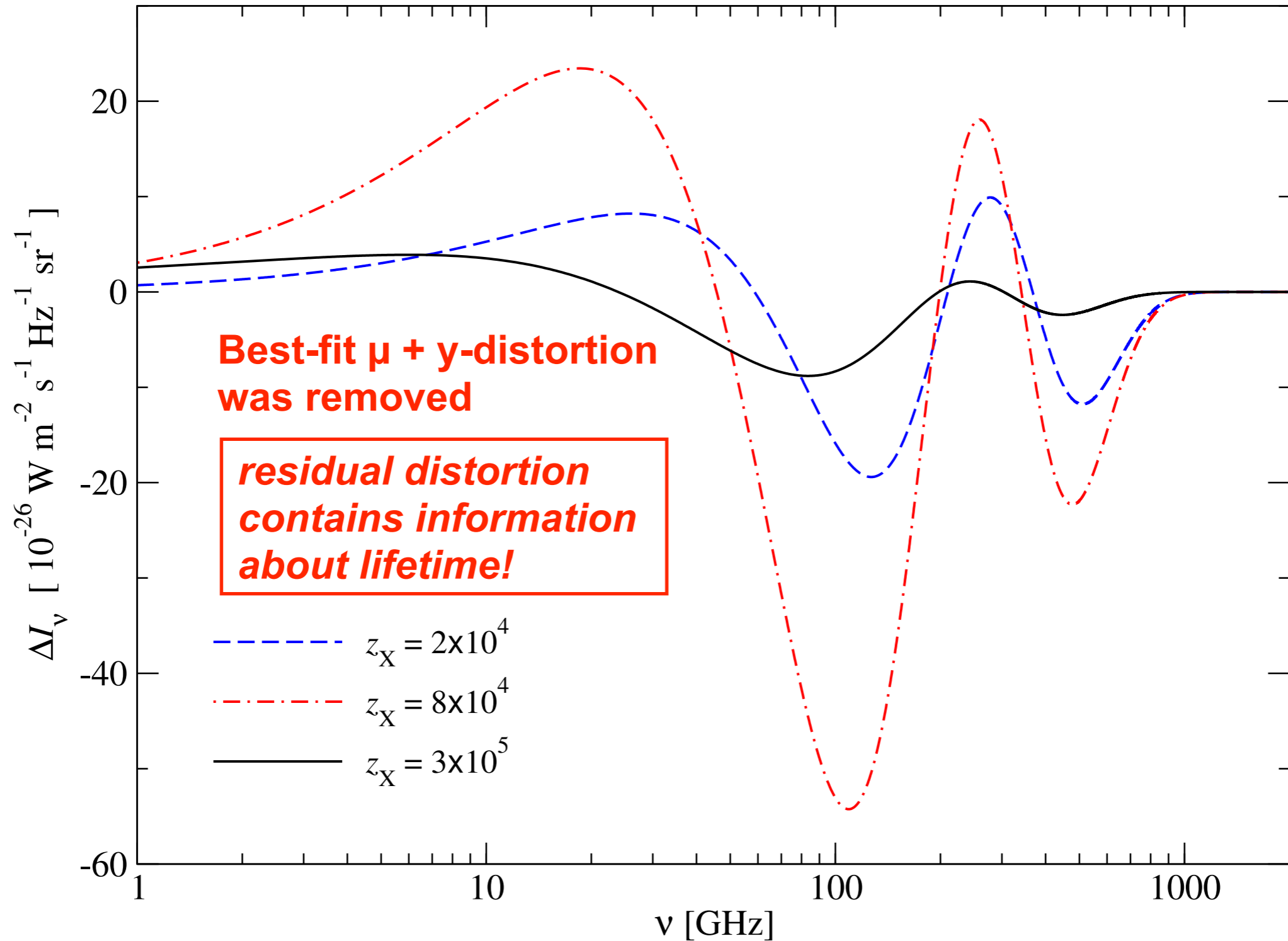
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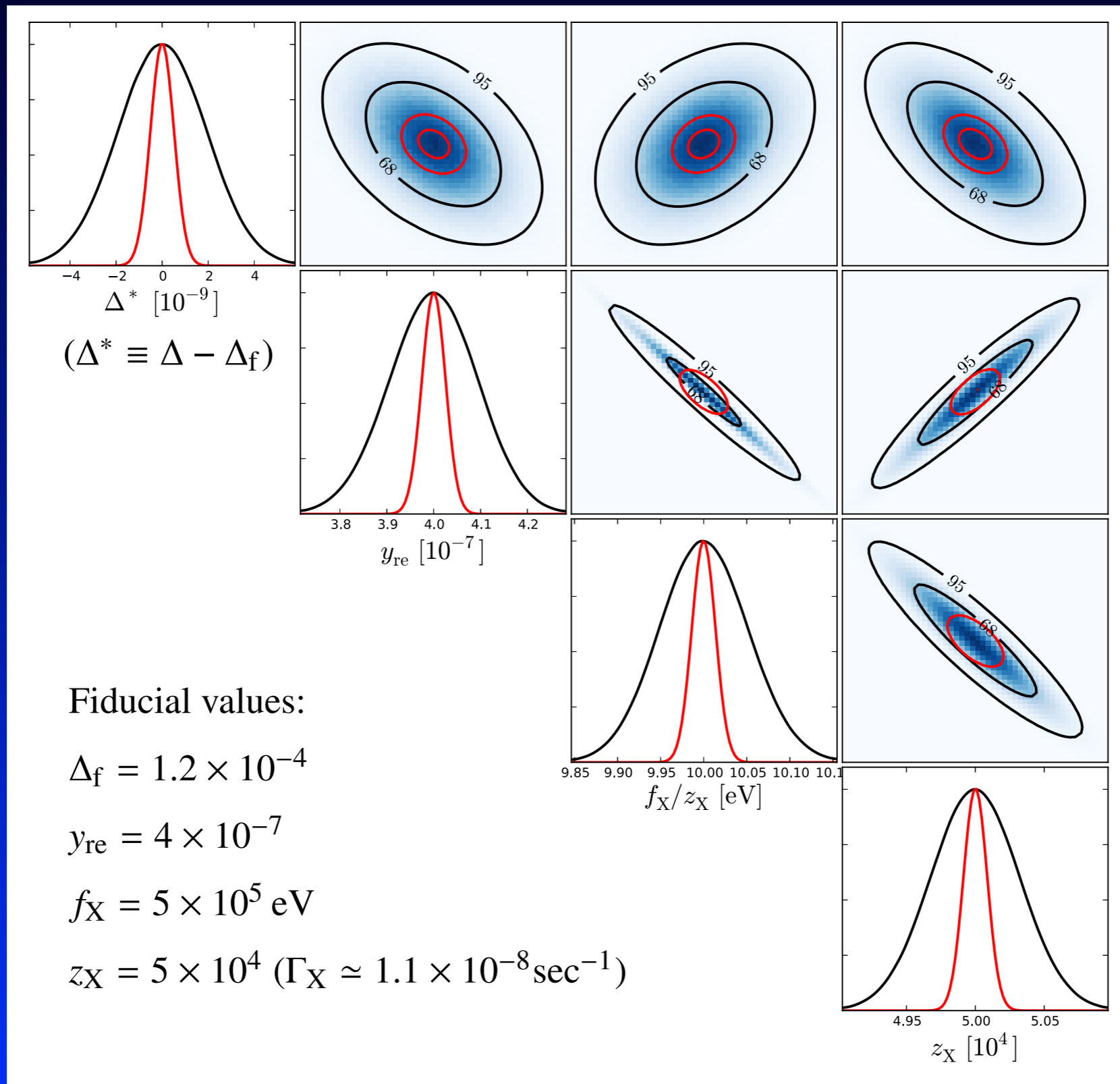
Decaying particle scenarios (information in residual)



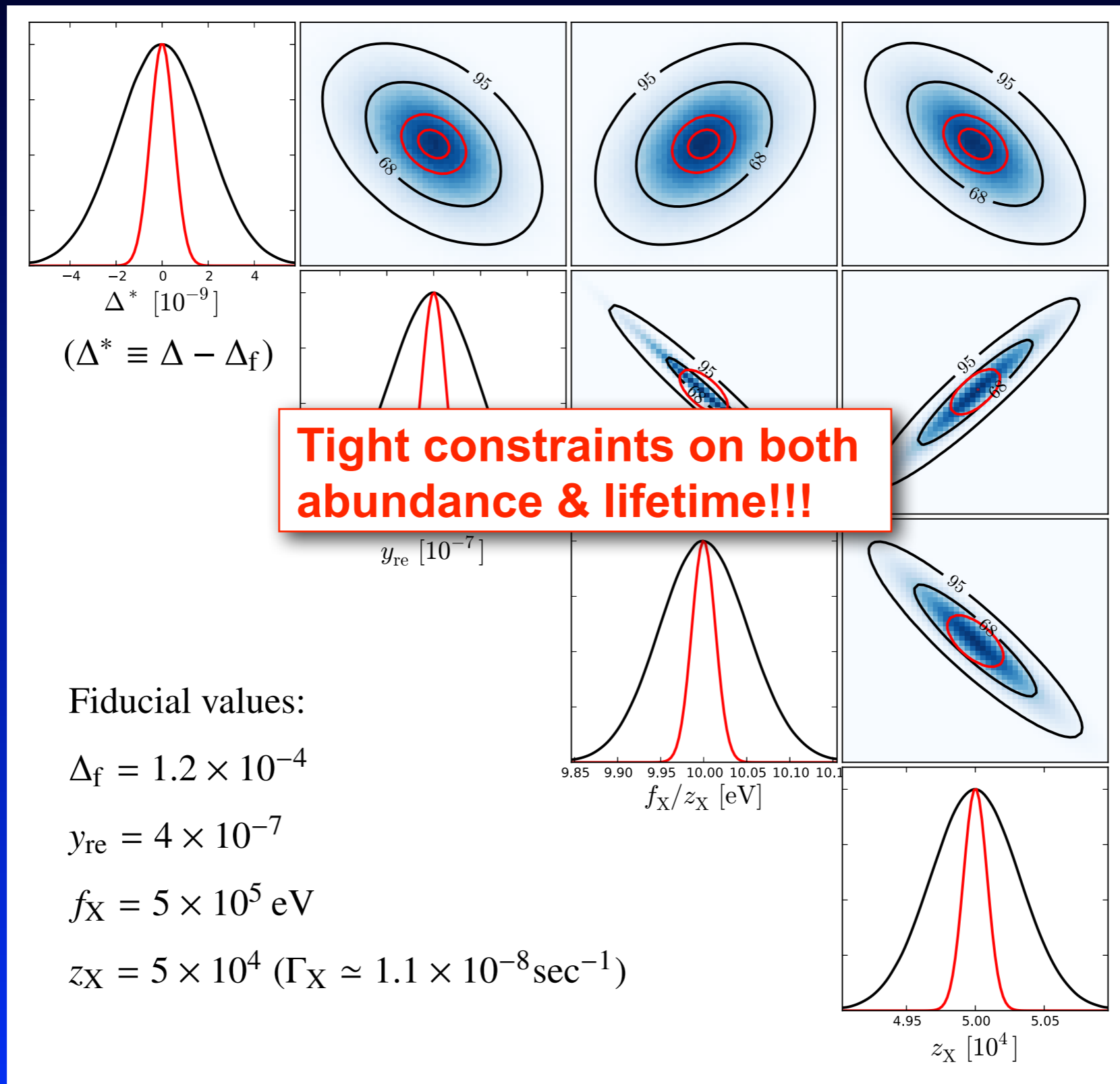
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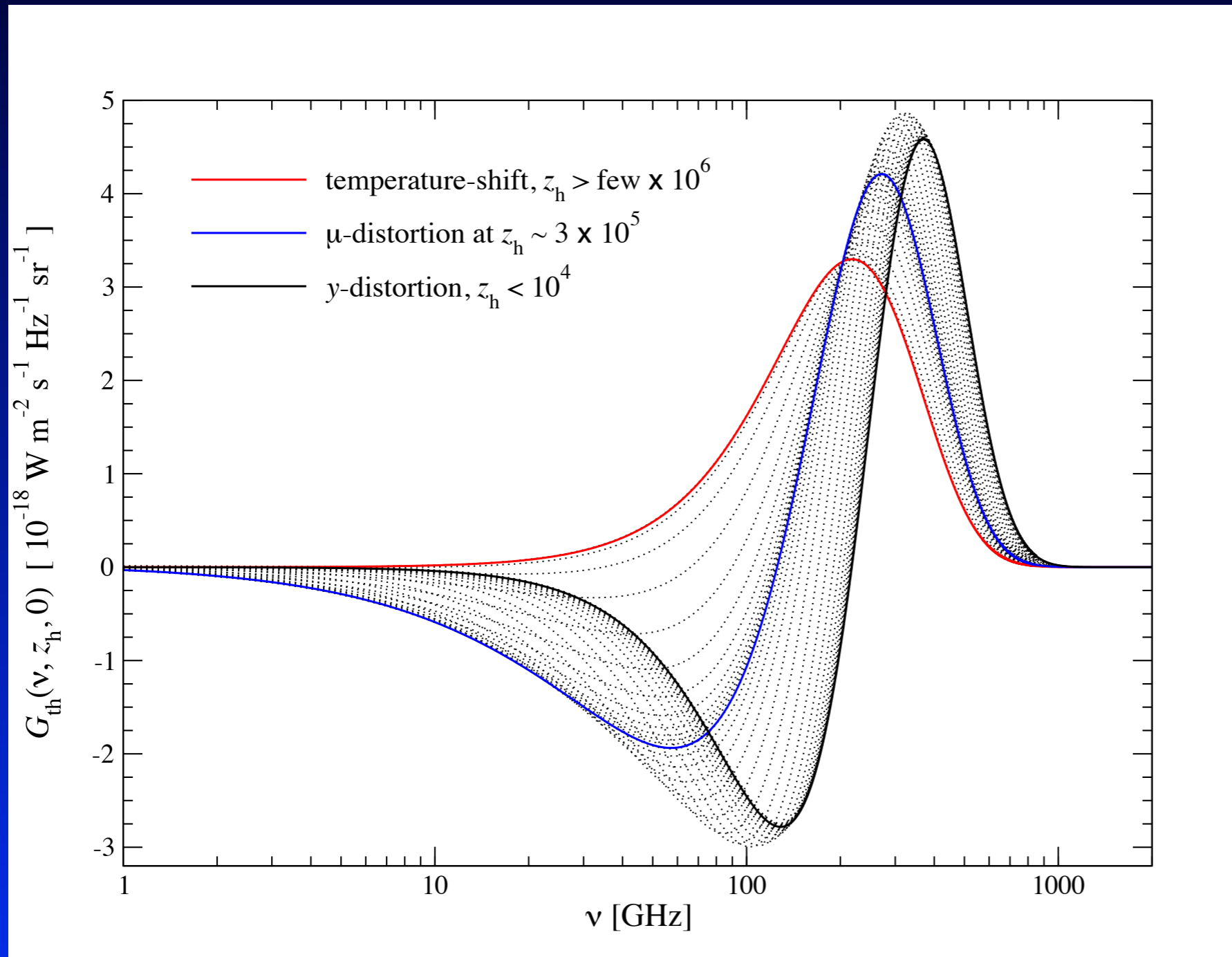
Decaying particle scenarios



Decaying particle scenarios

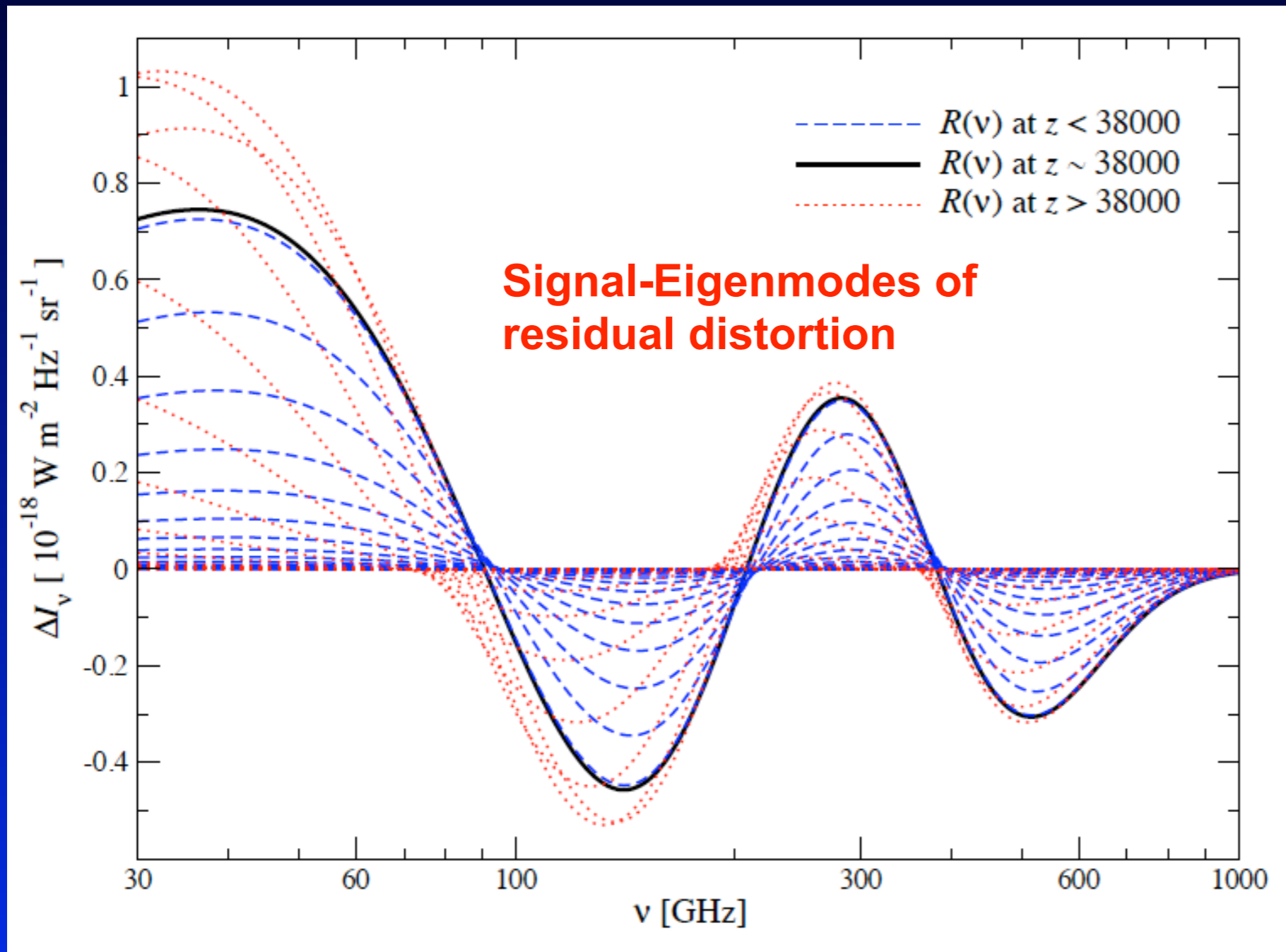


Using signal eigenmodes to compress the distortion data



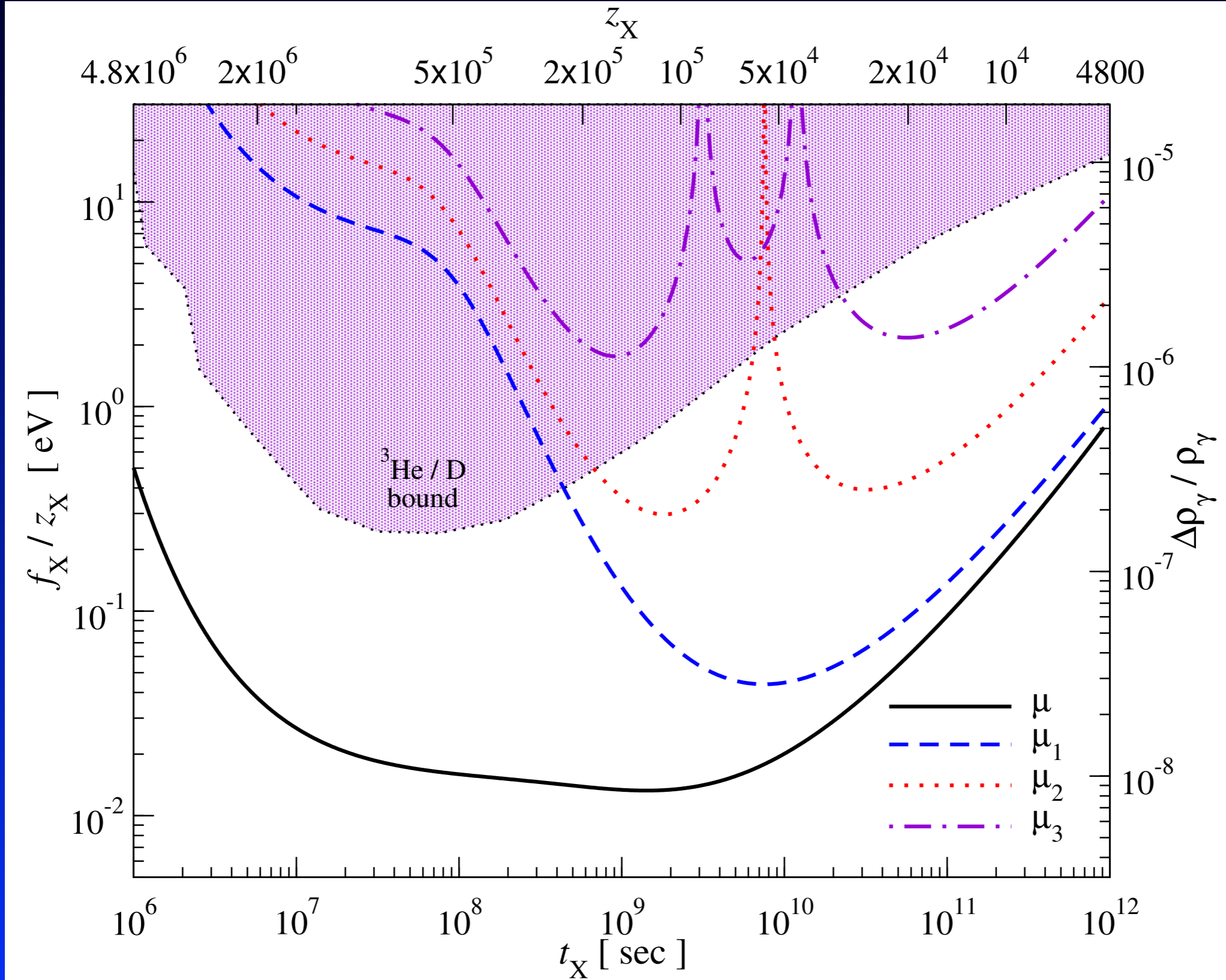
- *Principle component decomposition* of the distortion signal
- compression of the useful information given instrumental settings

Using signal eigenmodes to compress the distortion data

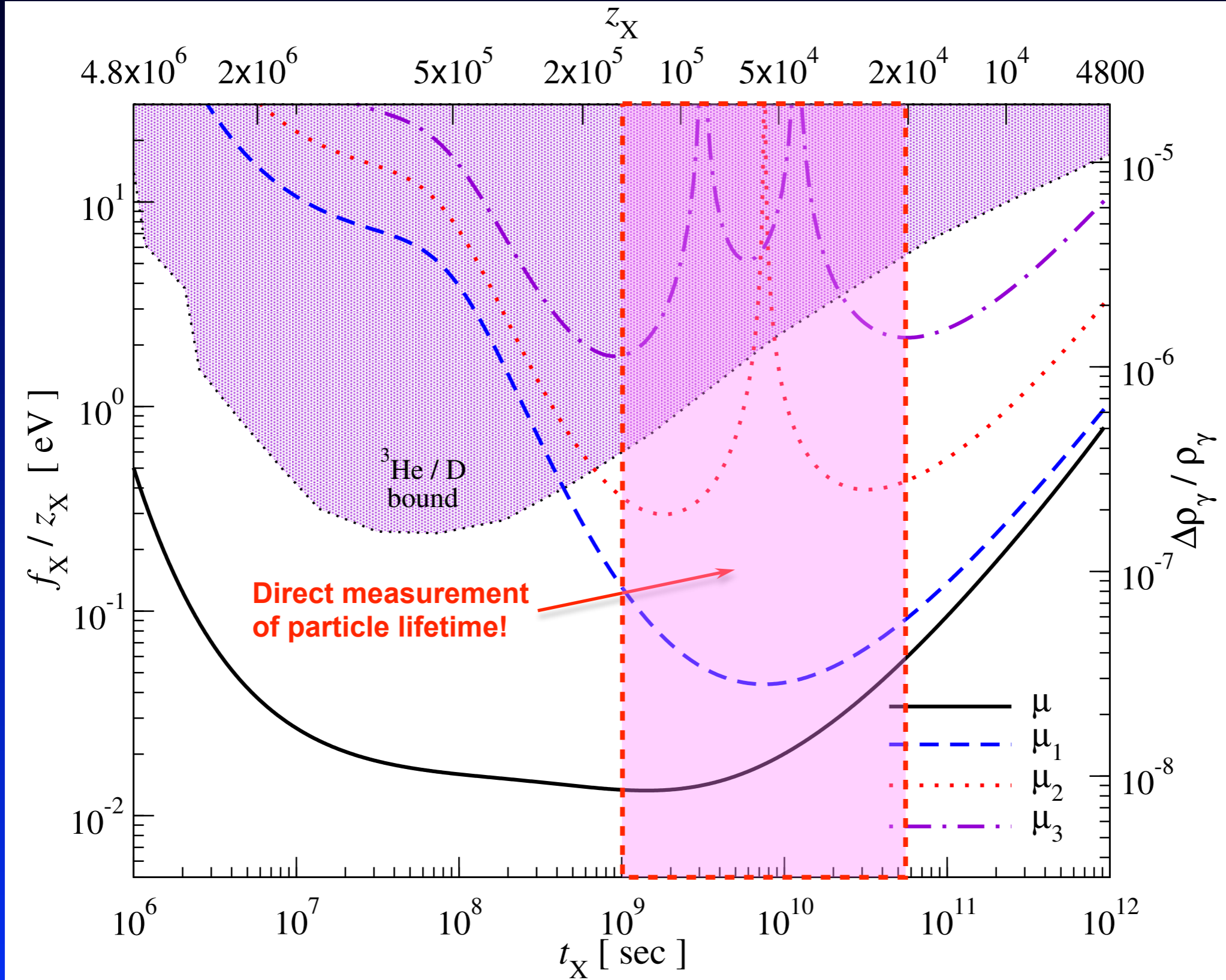


- *Principle component decomposition* of the distortion signal
- compression of the useful information given instrumental settings
- new set of observables
 $p = \{y, \mu, \mu_1, \mu_2, \dots\}$
- model-comparison + forecasts of errors very simple!

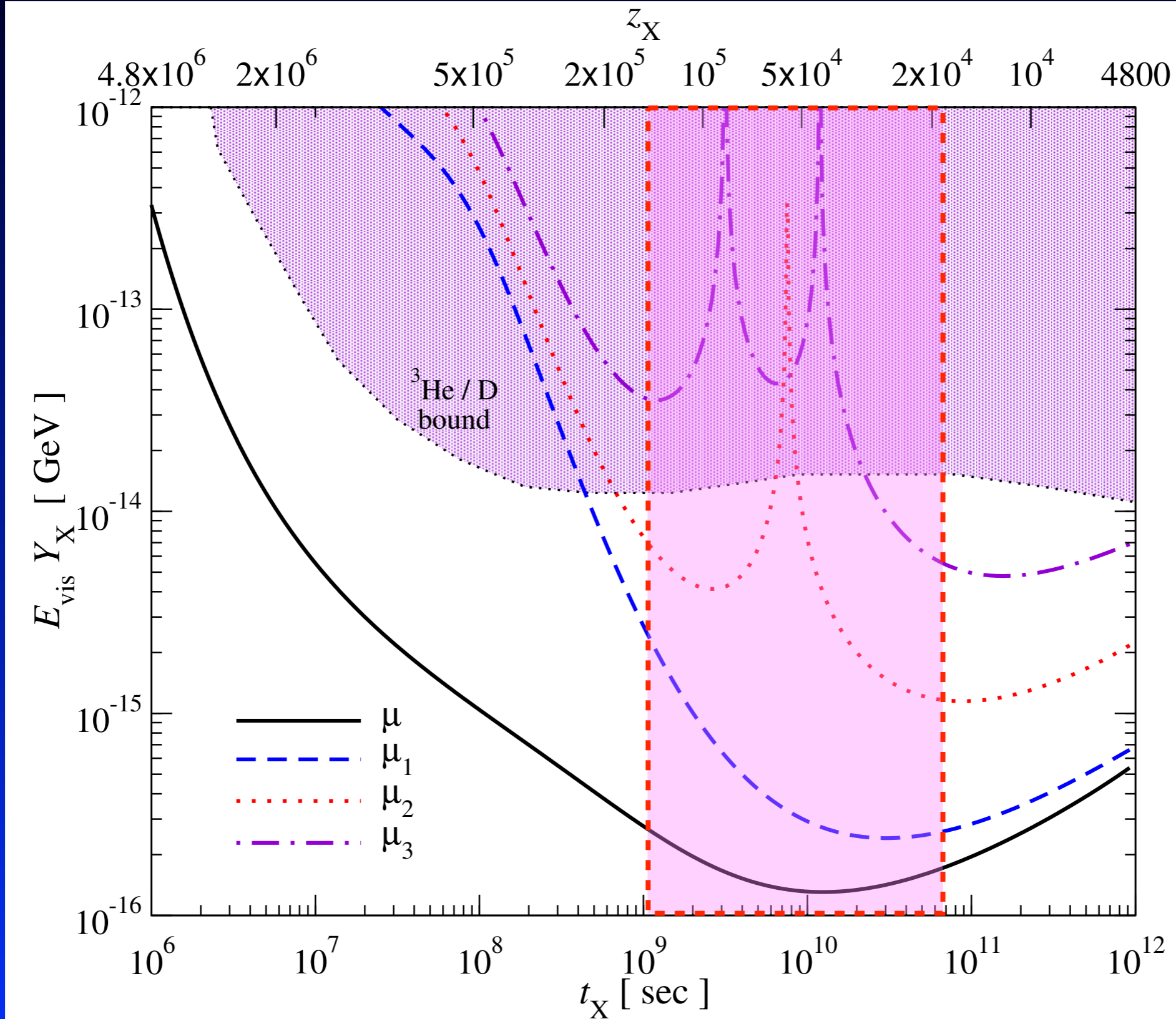
Decaying particle 1σ -detection limits for PIXIE



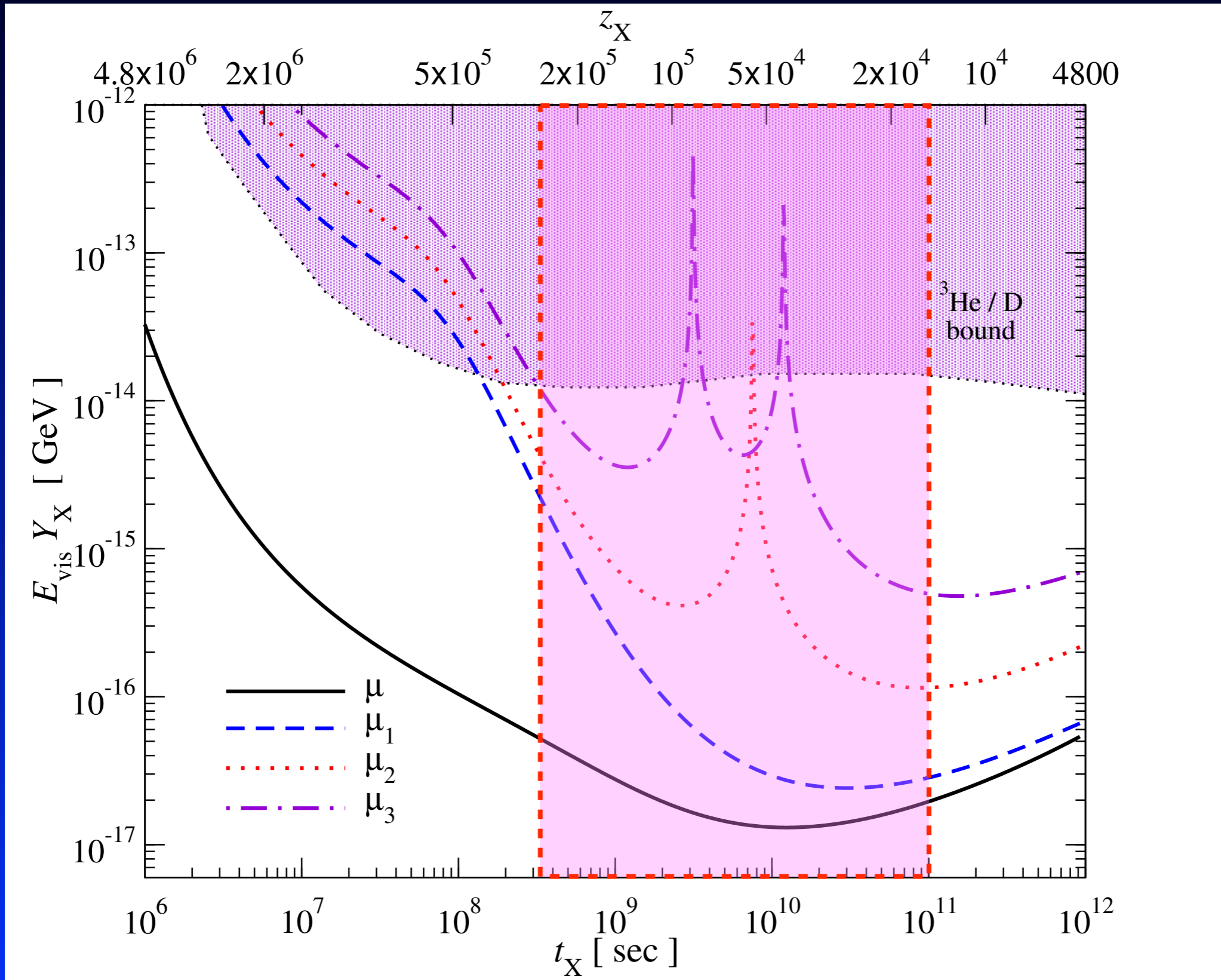
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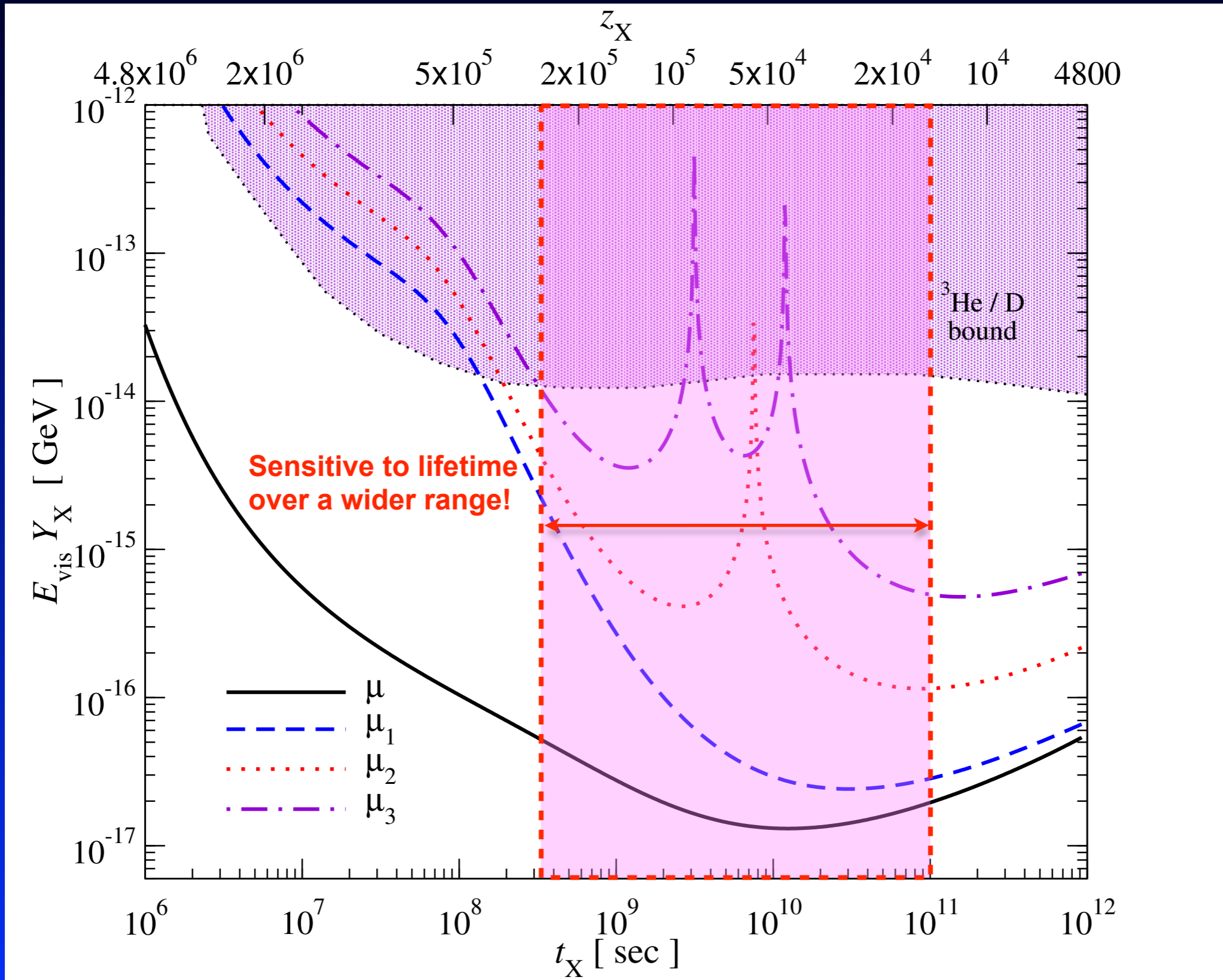
Decaying particle 2σ -detection limits for PIXIE



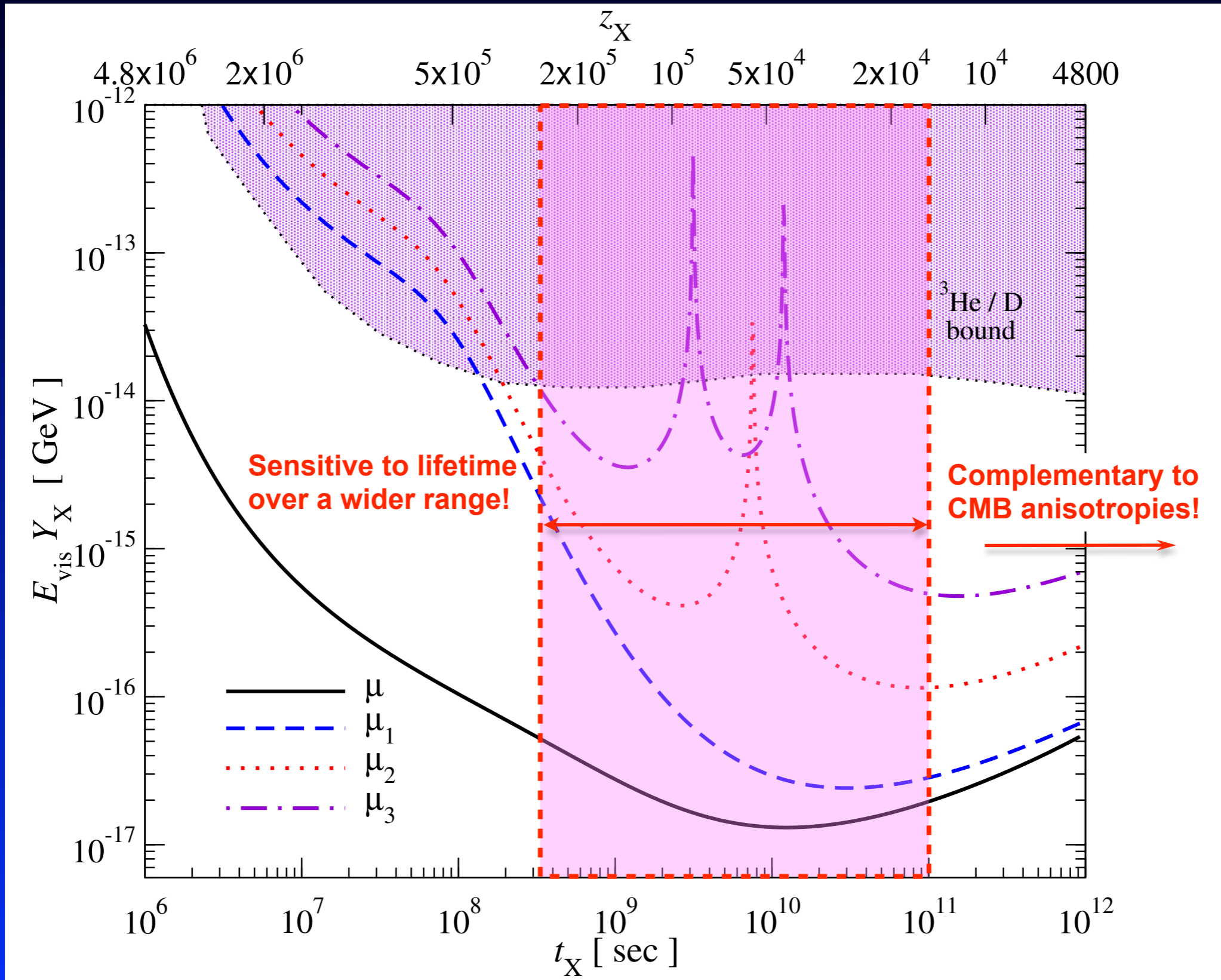
Decaying particle 2σ -detection limits for PRISM



Decaying particle 2σ -detection limits for PRISM

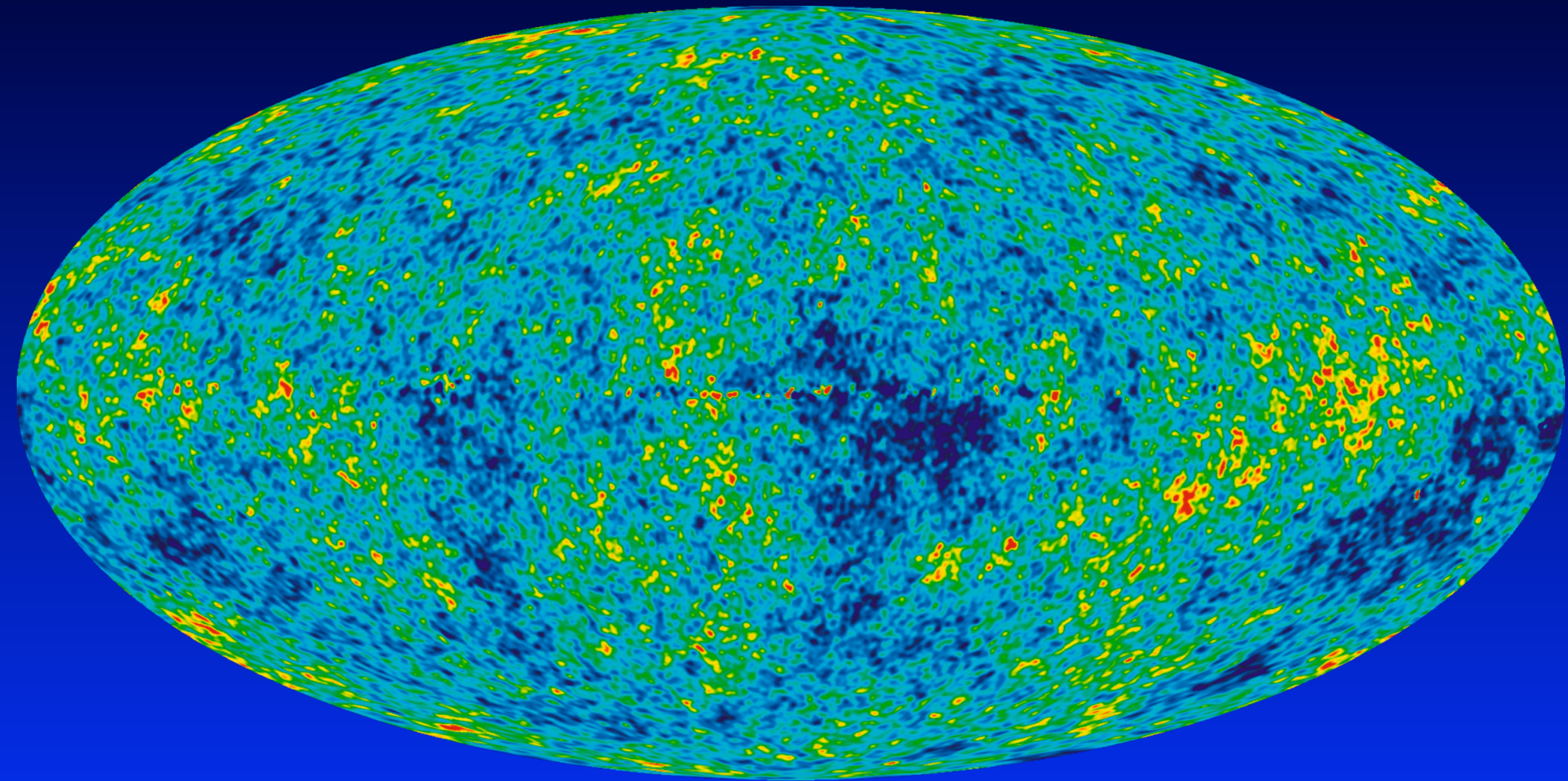


Decaying particle 2σ -detection limits for PRISM

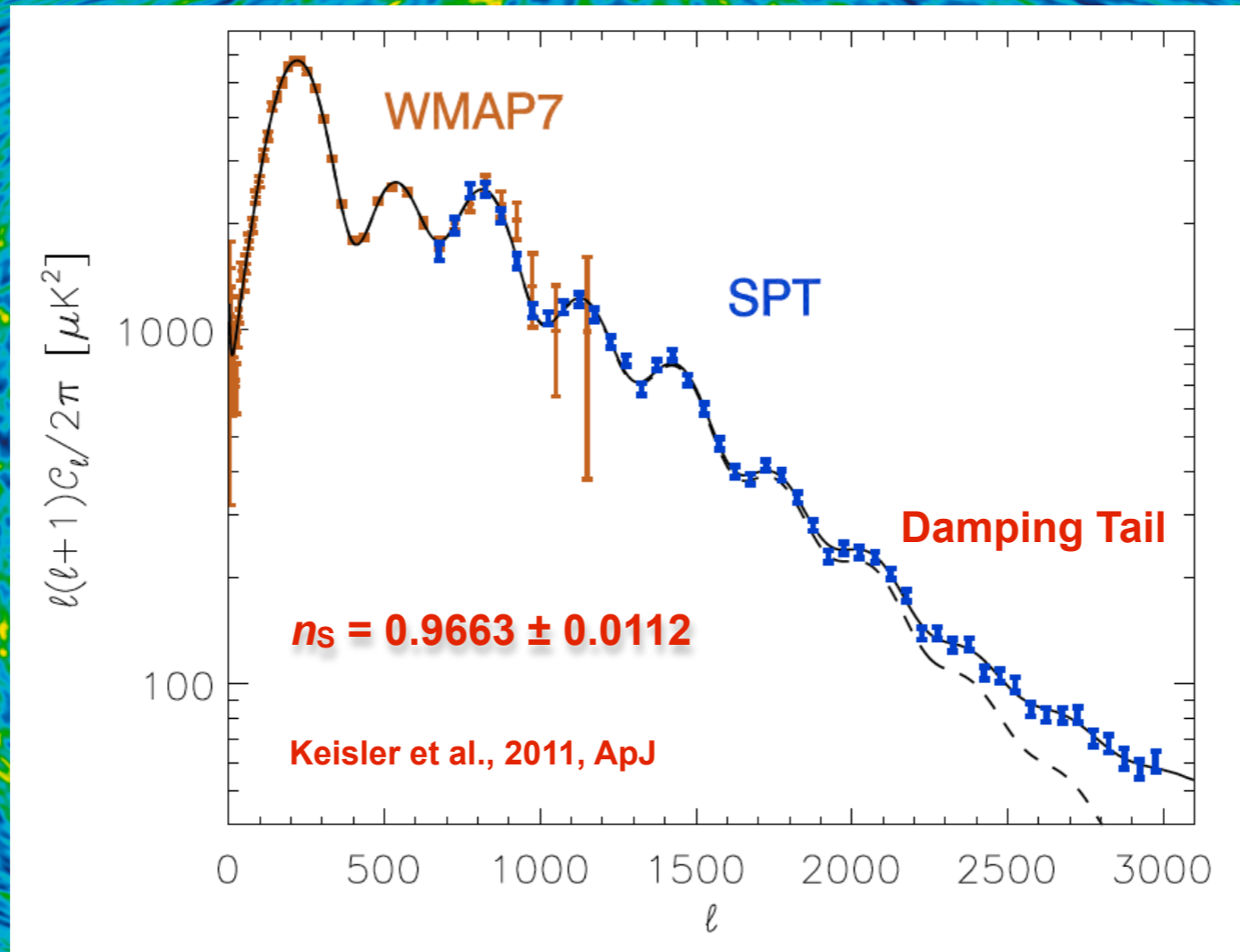


The dissipation of small-scale acoustic modes

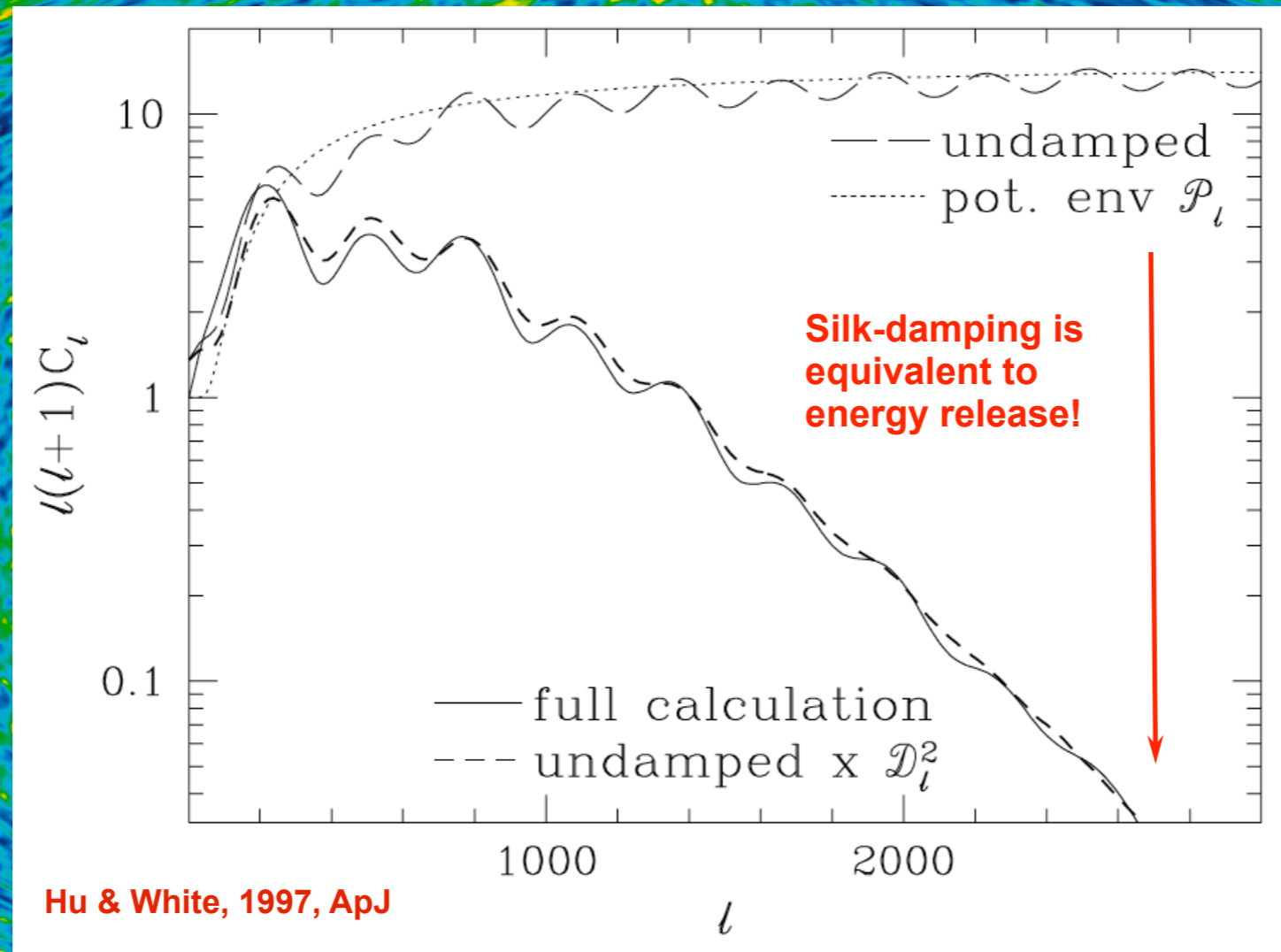
Dissipation of small-scale acoustic modes



Dissipation of small-scale acoustic modes



Dissipation of small-scale acoustic modes



Energy release caused by dissipation process

‘Obvious’ dependencies:

- *Amplitude* of the small-scale power spectrum
- *Shape* of the small-scale power spectrum
- *Dissipation scale* $\rightarrow k_D \sim (H_0 \Omega_{\text{rel}}^{1/2} N_{e,0})^{1/2} (1+z)^{3/2}$ at early times

not so ‘obvious’ dependencies:

- *primordial non-Gaussianity* in the squeezed limit
(Pajer & Zaldarriaga, 2012; Ganc & Komatsu, 2012)
- *Type* of the perturbations (adiabatic \leftrightarrow isocurvature)
(Barrow & Coles, 1991; Hu et al., 1994; Dent et al, 2012, JC & Grin, 2012)
- *Neutrinos* (or any extra relativistic degree of freedom)

Energy release caused by dissipation process

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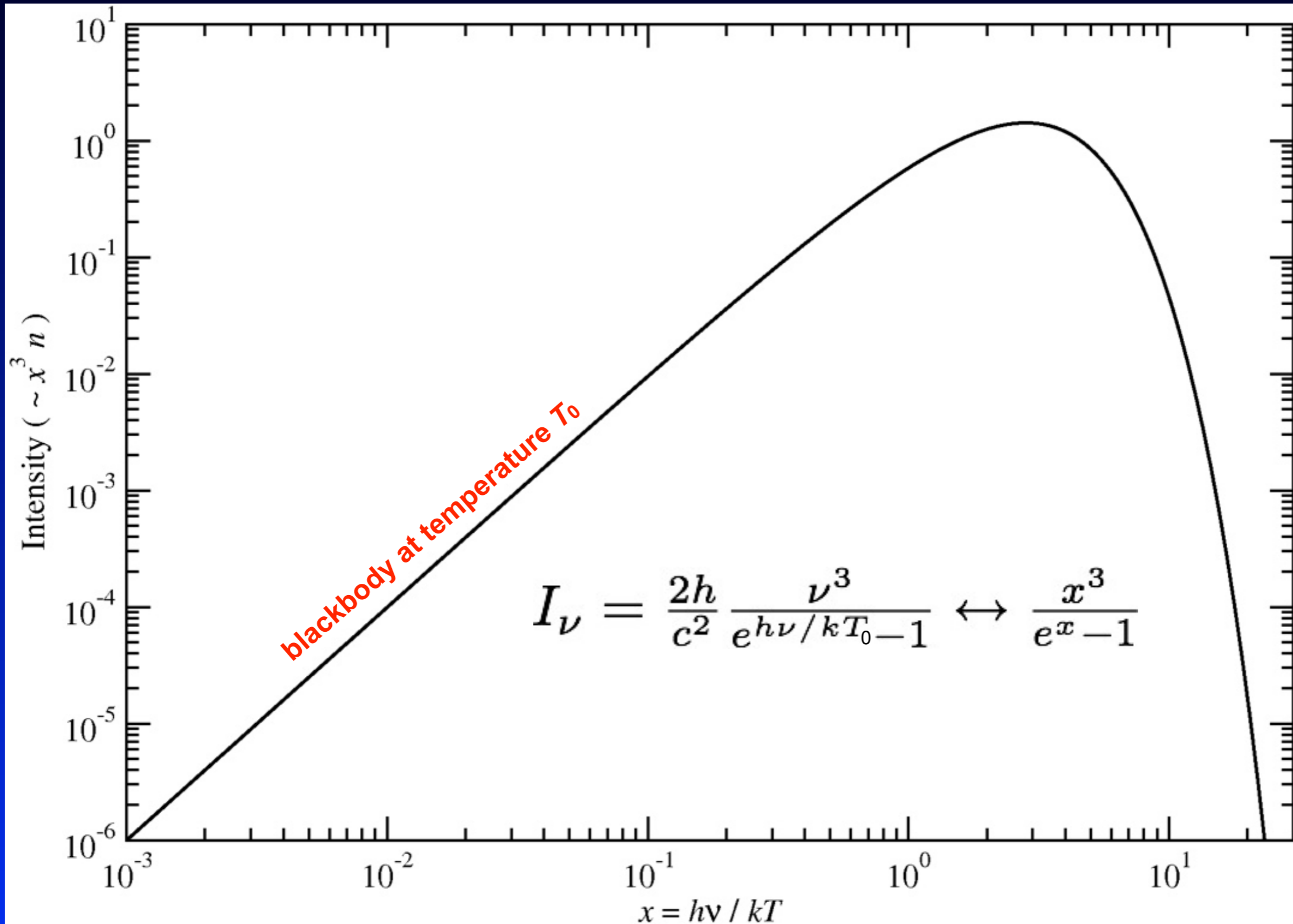
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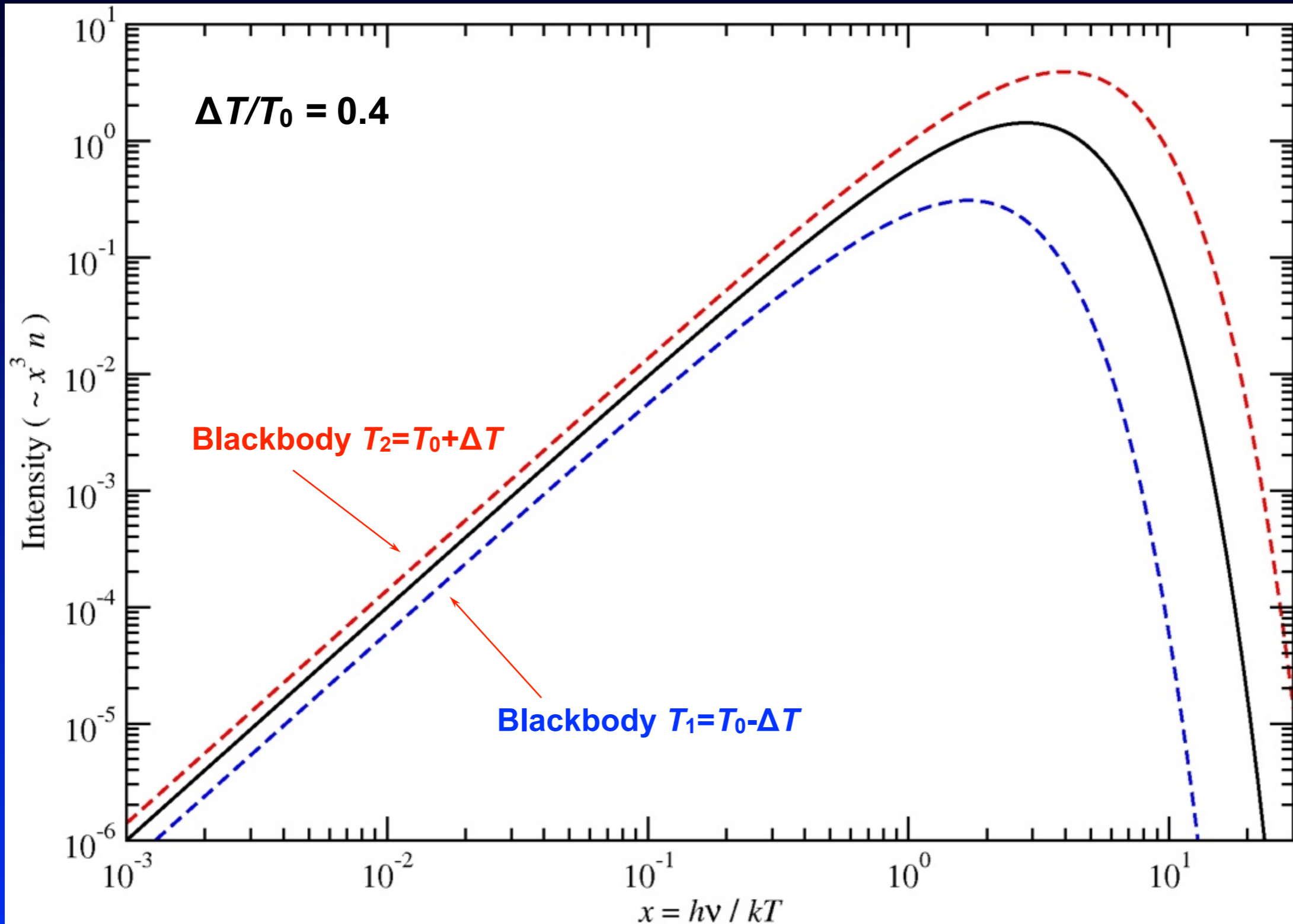
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CMB Spectral distortions provide probe of Inflation physics!!!

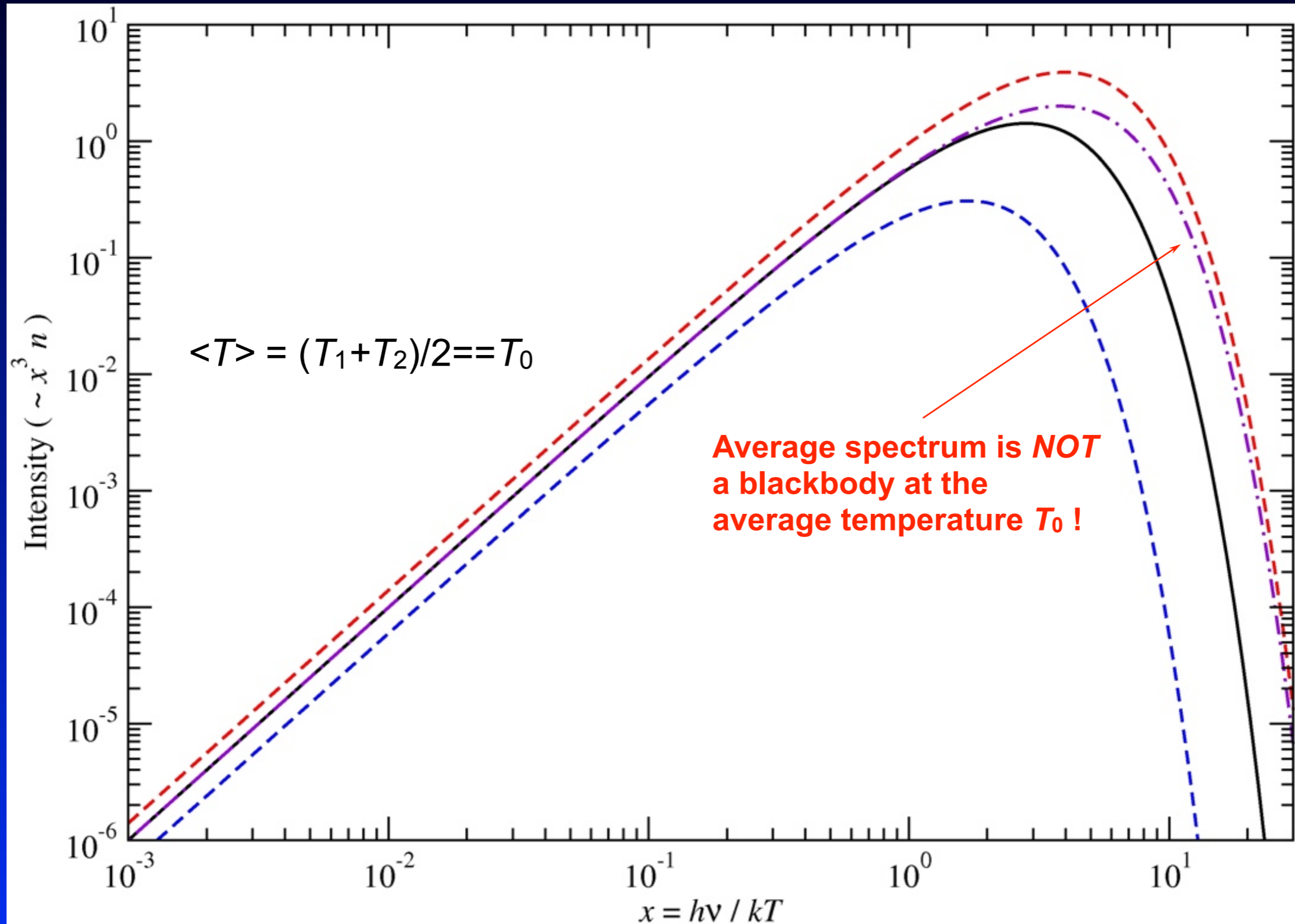
Superpositions of blackbody spectra



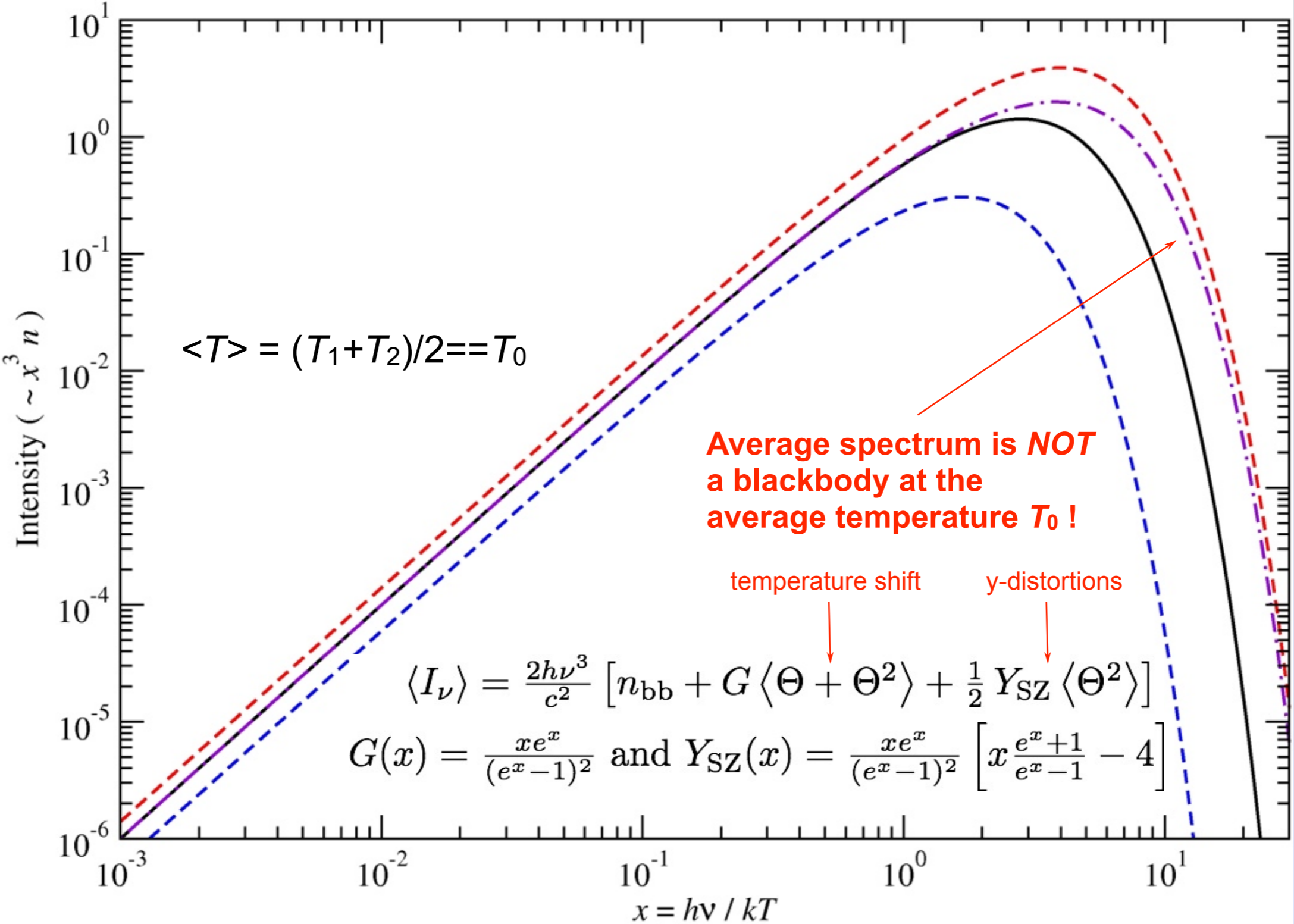
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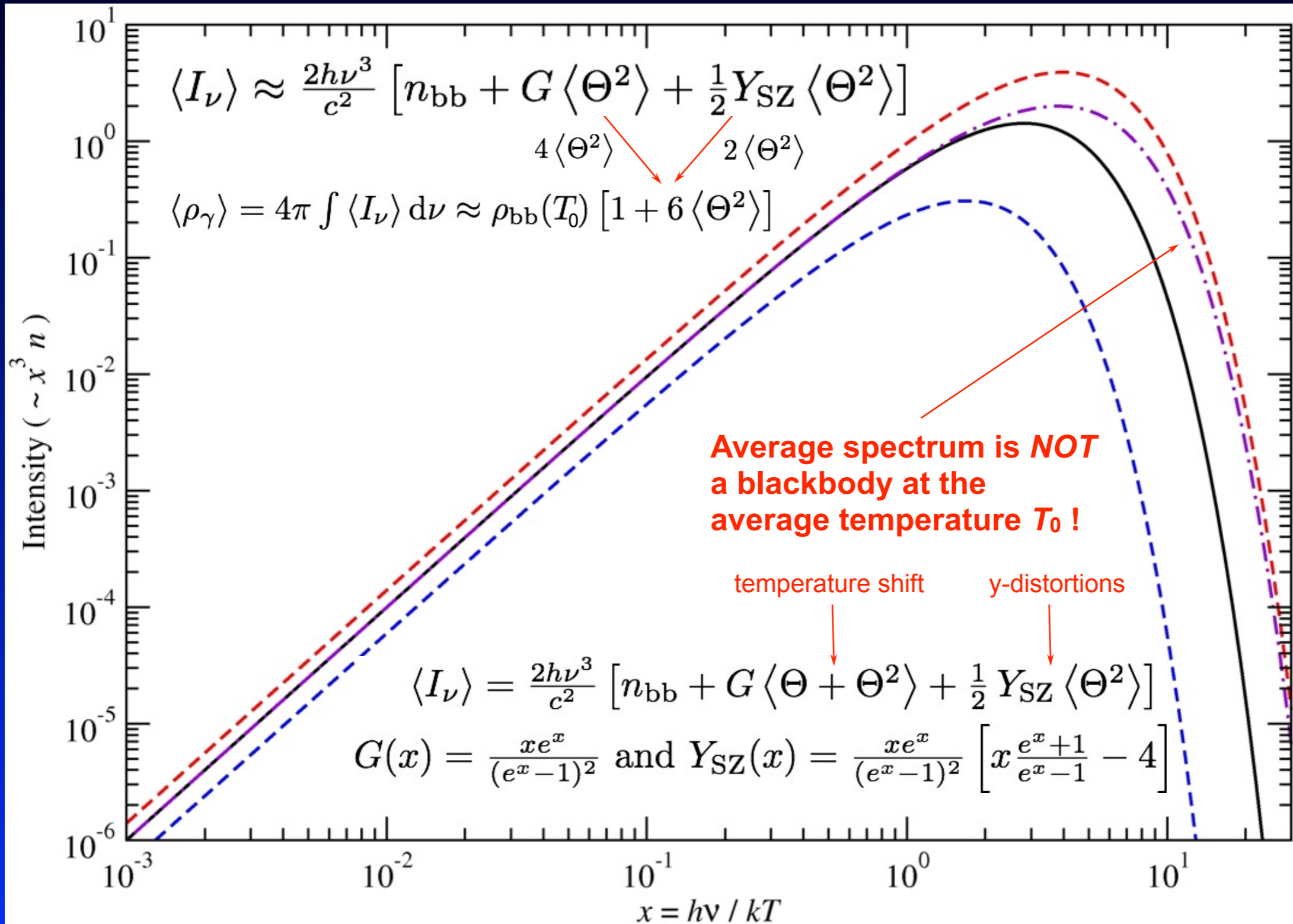
Superpositions of blackbody spectra



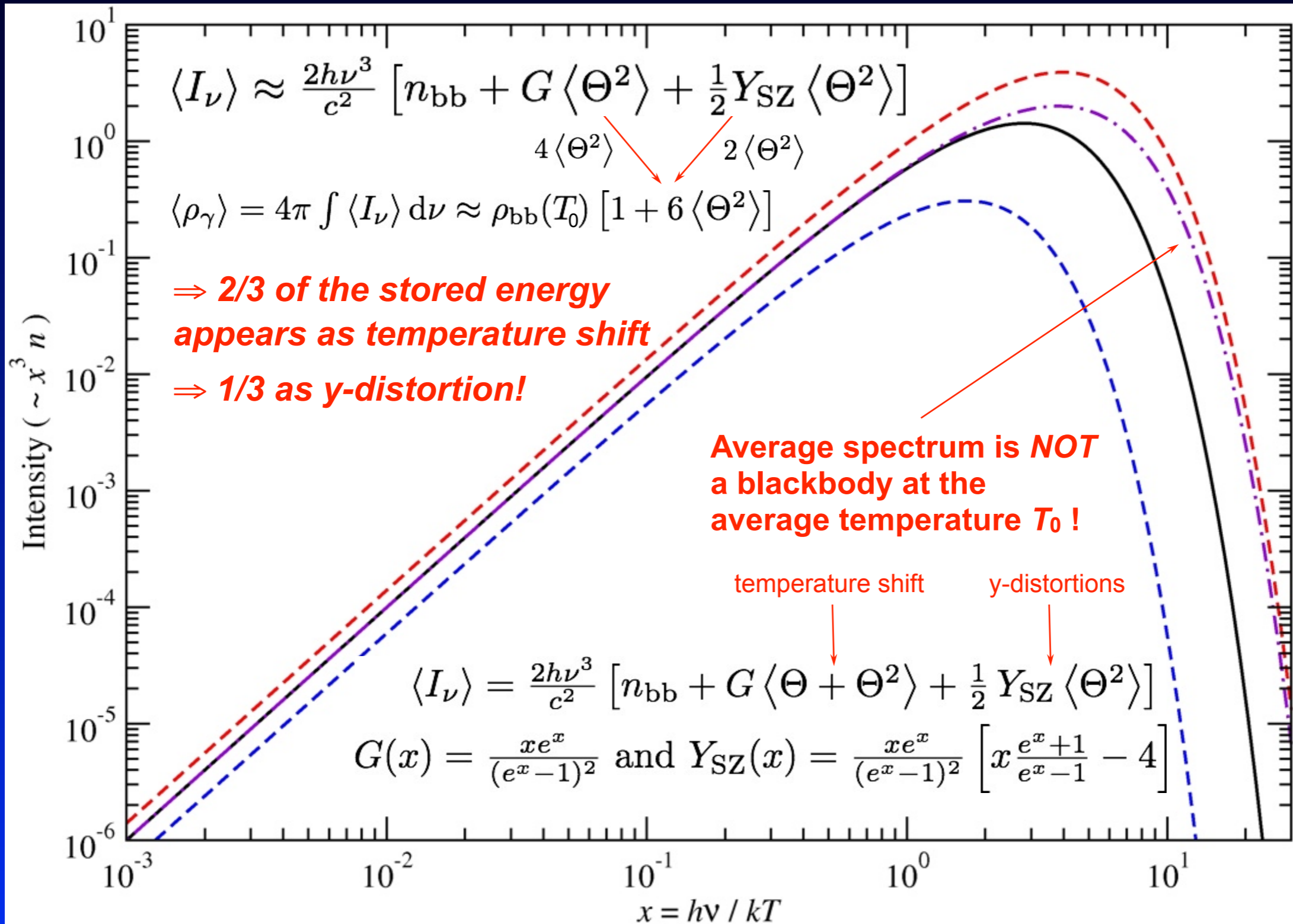
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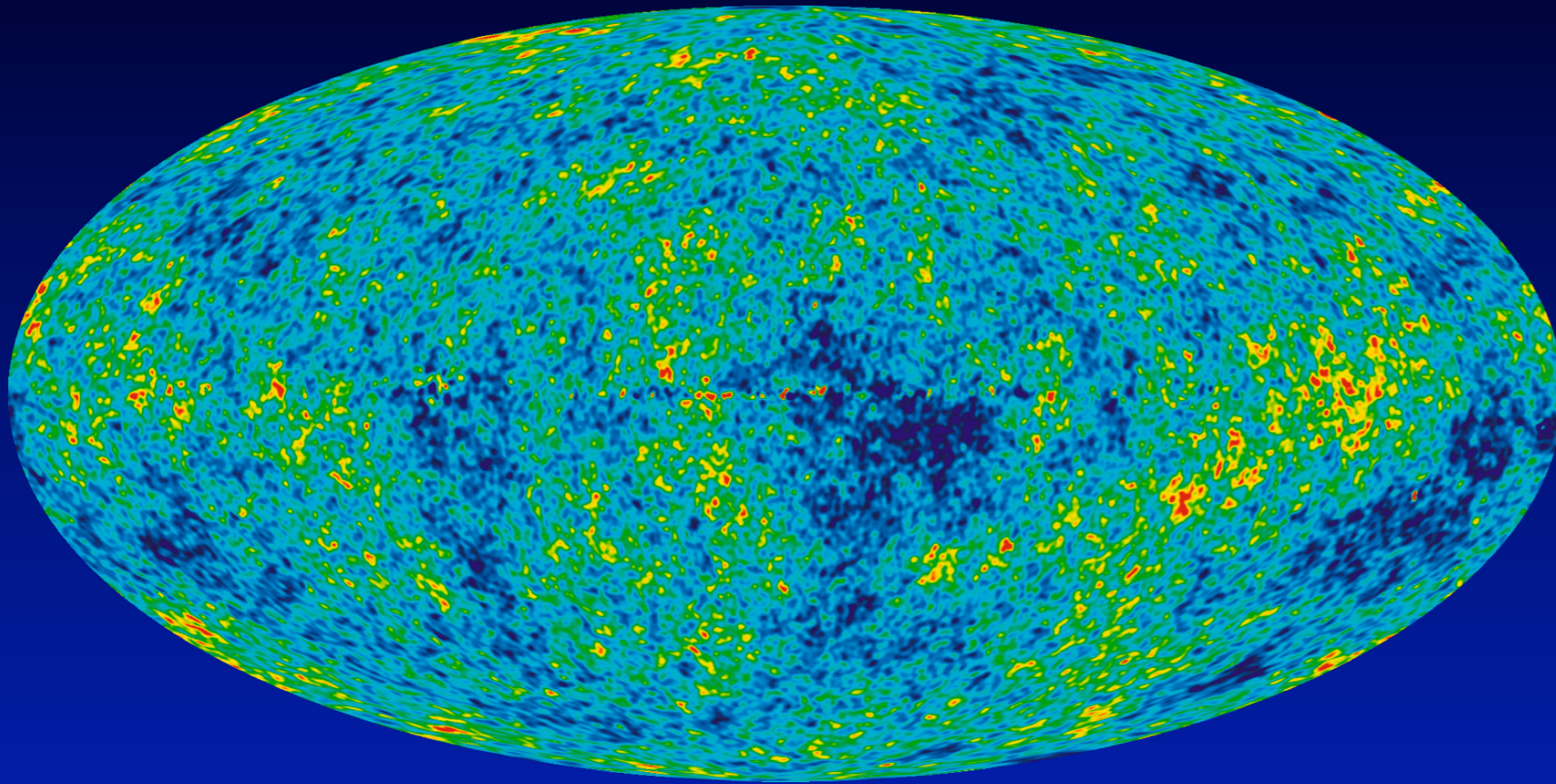
Superpositions of blackbody spectra



Superpositions of blackbody spectra



Distortion caused by superposition of blackbodies



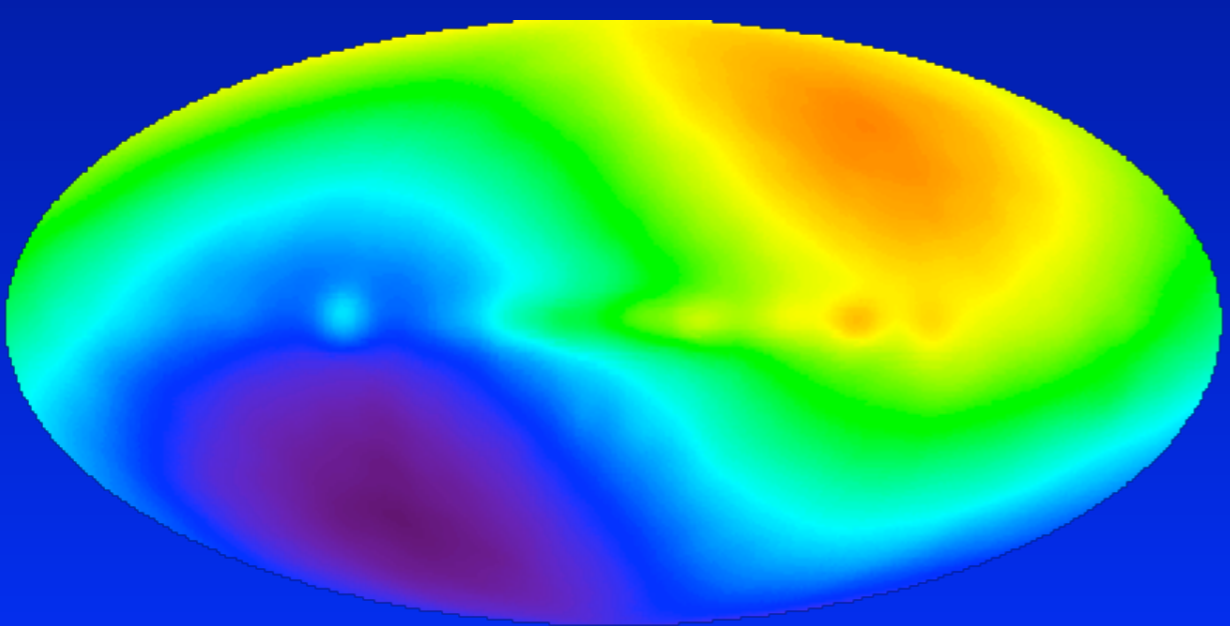
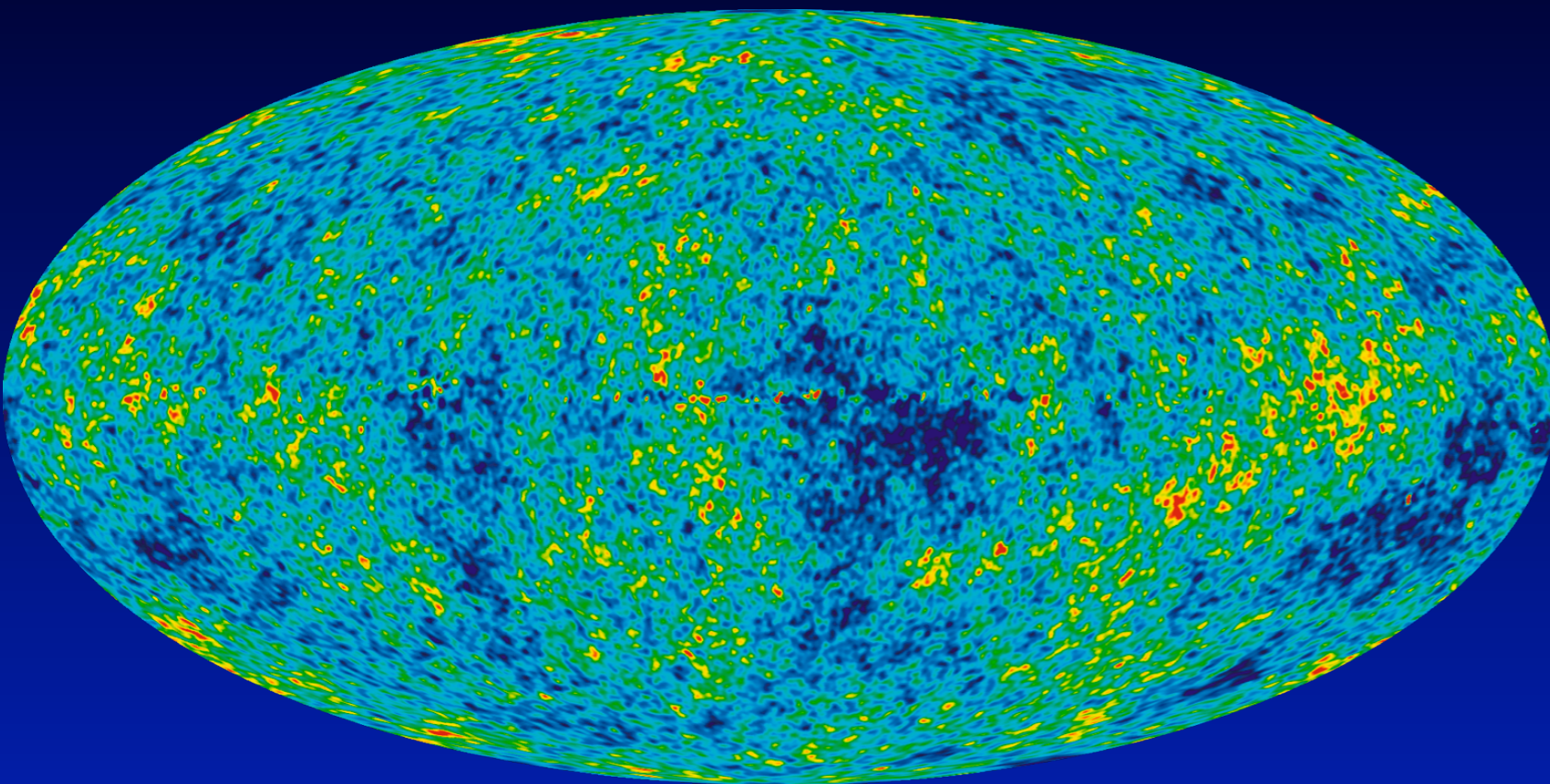
- average spectrum

$$\Rightarrow y \simeq \frac{1}{2} \left\langle \left(\frac{\Delta T}{T} \right)^2 \right\rangle \approx 8 \times 10^{-10}$$

$$\Delta T_{\text{sup}} \simeq T \left\langle \left(\frac{\Delta T}{T} \right)^2 \right\rangle \approx 4.4 \text{ nK}$$

- known with very high precision

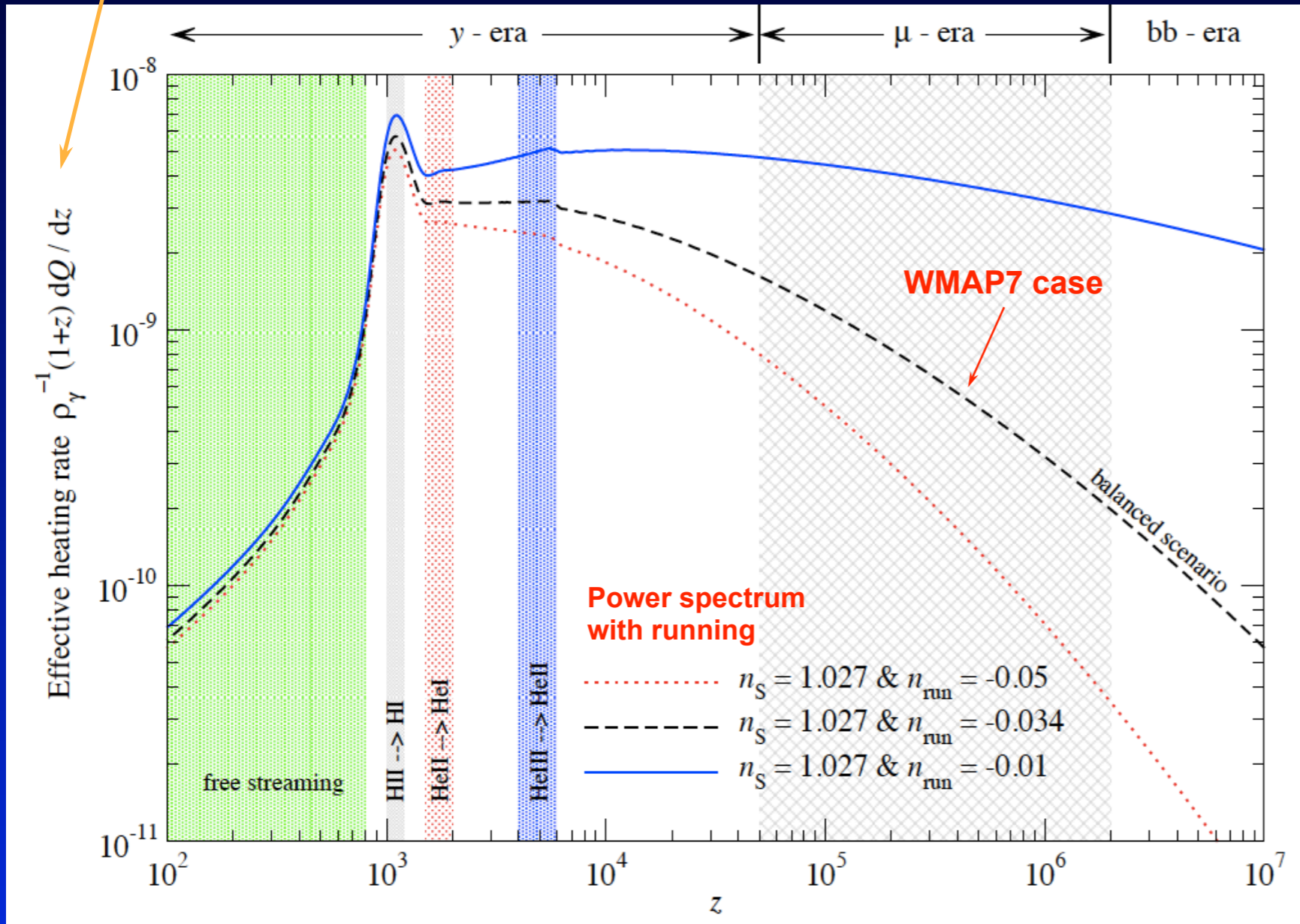
Distortion caused by superposition of blackbodies



- average spectrum
 $\Rightarrow y \simeq \frac{1}{2} \left\langle \left(\frac{\Delta T}{T} \right)^2 \right\rangle \approx 8 \times 10^{-10}$
 $\Delta T_{\text{sup}} \simeq T \left\langle \left(\frac{\Delta T}{T} \right)^2 \right\rangle \approx 4.4 \text{ nK}$
- known with very high precision
- CMB dipole ($\beta_c \sim 1.23 \times 10^{-3}$)
 $\Rightarrow y \simeq \frac{\beta_c^2}{6} \approx 2.6 \times 10^{-7}$
 $\Delta T_{\text{sup}} \simeq T \frac{\beta_c^2}{3} \approx 1.4 \mu\text{K}$
- electrons are up-scattered
- can be taken out at the level of $\sim 10^{-9}$

Our computation for the effective energy release

scaled such that constant for $n_s = 1$



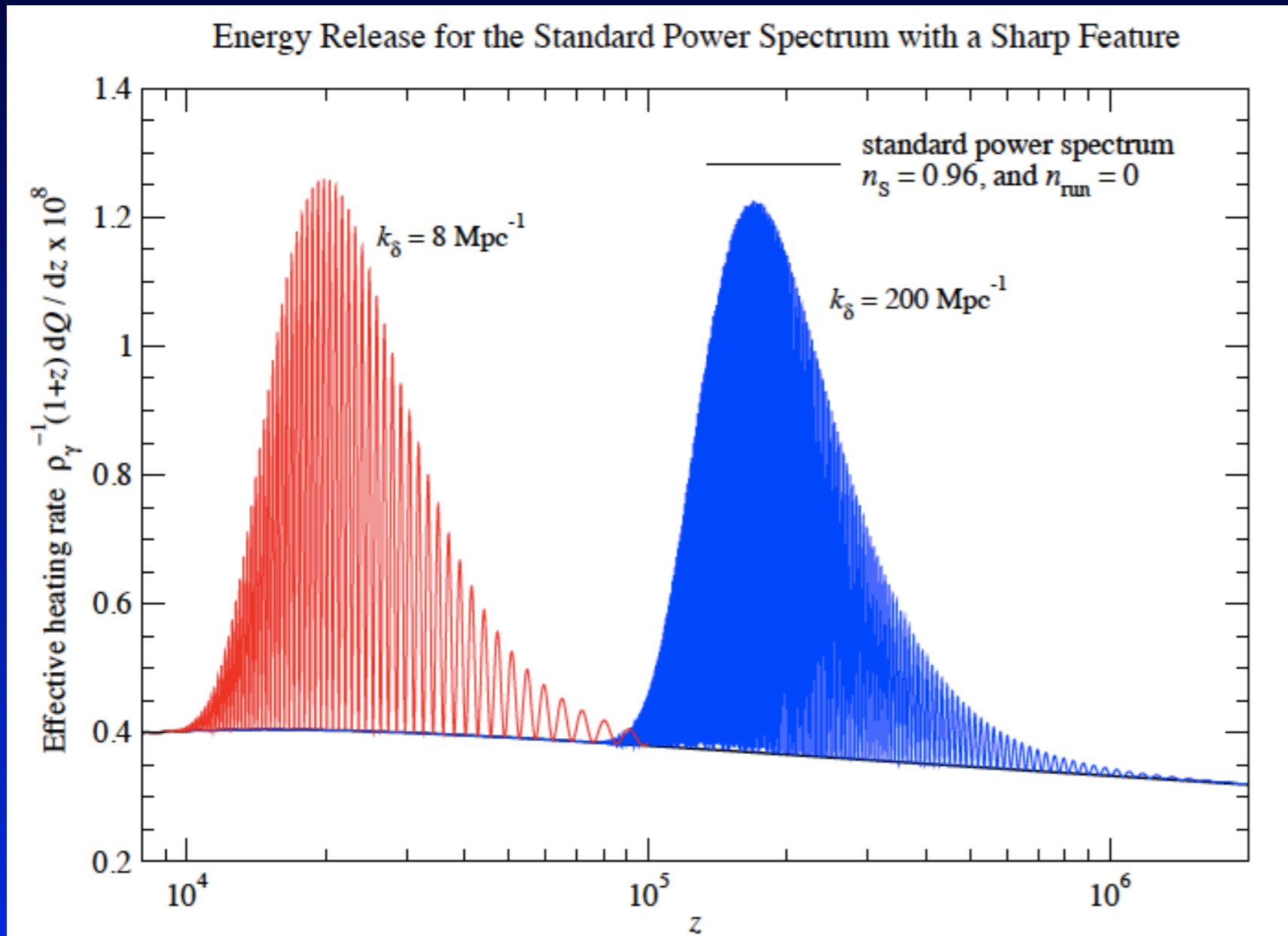
- Our 2. order perturbation calculation showed that the *classical* picture was slightly inconsistent
- Amplitude of the distortion depends on the small-scale power spectrum
- Computation carried out with **CosmoTherm** (JC & Sunyaev 2011)

JC, Khatri & Sunyaev, 2012

$$P_\zeta(k) = 2\pi^2 A_\zeta k^{-3} (k/k_0)^{n_s - 1 + \frac{1}{2} n_{run} \ln(k/k_0)}$$

Primordial power spectrum of curvature perturbations is input for the calculation

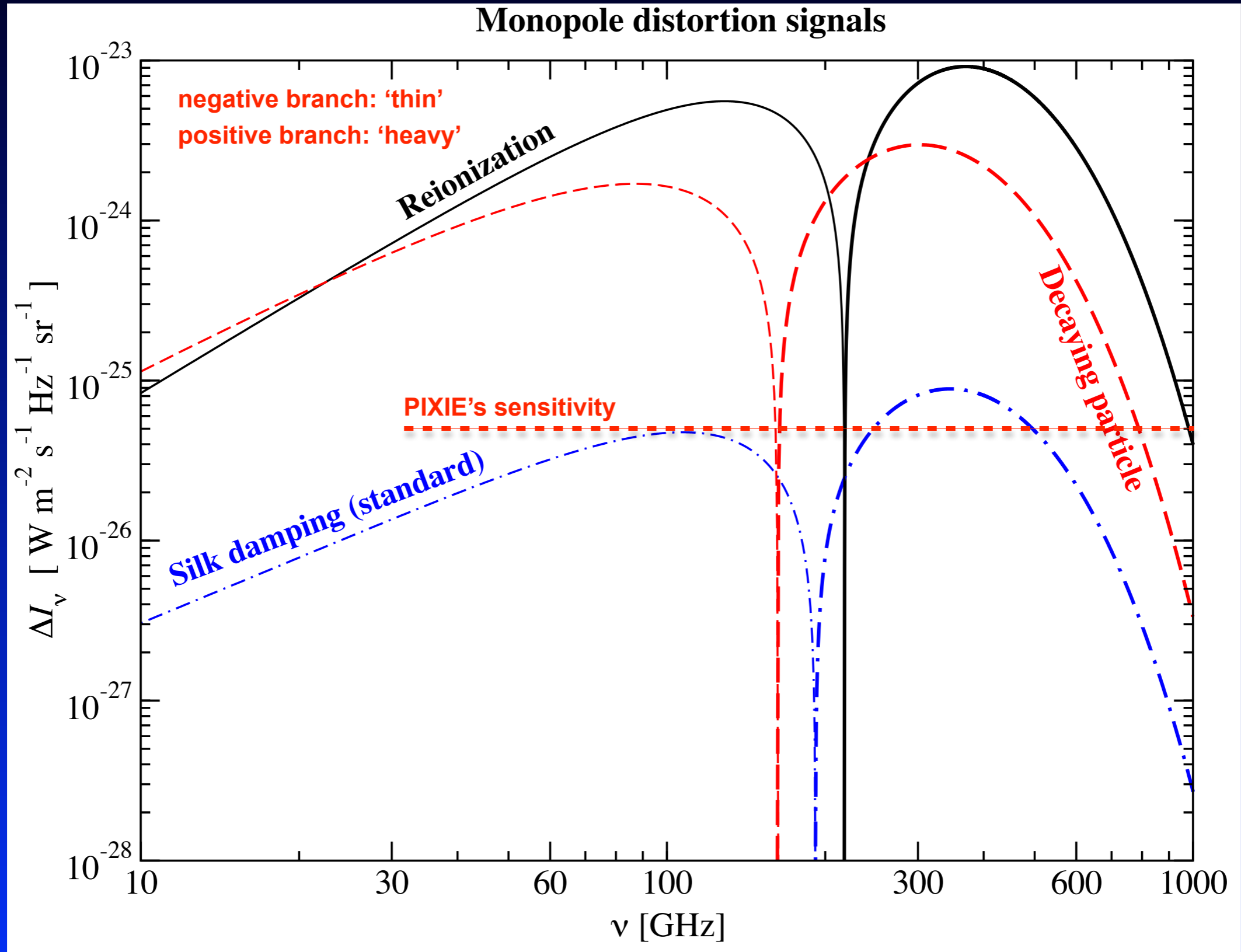
Which modes dissipate in the μ and y -eras?



- Single mode with wavenumber k dissipates its energy at $z_d \sim 4.5 \times 10^5 (k \text{ Mpc}/10^3)^{2/3}$
- Modes with wavenumber $50 \text{ Mpc}^{-1} < k < 10^4 \text{ Mpc}^{-1}$ dissipate their energy during the μ -era
- Modes with $k < 50 \text{ Mpc}^{-1}$ cause y -distortion

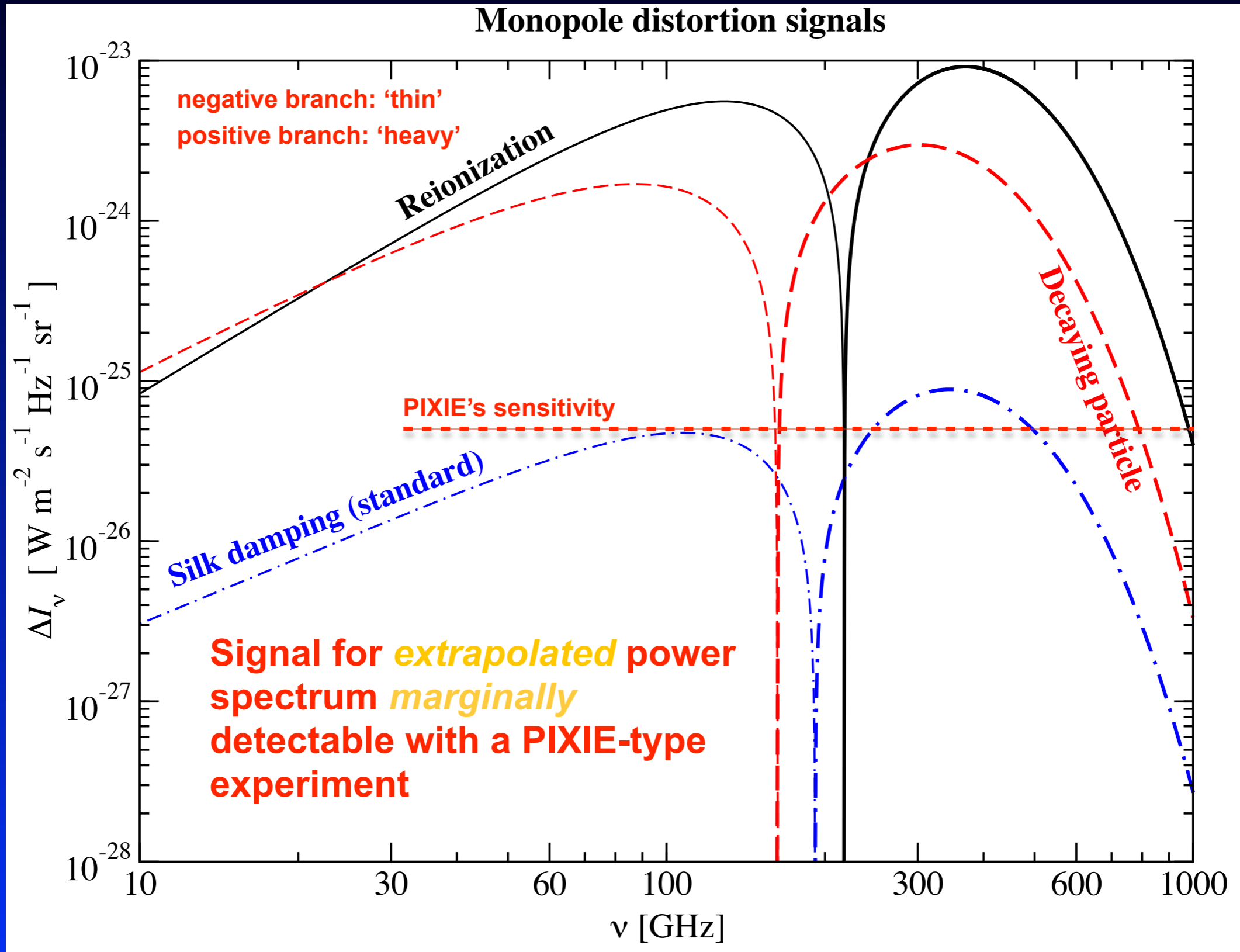
Average CMB spectral distortions

Absolute value of Intensity signal



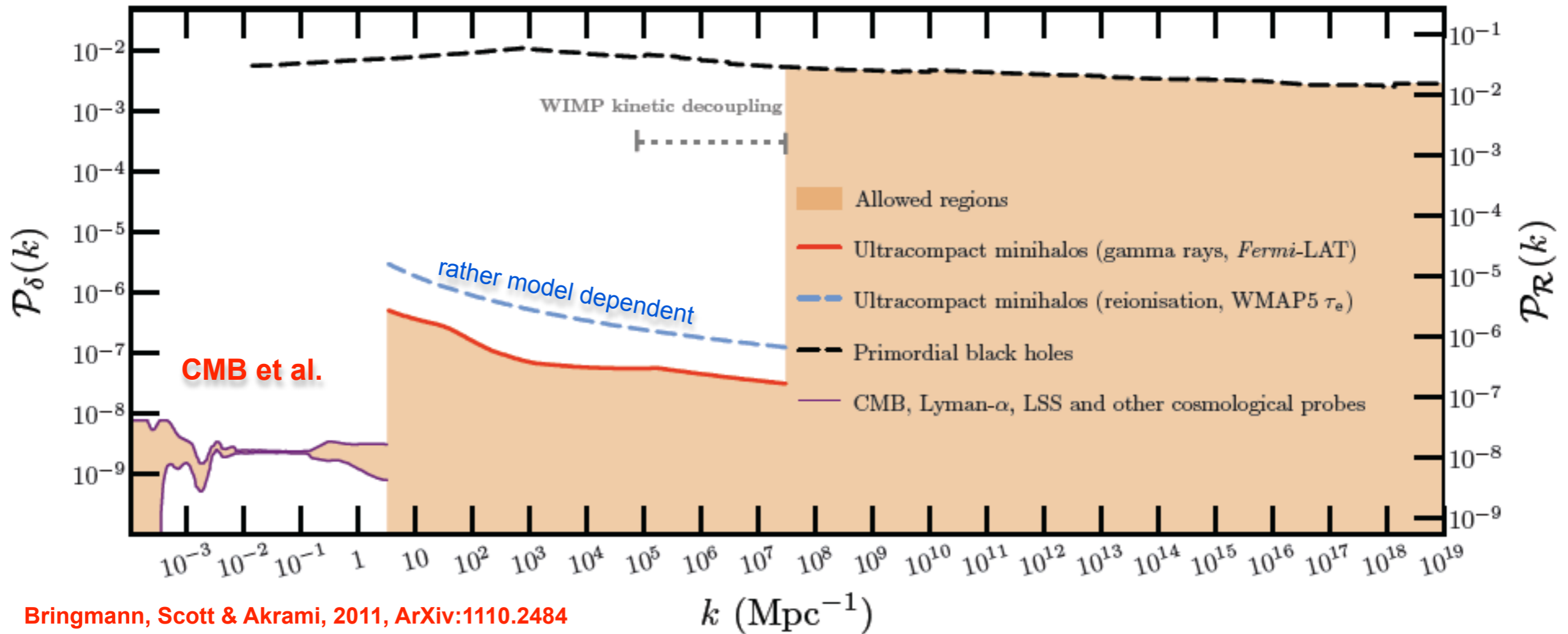
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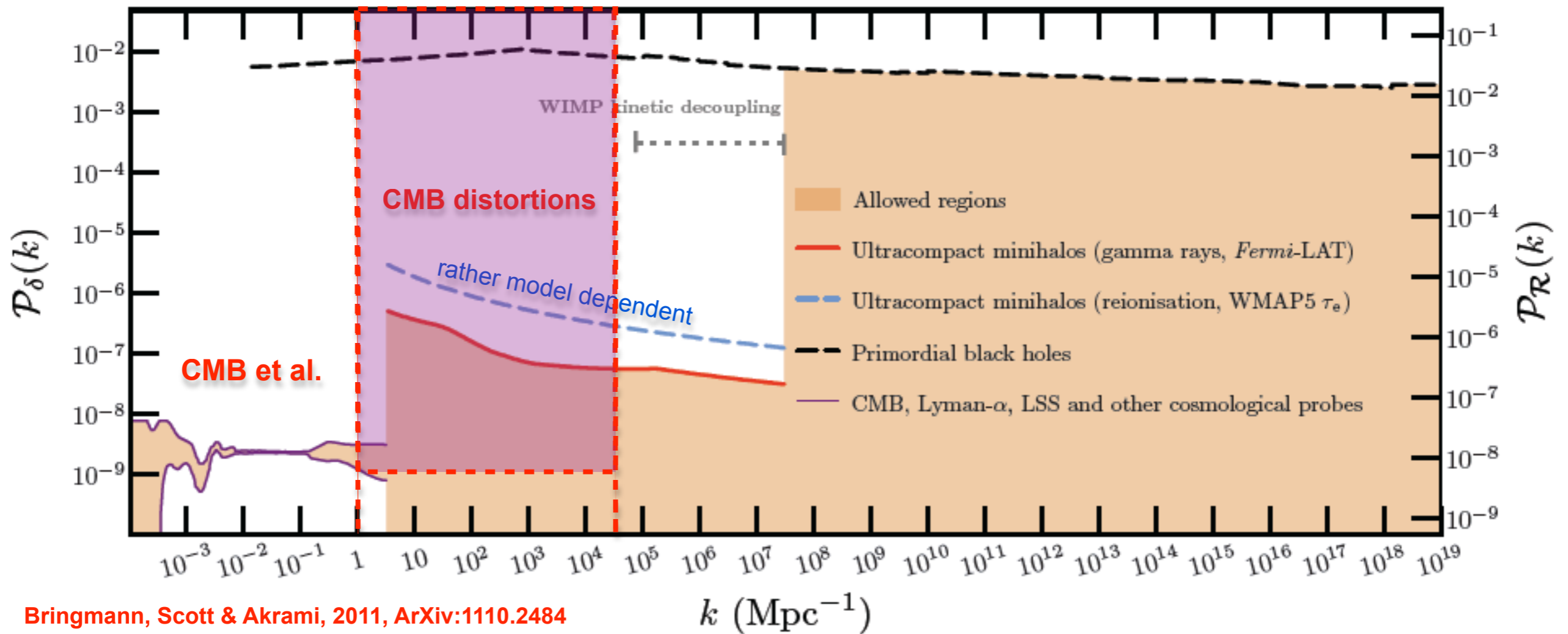
But this is not all that one could look at !!!

Power spectrum constraints



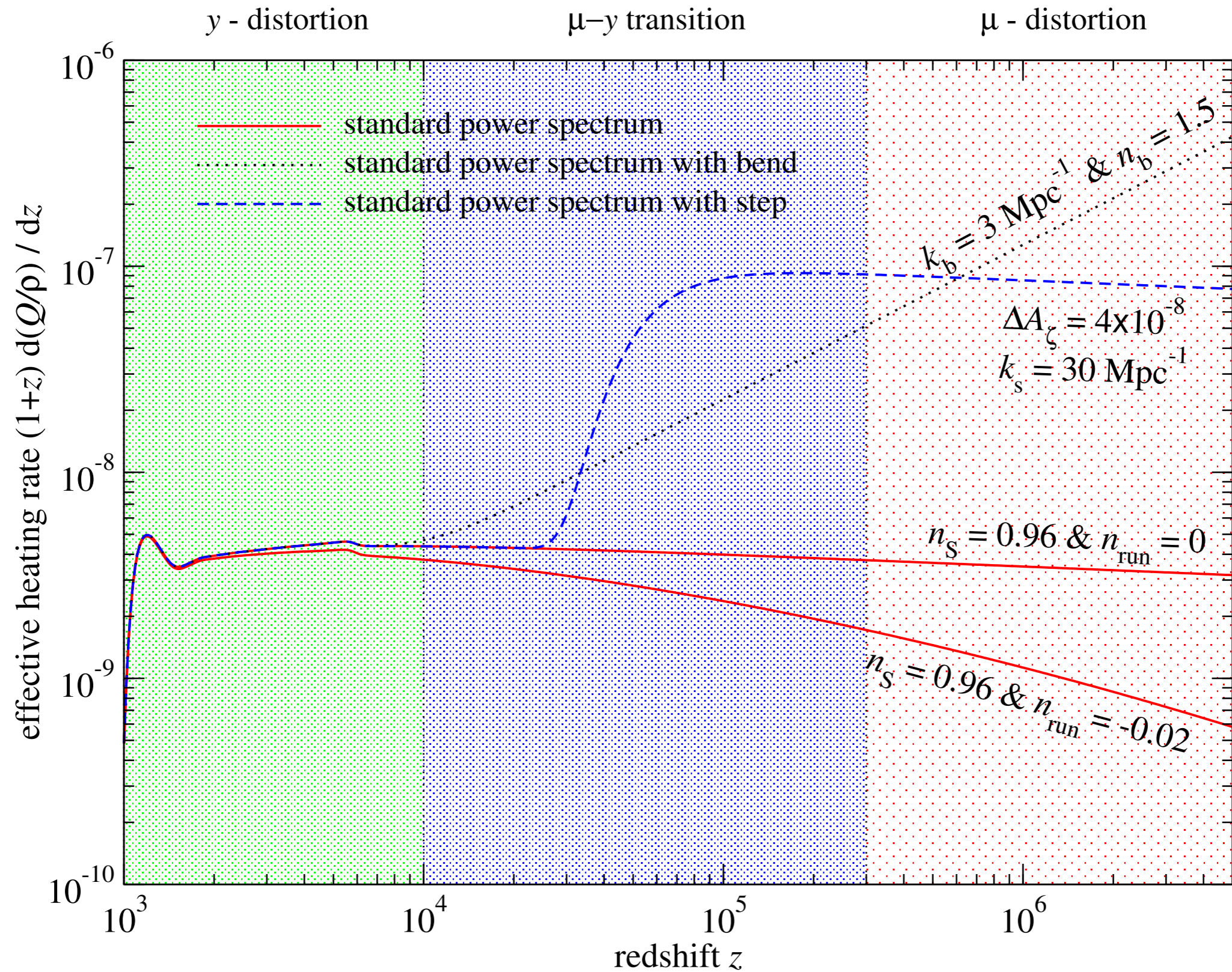
- Amplitude of power spectrum rather uncertain at $k > 3 \text{ Mpc}^{-1}$
- improving limits at smaller scales would constrain inflationary models

Power spectrum constraints

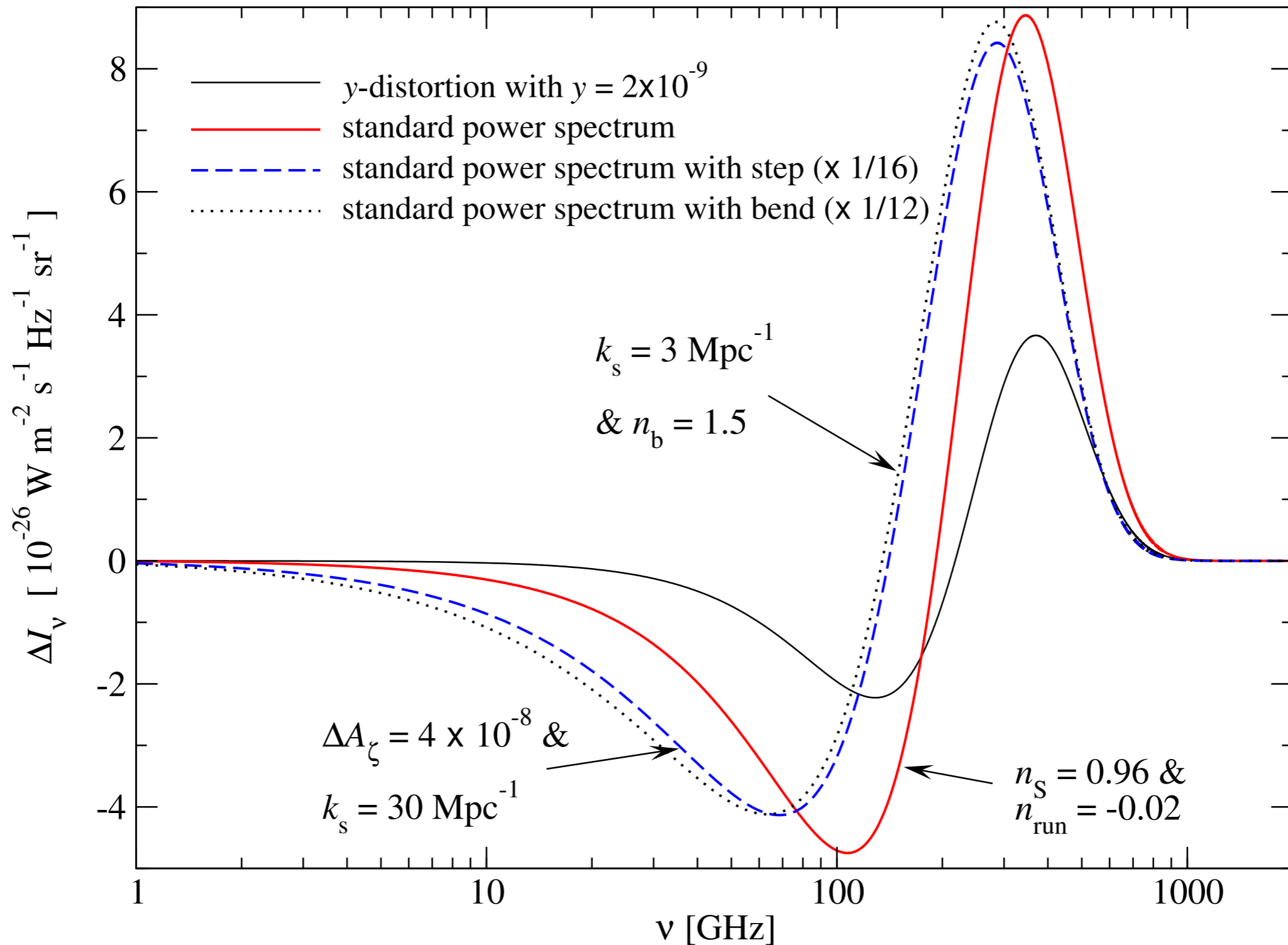


- Amplitude of power spectrum rather uncertain at $k > 3 \text{ Mpc}^{-1}$
- improving limits at smaller scales would constrain inflationary models
- CMB spectral distortions could allow extending our lever arm to $k \sim 10^4 \text{ Mpc}^{-1}$
- See JC, Erickcek & Ben-Dayan, 2012 for constraints on more general $P(k)$

Probing the small-scale power spectrum

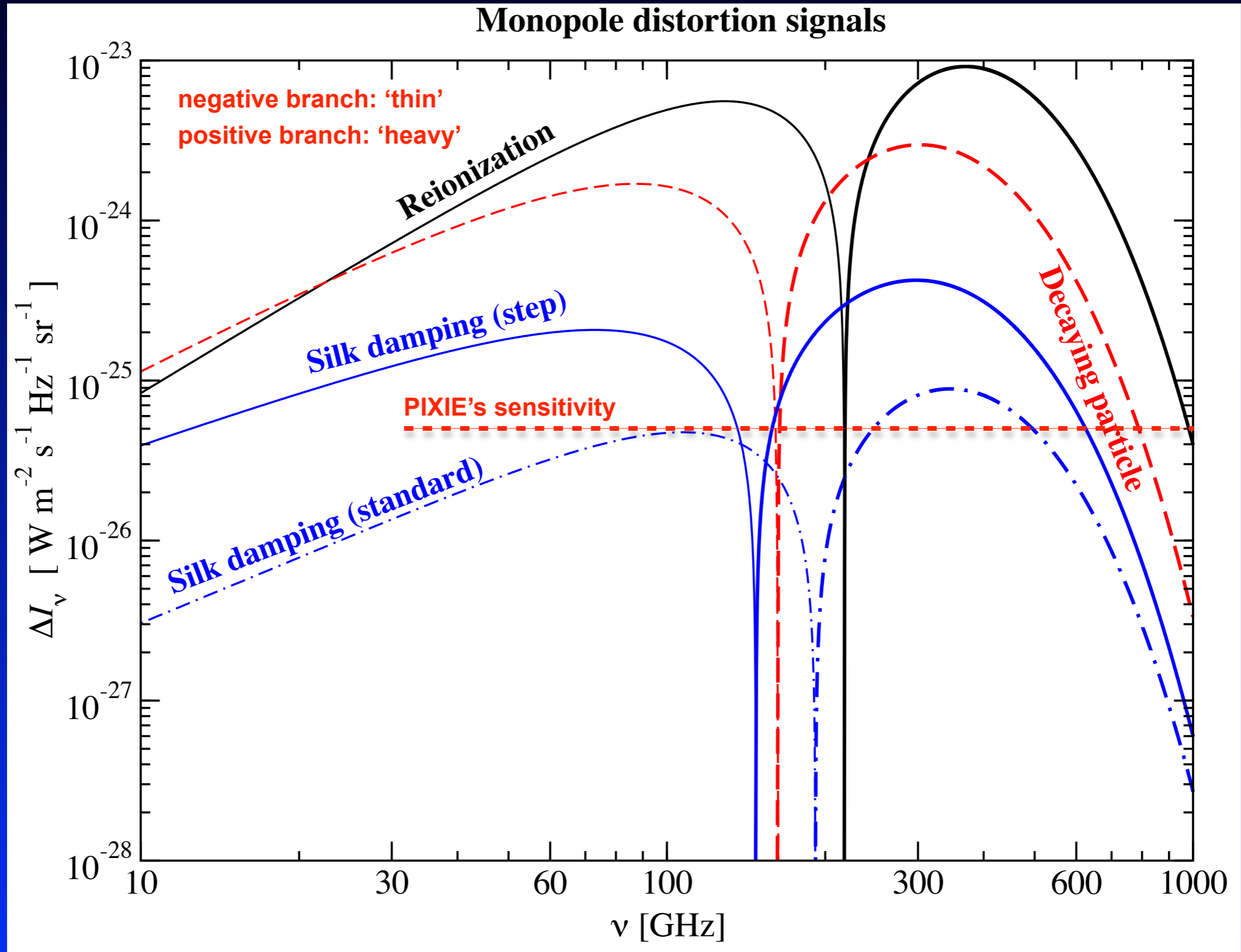


Probing the small-scale power spectrum



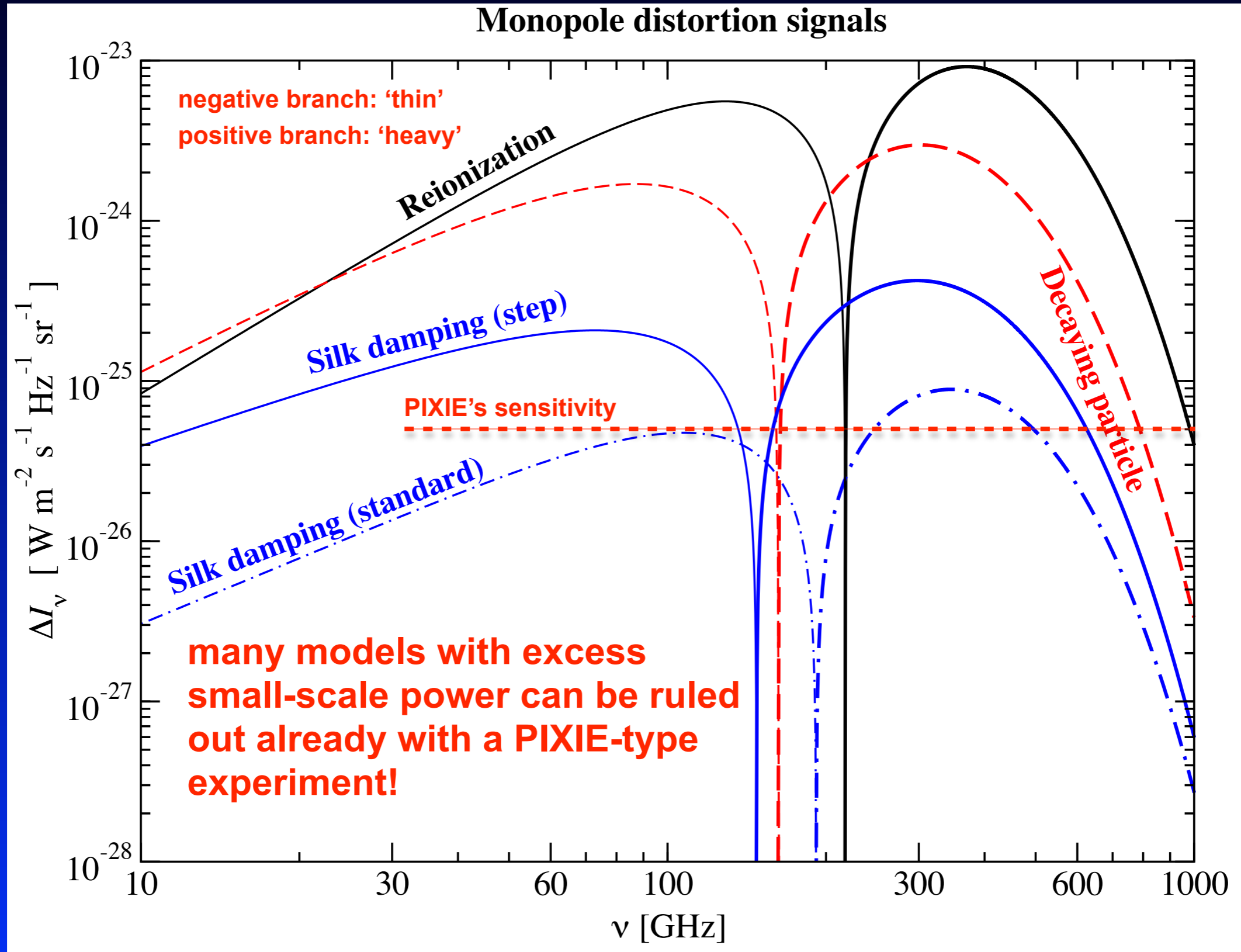
Average CMB spectral distortions

Absolute value of Intensity signal

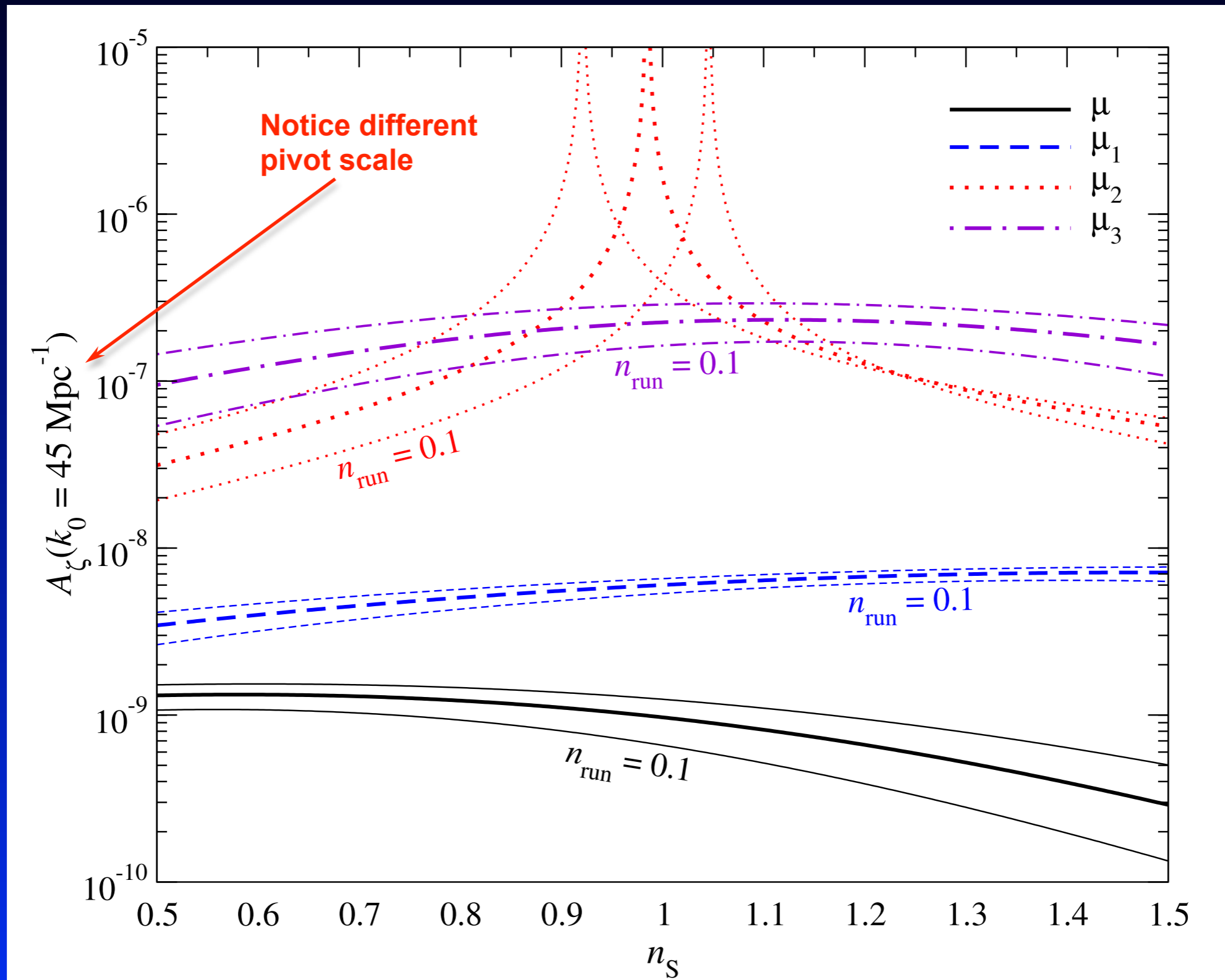


Average CMB spectral distortions

Absolute value of Intensity signal

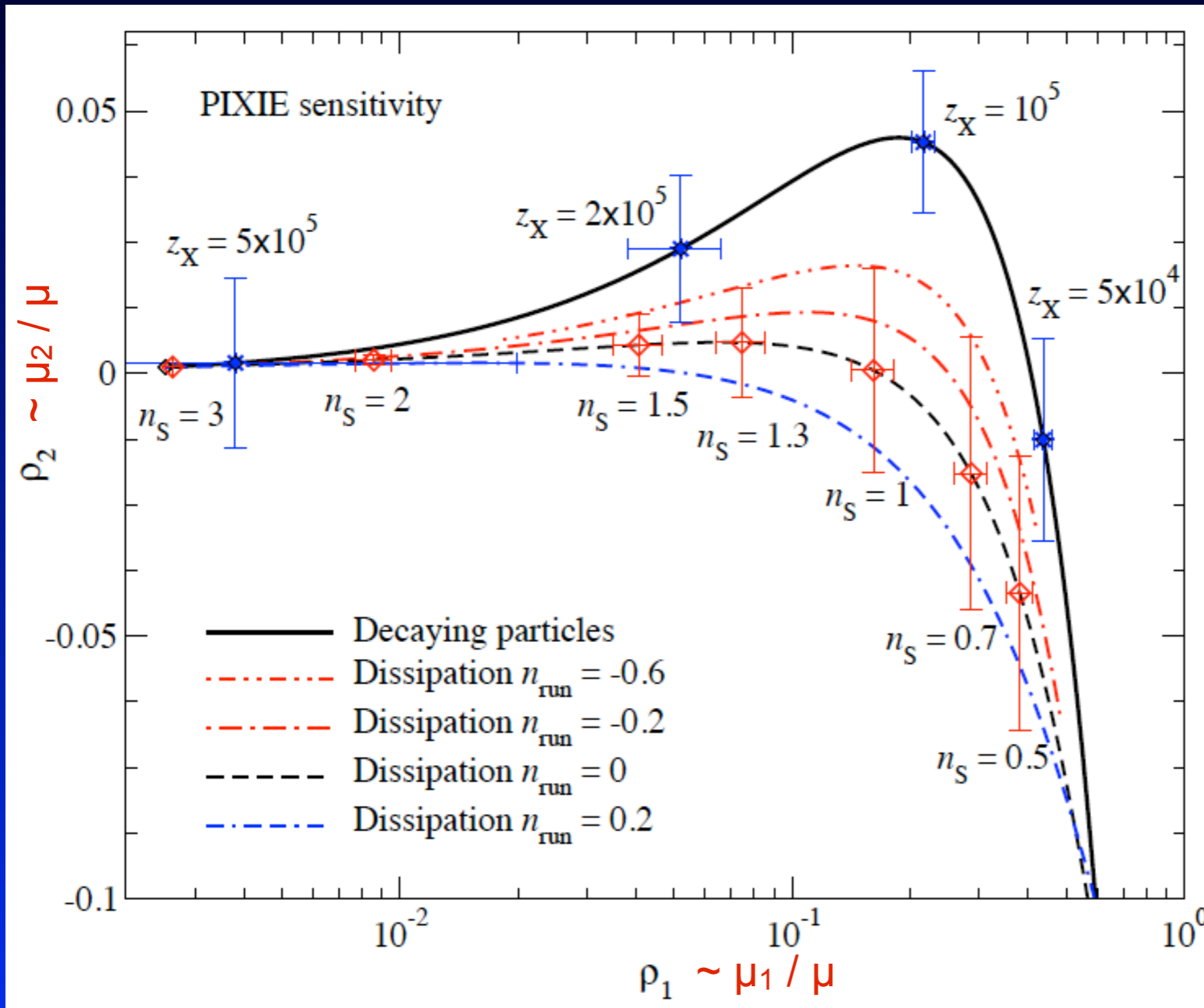


Dissipation scenario: 1σ -detection limits for PIXIE



$$P_\zeta(k) = 2\pi^2 A_\zeta k^{-3} (k/k_0)^{n_s - 1 + \frac{1}{2}n_{\text{run}} \ln(k/k_0)}$$

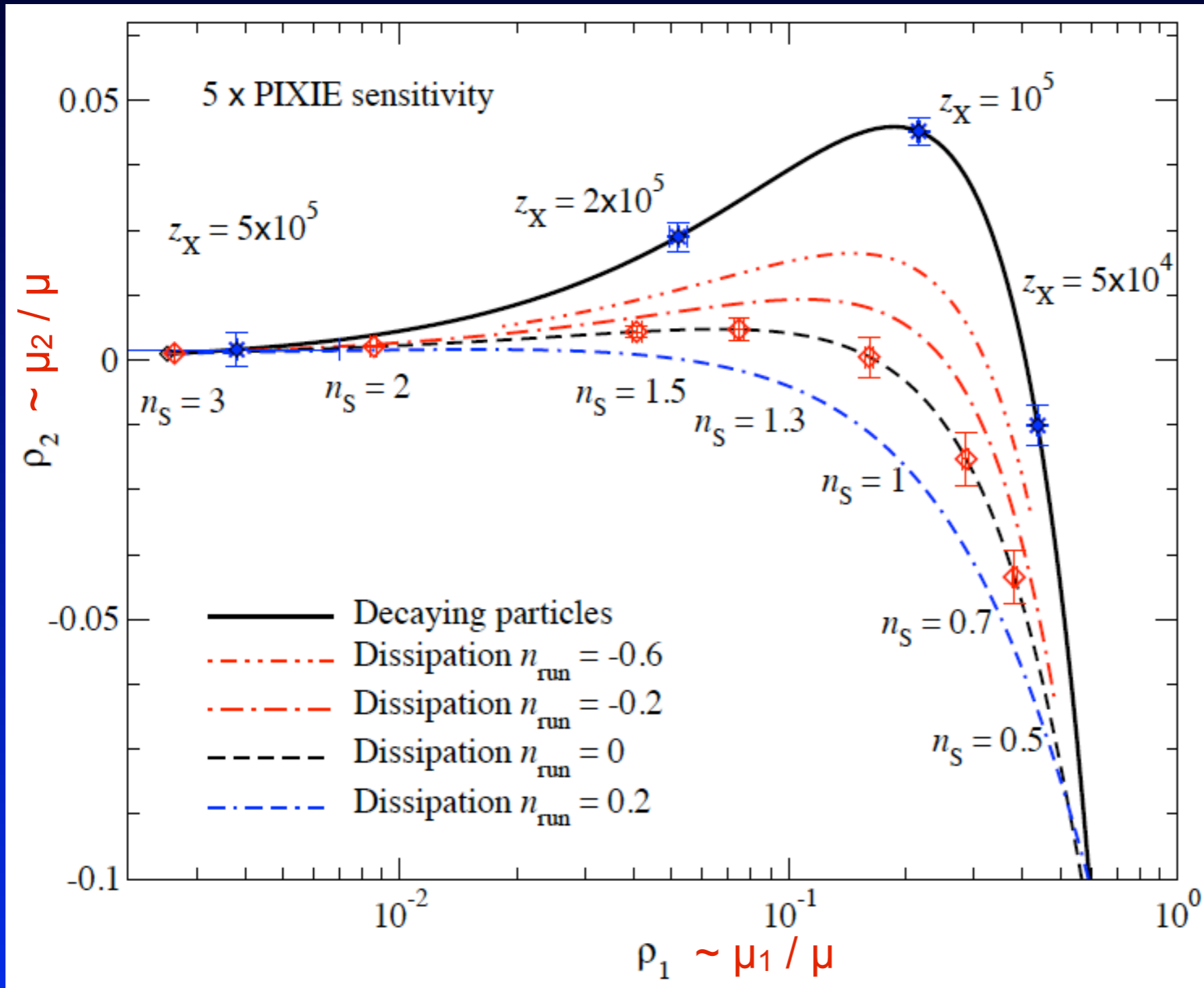
Distinguishing dissipation and decaying particle scenarios



- measurement of μ , μ_1 & μ_2
- trajectories of decaying particle and dissipation scenarios differ!
- scenarios can in principle be distinguished

$$A_\zeta = 5 \times 10^{-8}$$

Distinguishing dissipation and decaying particle scenarios

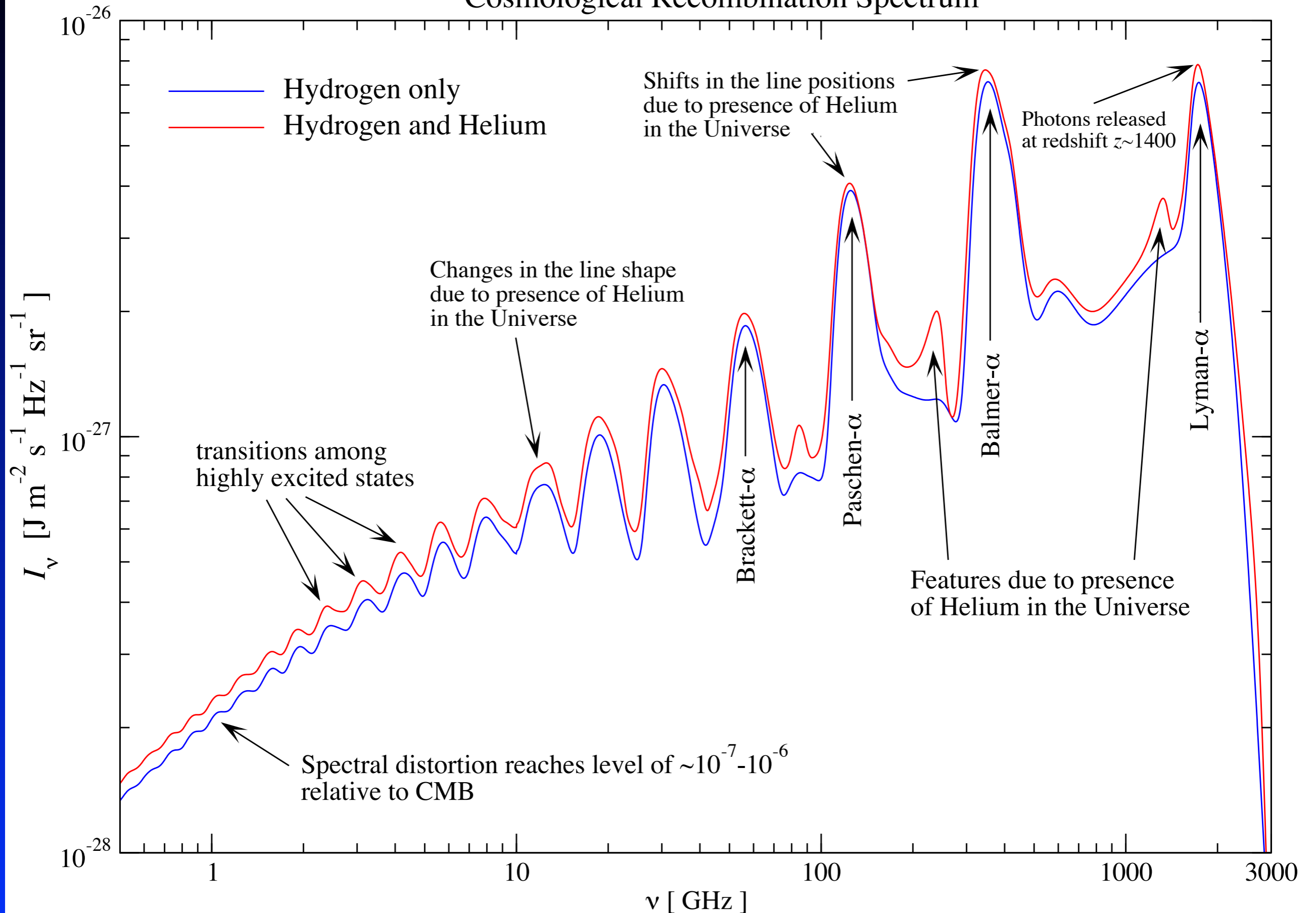


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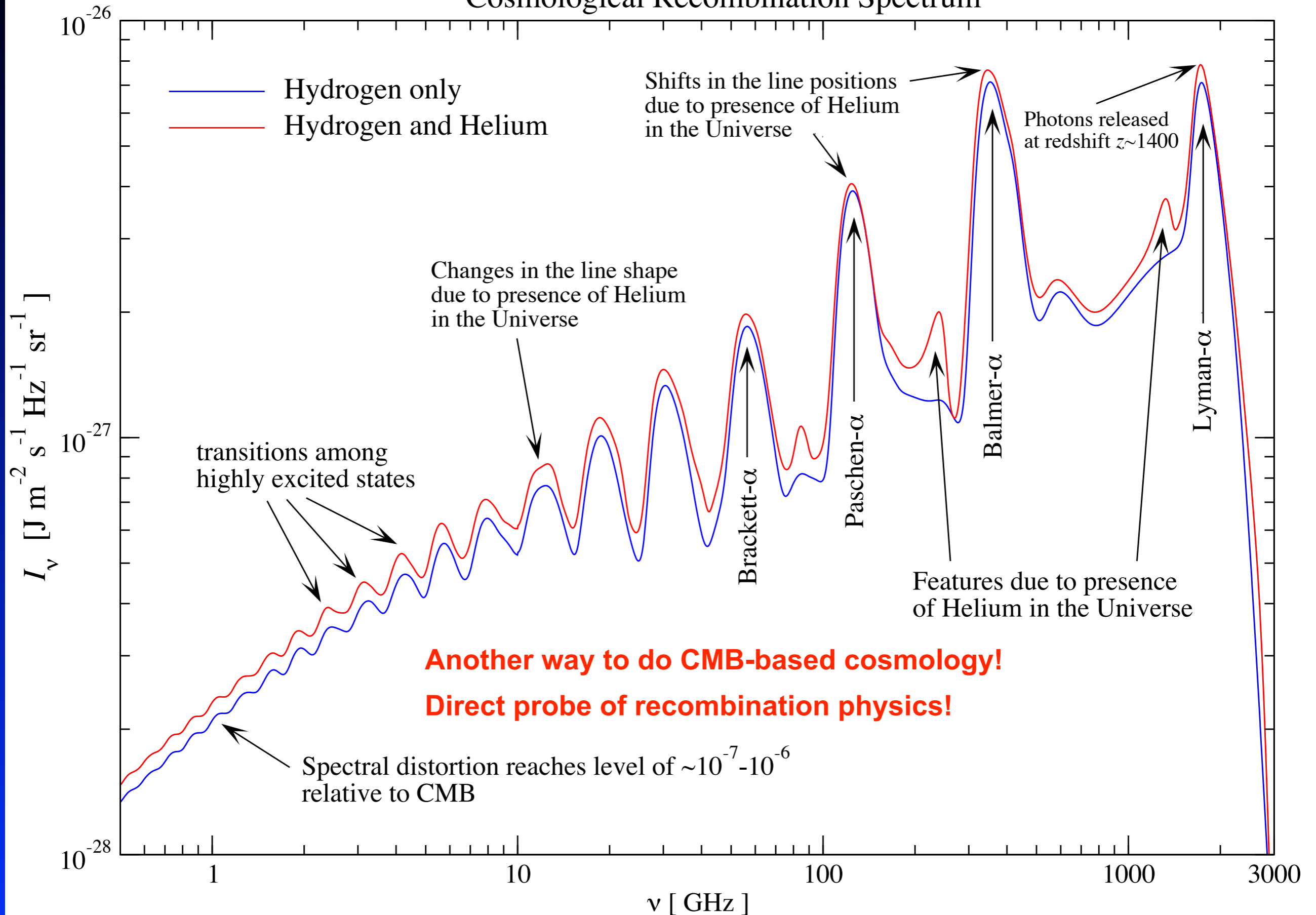
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The cosmological recombination radiation

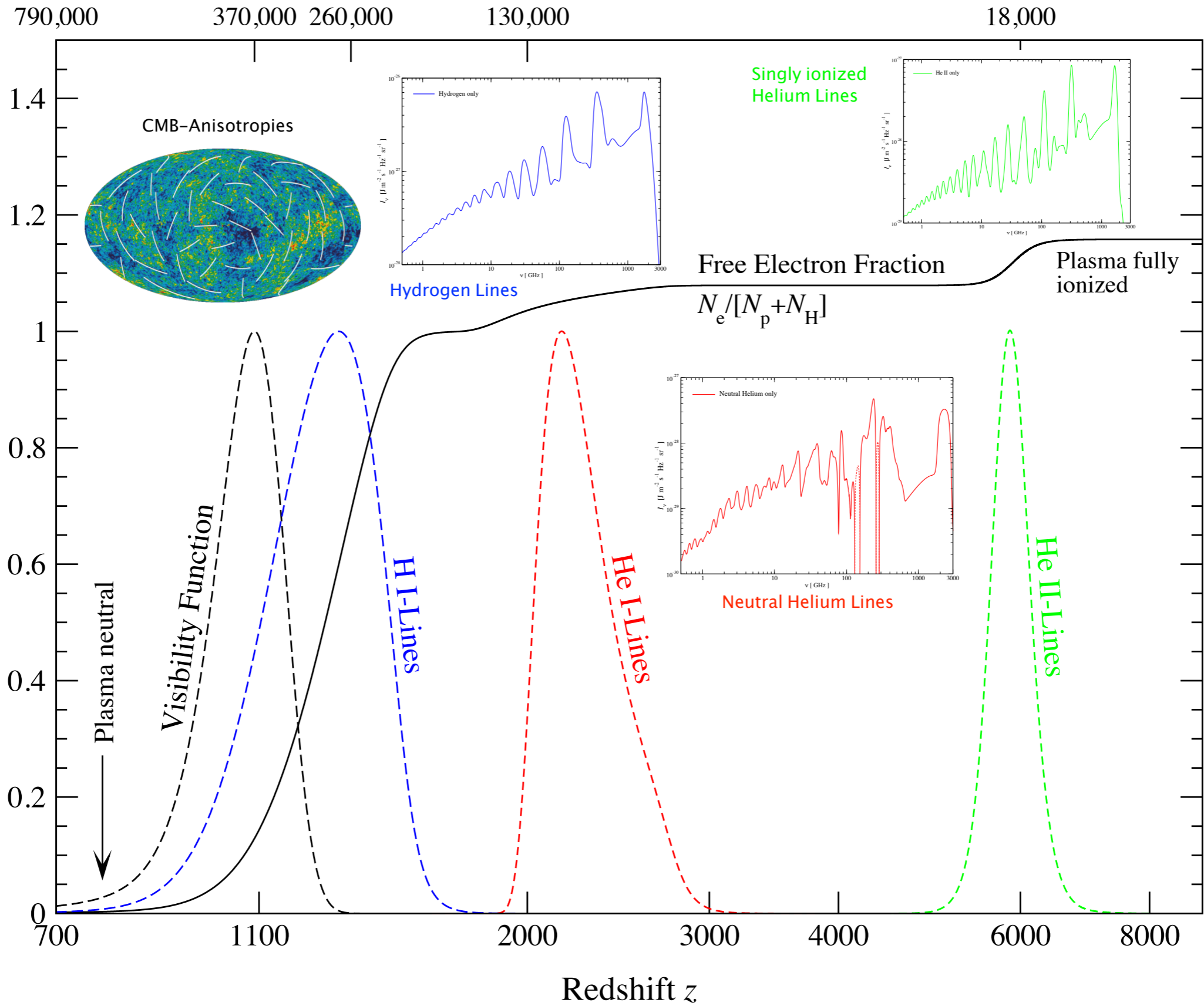
Cosmological Recombination Spectrum



Cosmological Recombination Spectrum

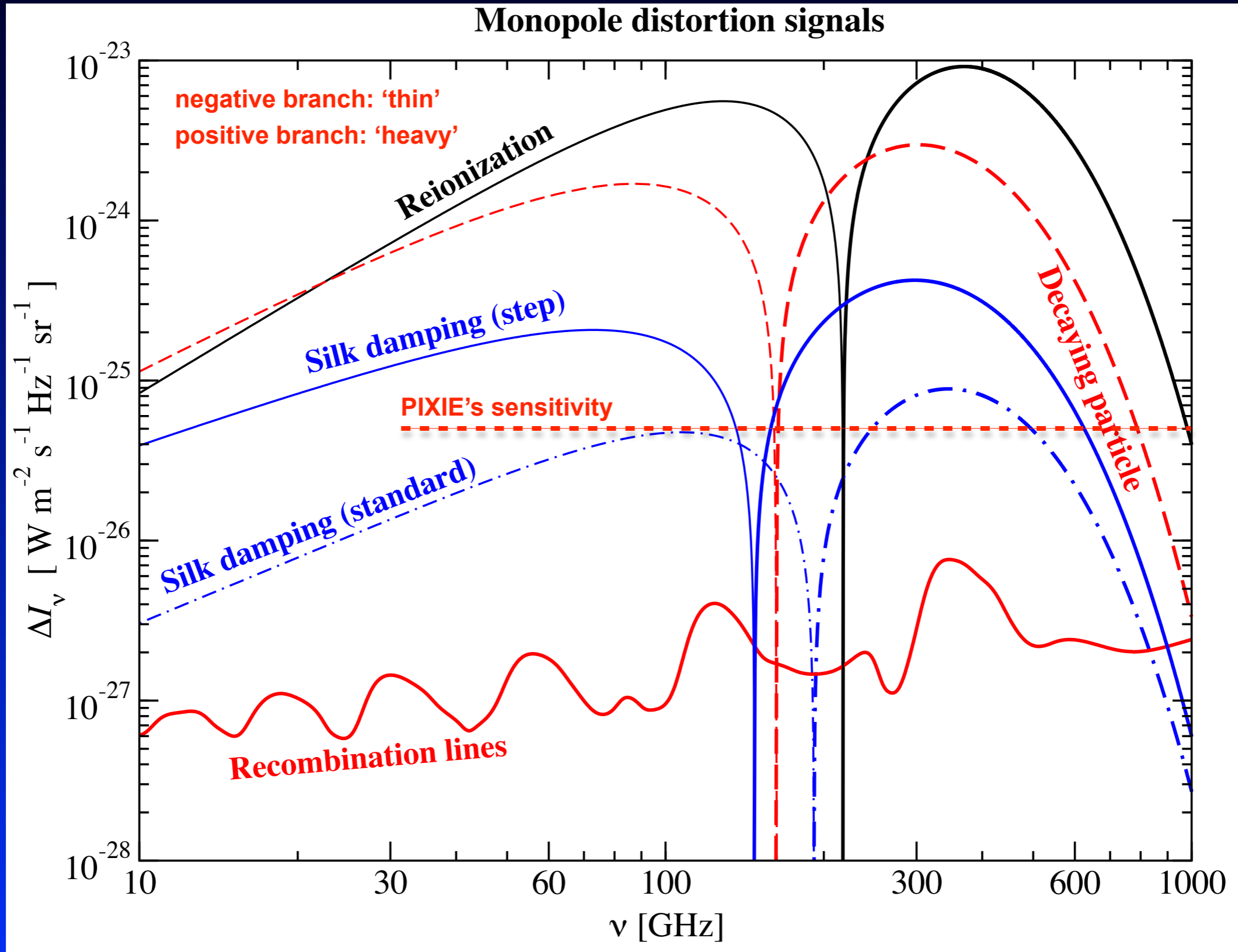


Cosmological Time in Years



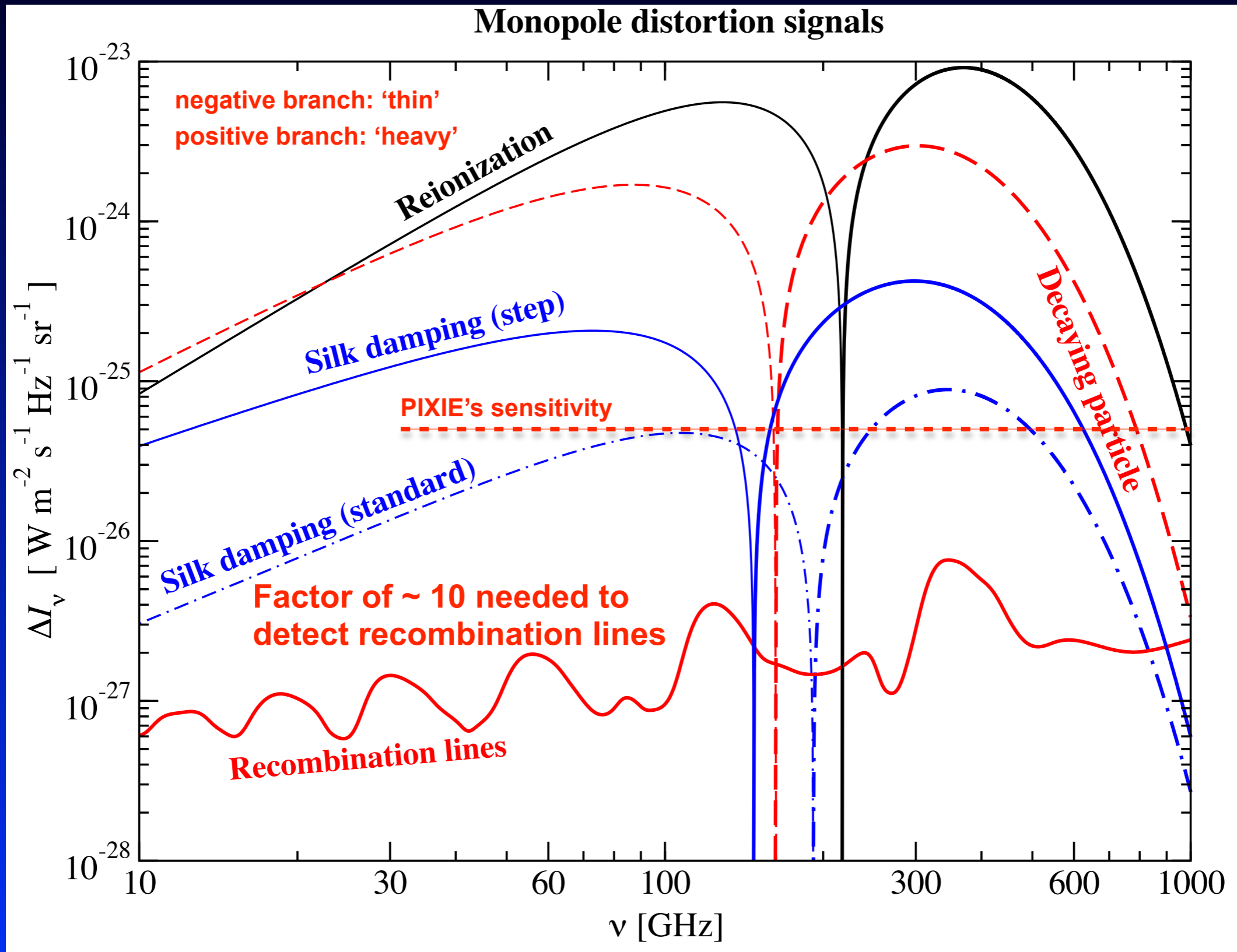
Average CMB spectral distortions

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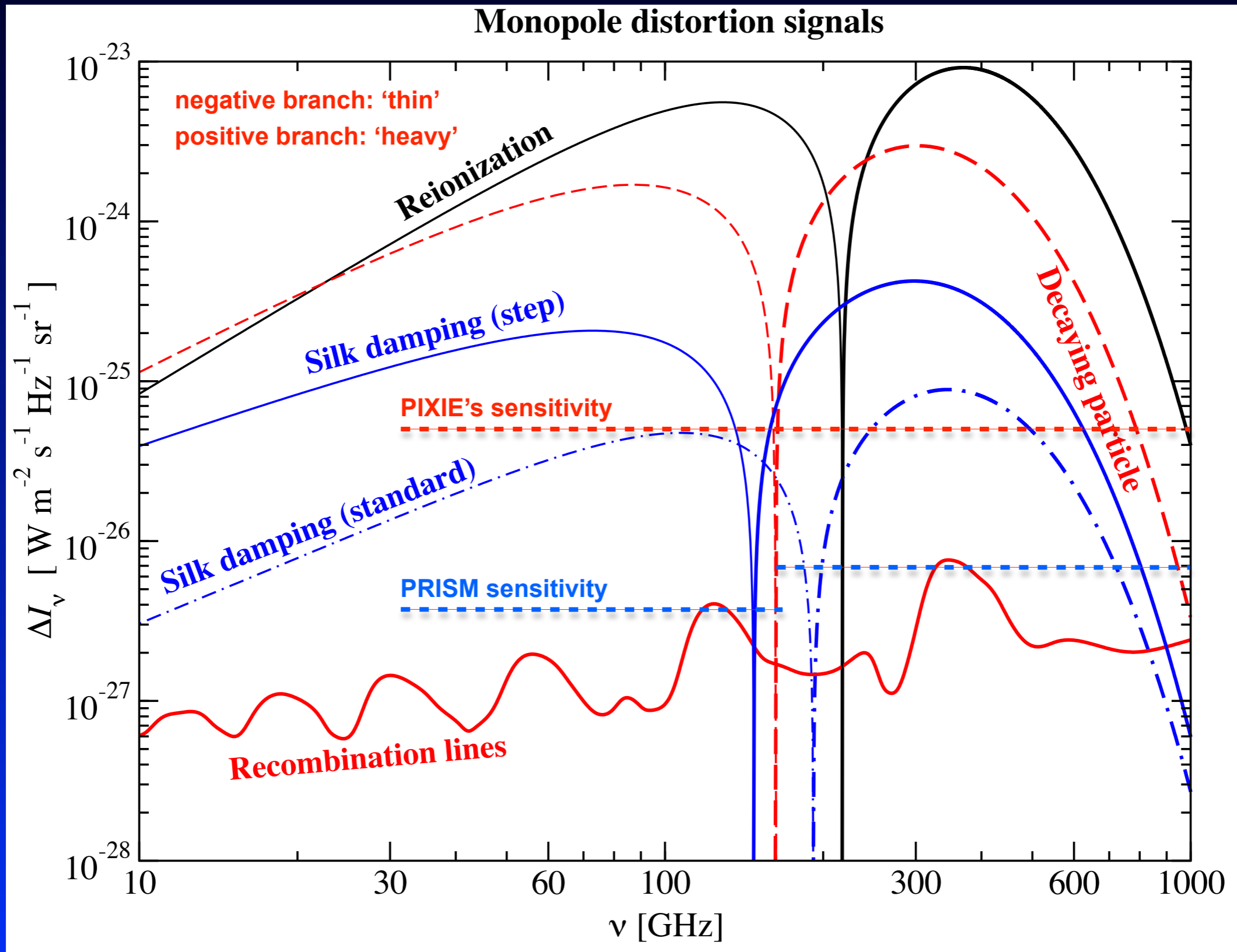
Average CMB spectral distortions

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What would we actually learn by doing such hard job?

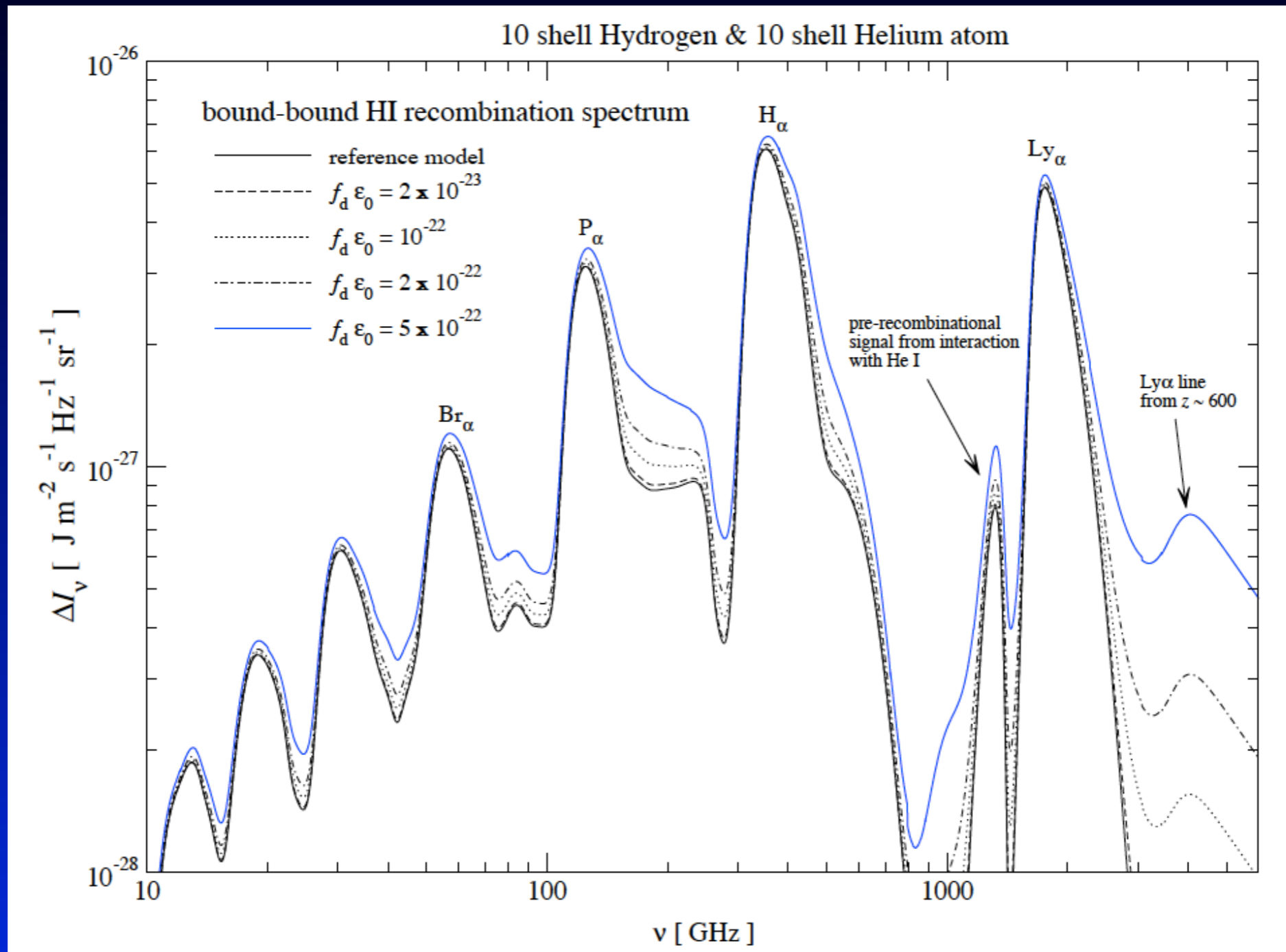
Cosmological Recombination Spectrum opens a way to measure:

- the specific *entropy* of our universe (related to $\Omega_b h^2$)
- the CMB *monopole* temperature T_0
- *the pre-stellar abundance of helium* Y_p
- *If recombination occurs as we think it does, then the lines can be predicted with very high accuracy!*
- *In principle allows us to directly check our understanding of the standard recombination physics*

If something unexpected or non-standard happened:

- *non-standard thermal histories should leave some measurable traces*
- *direct way to measure/reconstruct the recombination history!*
- *possibility to distinguish pre- and post-recombination y-type distortions*
- *sensitive to energy release during recombination*
- *variation of fundamental constants*

Dark matter annihilations / decays



JC, 2009, arXiv:0910.3663

- Additional photons at all frequencies
- Broadening of spectral features
- Shifts in the positions

